

Bismillahirrah Manir-Rahim

Bogra Polytechnic Institute

Civil Engineering Project.

SUBJECT CODE-26471



Department:-Civil Technology

Semester:-1st, shift:-1st

Session:-2021-2022

DIRECTED BY

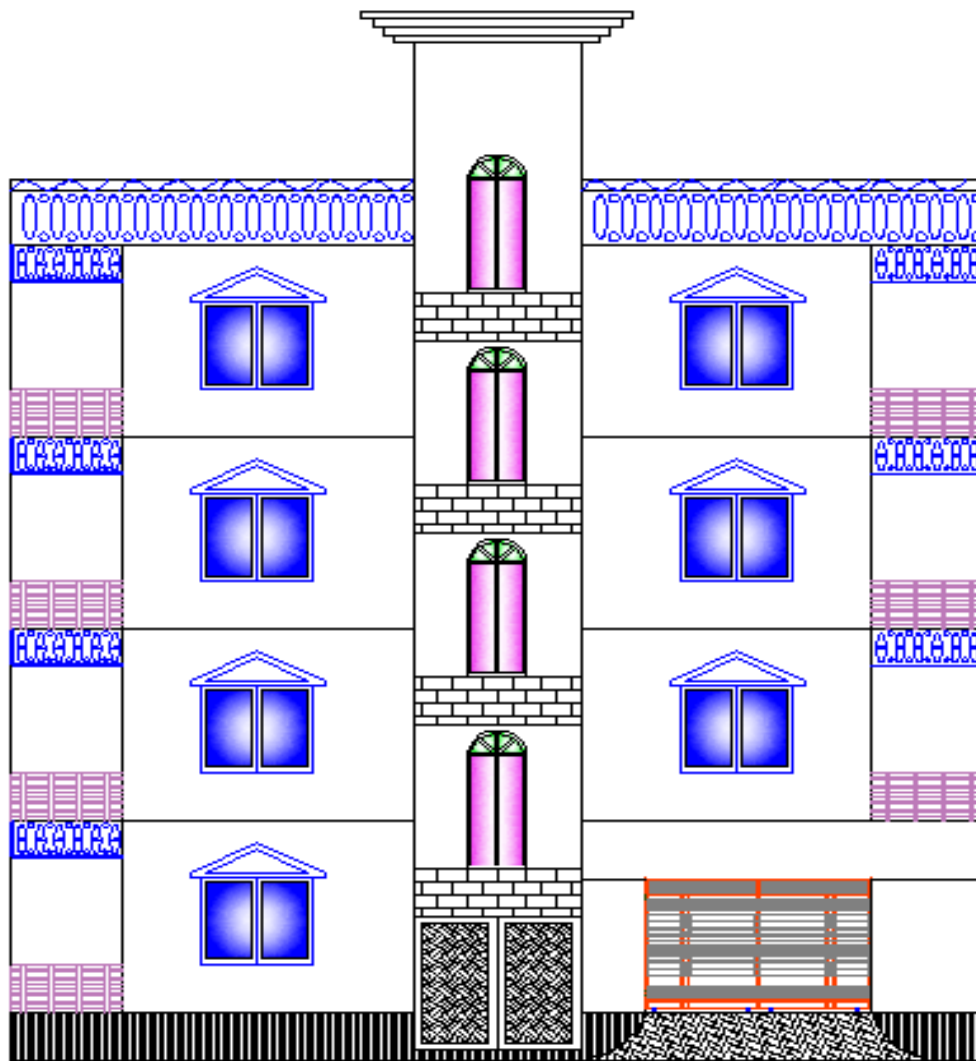
Md. ABDUL MALEK


Chief instructor

Bogura polytechnic institute

PROJECT NAME

4TH FLOOR RESIDENTIAL BUILDING



 ELEVATION

ABOUT PROJECT

The role of Civil Diploma Engineers in the construction field of this country are very important.

According to the survey report of the earth quake association of Bangladesh , “88% building of Dhaka city are risky against normal earth quake thrust.

Frame structural building construction practice is more essential for the present earth quake situation of this country.

But actual analysis of frame structural building is not possible for the civil diploma engineers.

To face this situation , every civil diploma engineers must have to earn minimum structural concept.

The main objectives of this project work is to fulfill that target.

In this project work , to determining the design load , maximum vertical shear , maximum bending moment and other cases , co -efficient and lamsum methods has followed but analysis and design steps are rightly applied.

In this project work , I have try to build up maximum structural concept about frame structural building.

I think , the person who are successfully completed the project work , can take good participation in building construction field of this country.

I hope this concept help the civil diploma engineers to play right role in the construction field.

MD. ABDUL MALEK

Chief Instructor (Civil Eng. Department)

Acknowledgement

Preparing “Civil Engineering Project” as a part of Diploma Engineering Course is an innovative idea. Unfortunately we are student at Polytechnic institute level do not get any other opportunity to do such practical experience. So I am grateful to the respected curriculum director of the Diploma in Civil Engineering Course.

We mamboing gratefully every singe contribution of the Civil Engineering Department of B.P.I related to preparing of this project.

We are especially grateful to librarian who provides some important books regarding this project.

At the out set we do express our gratitude to our guide teacher Engineer Mr. Nuruzzaman Instructor (Civil Department) Bogra Polytechnic institute for his meticulous guidance , most worth advice and continual encouragement with out which we must avow , it would not have been possible on our part to accomplish this project. His very friendly behavior and benevolent attitude for us moral support to work agonist our constraints to complete this project.This was most important for us.

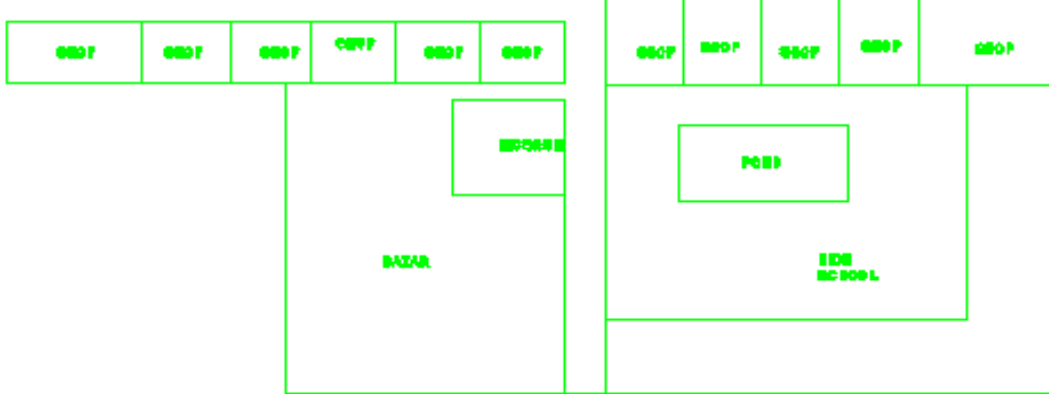
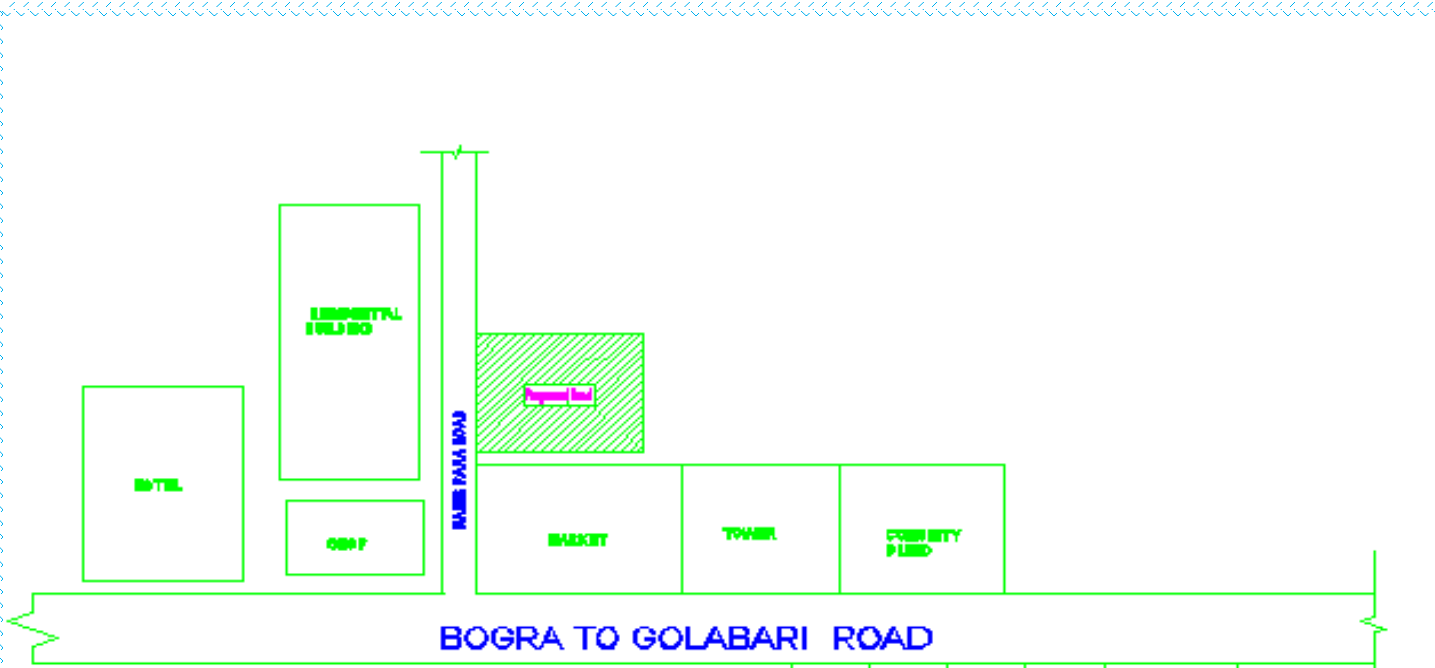
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Part-01
Architectural
Design



Mouza Map



LOCATION MAP

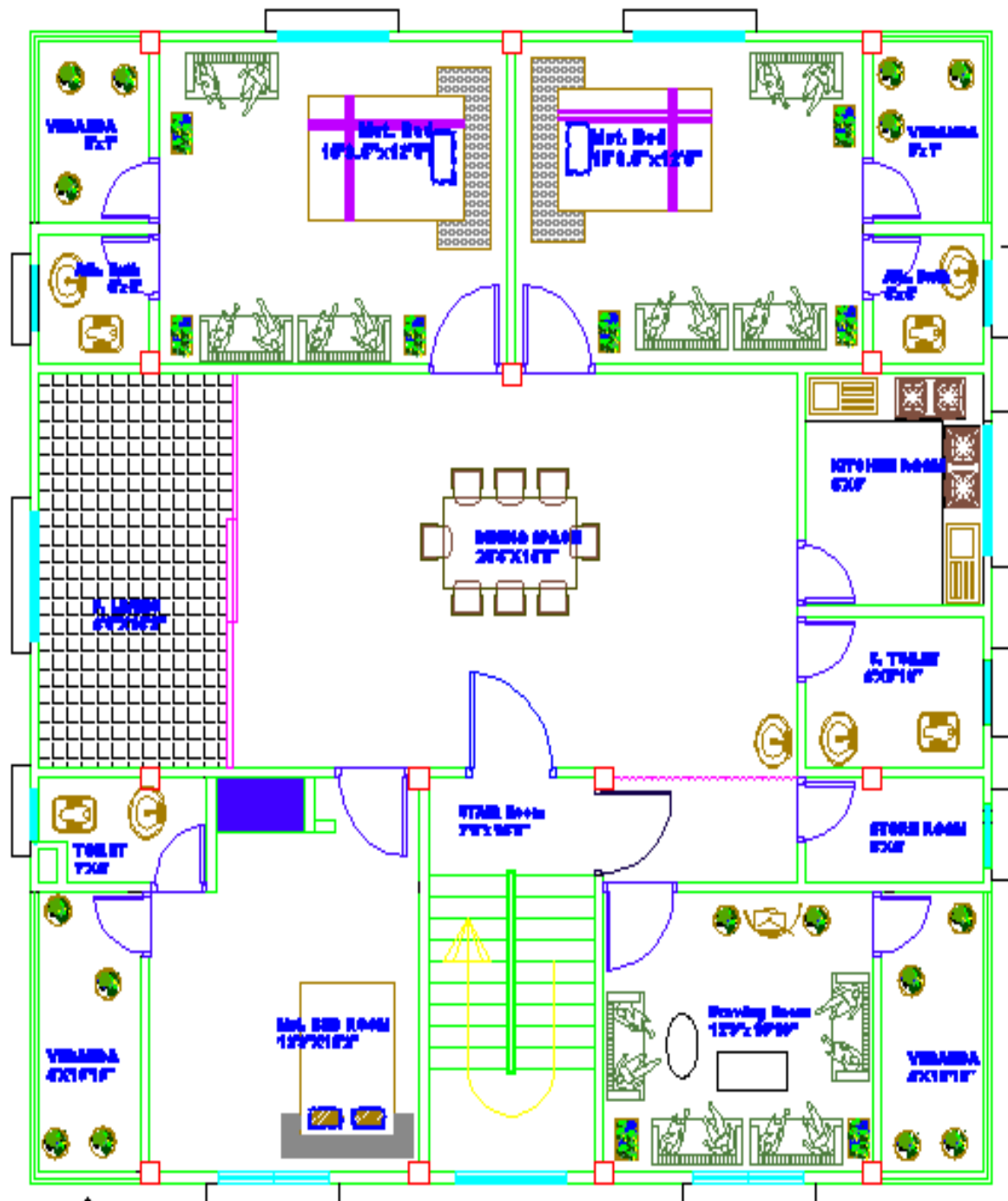
1939 sq.ft = 4.45 DESMEL

site area

 **SITE PLAN**
NOT TO SCALE

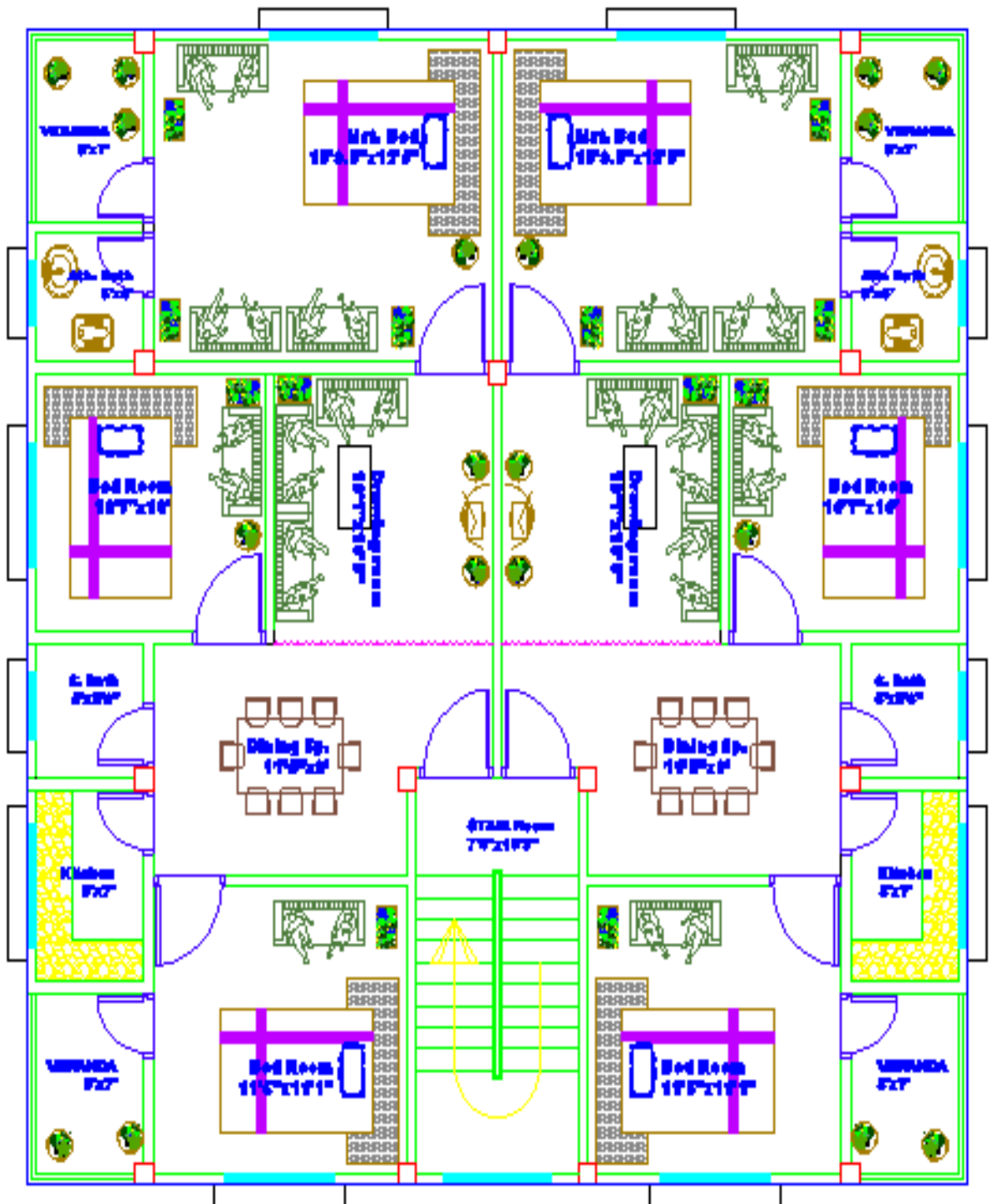
GROUP NO - 05

15'-0" WIDE (GB) ROAD



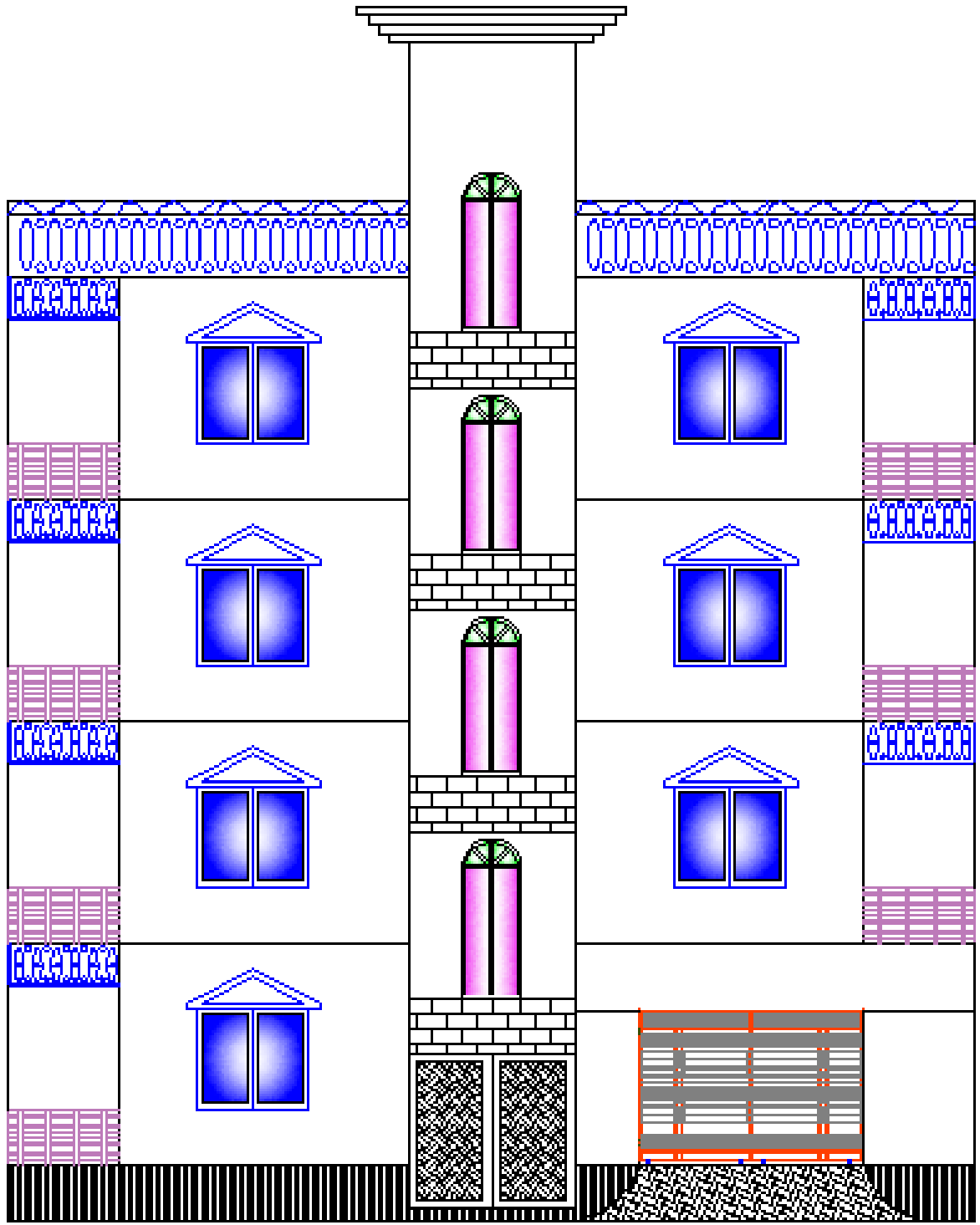
1ST FLOOR PLAN

GROUP NO - 05

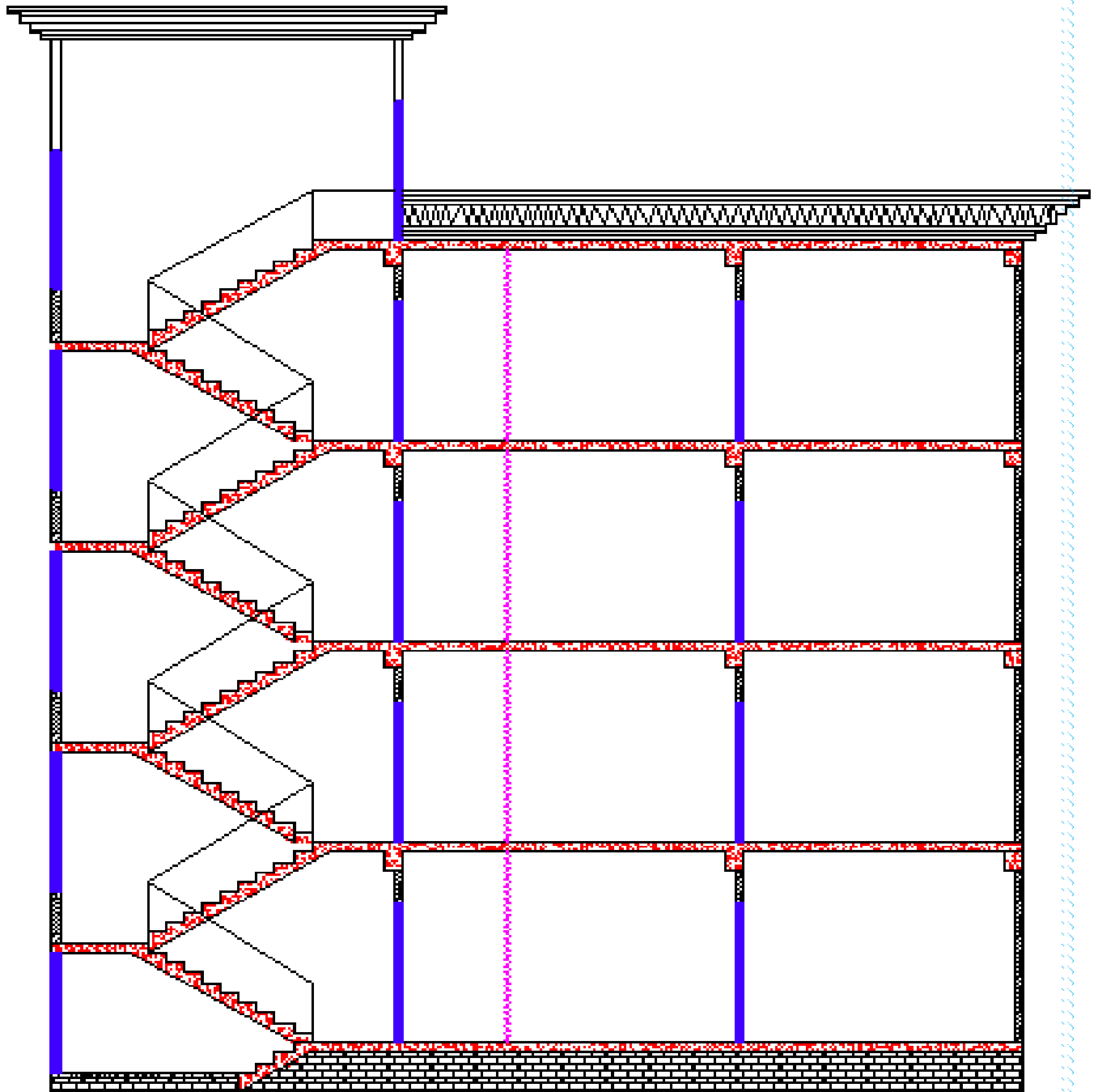


2ND & 3RD FLOOR PLAN

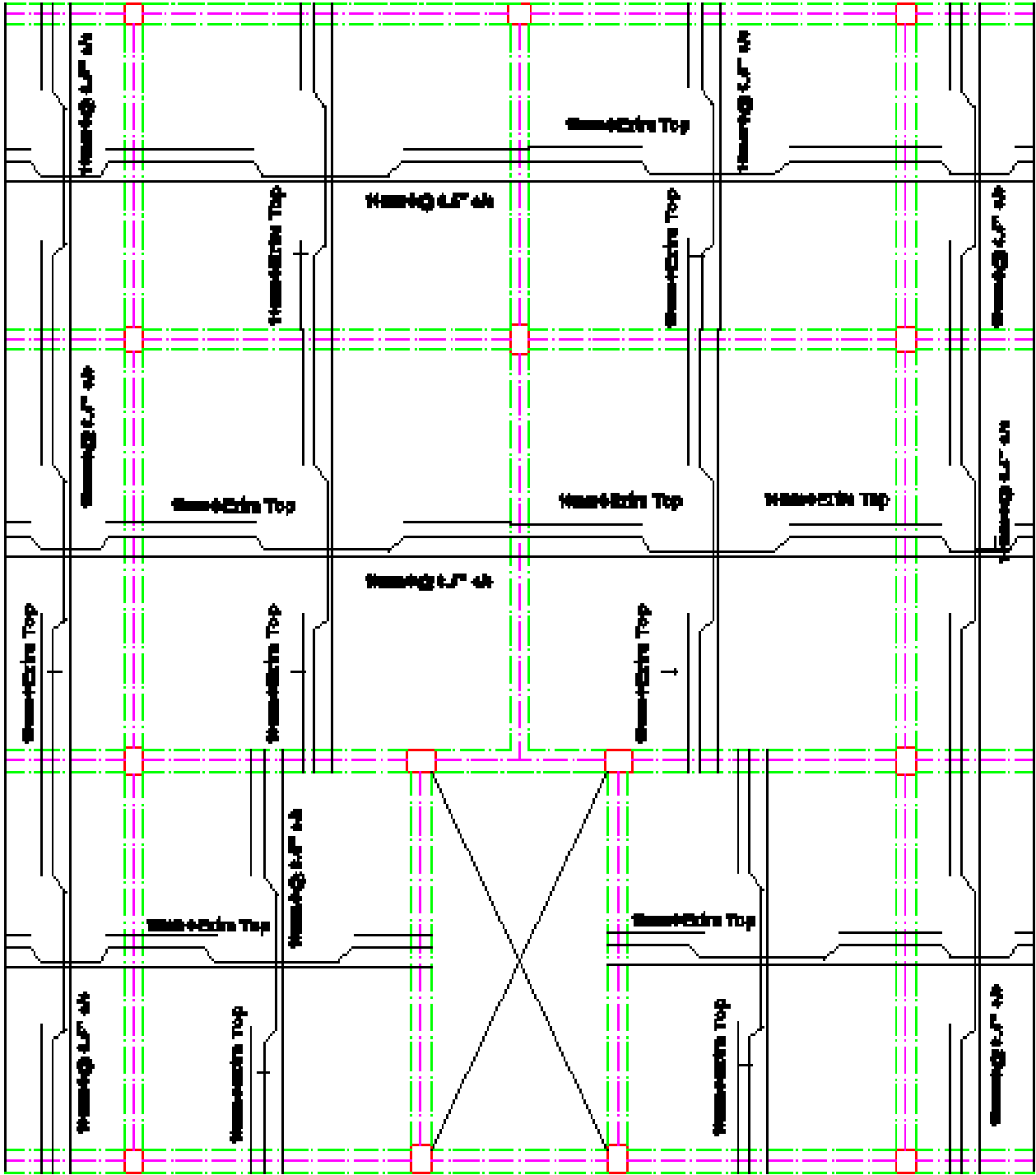
GROUP NO - 05



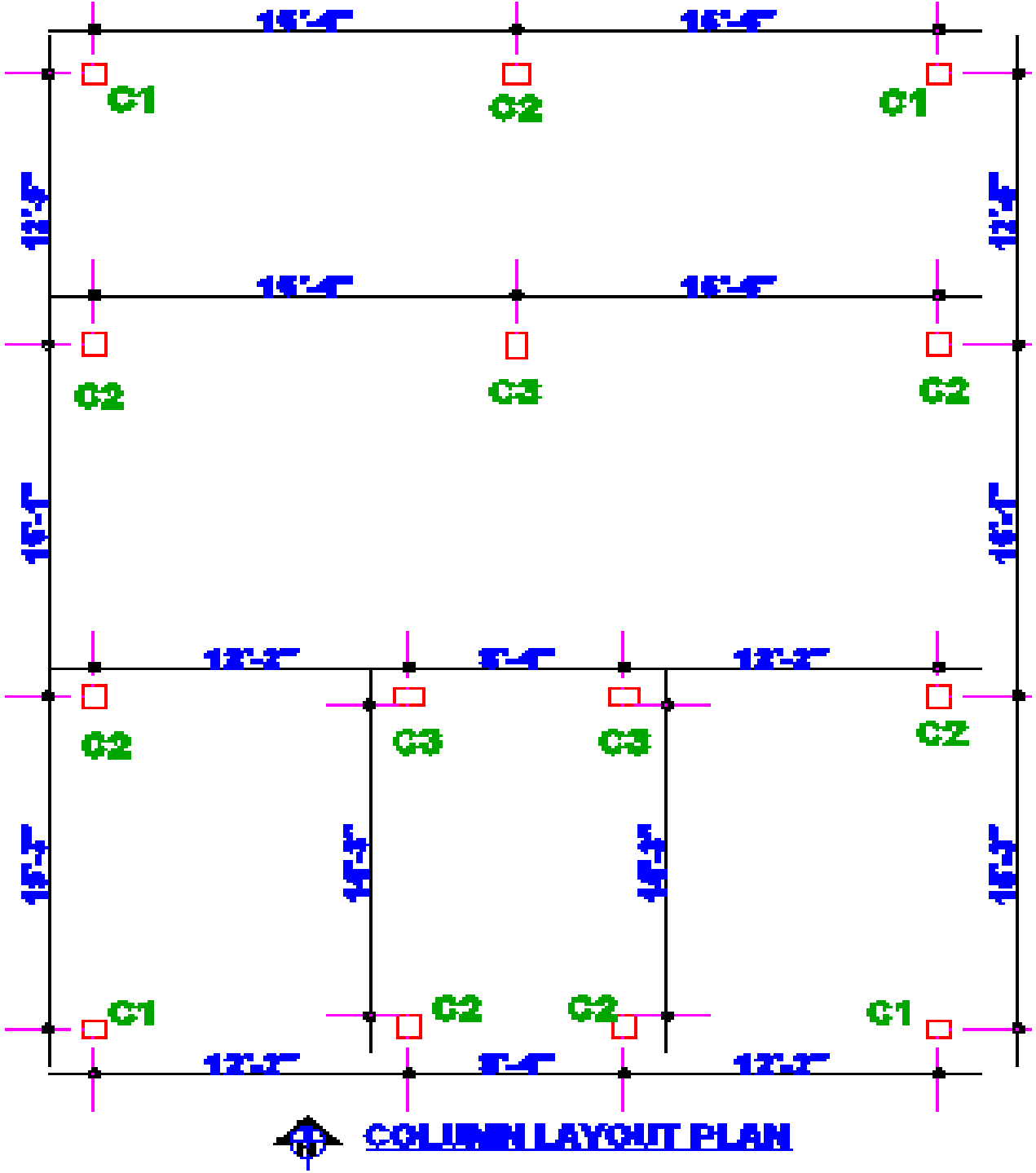
ELEVATION



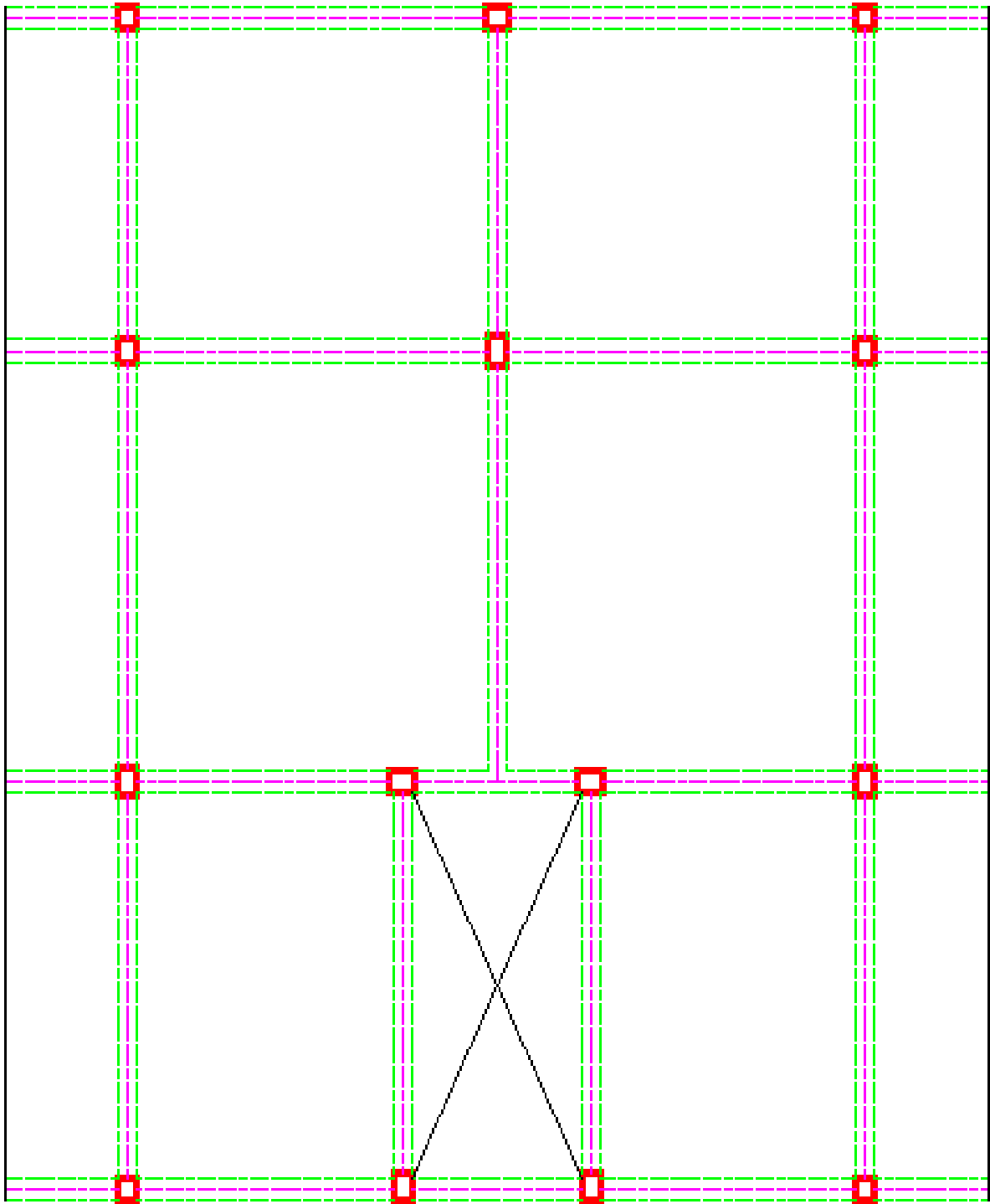
SECTION OF PLAN



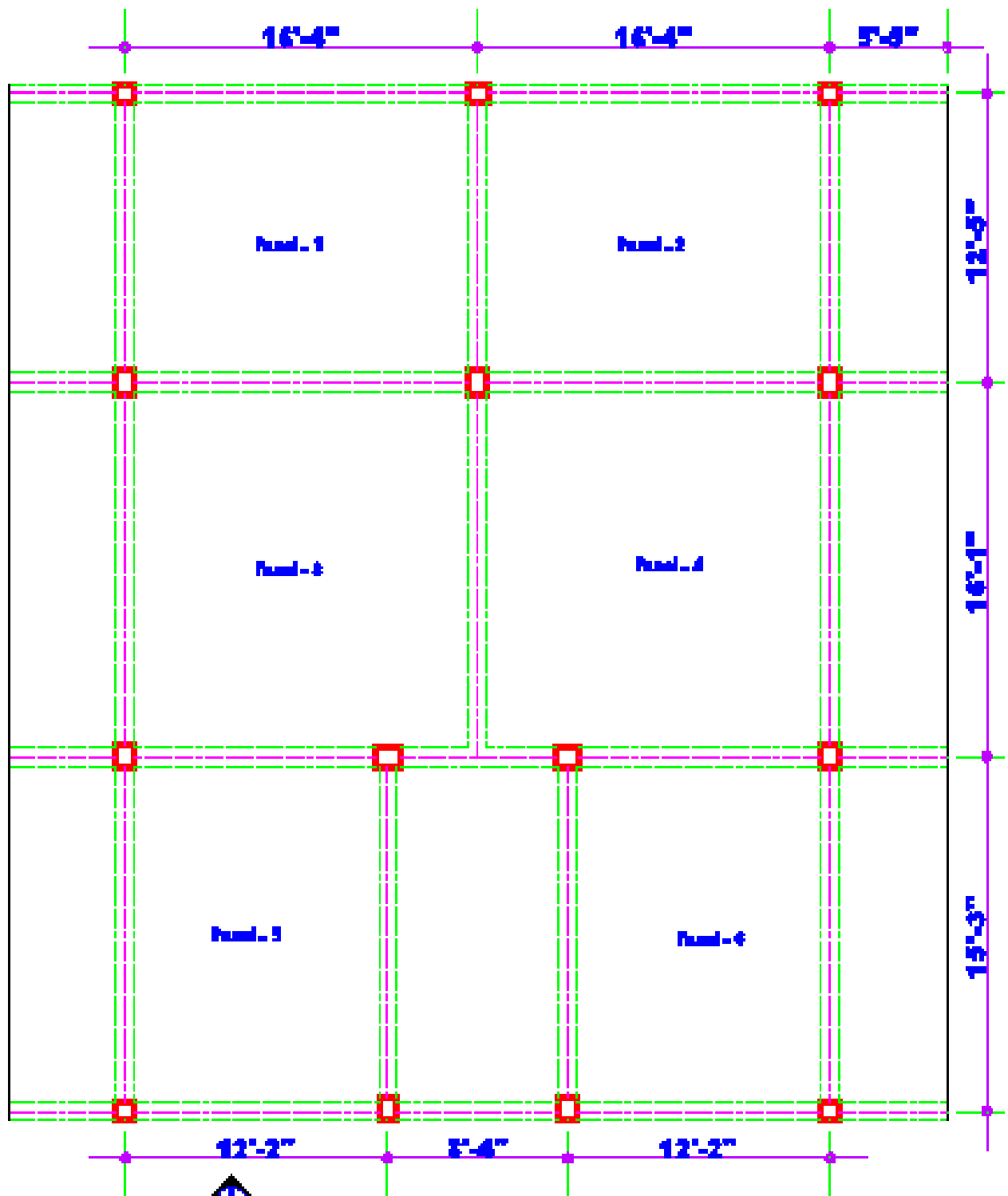
Slab Reinforcement Plan



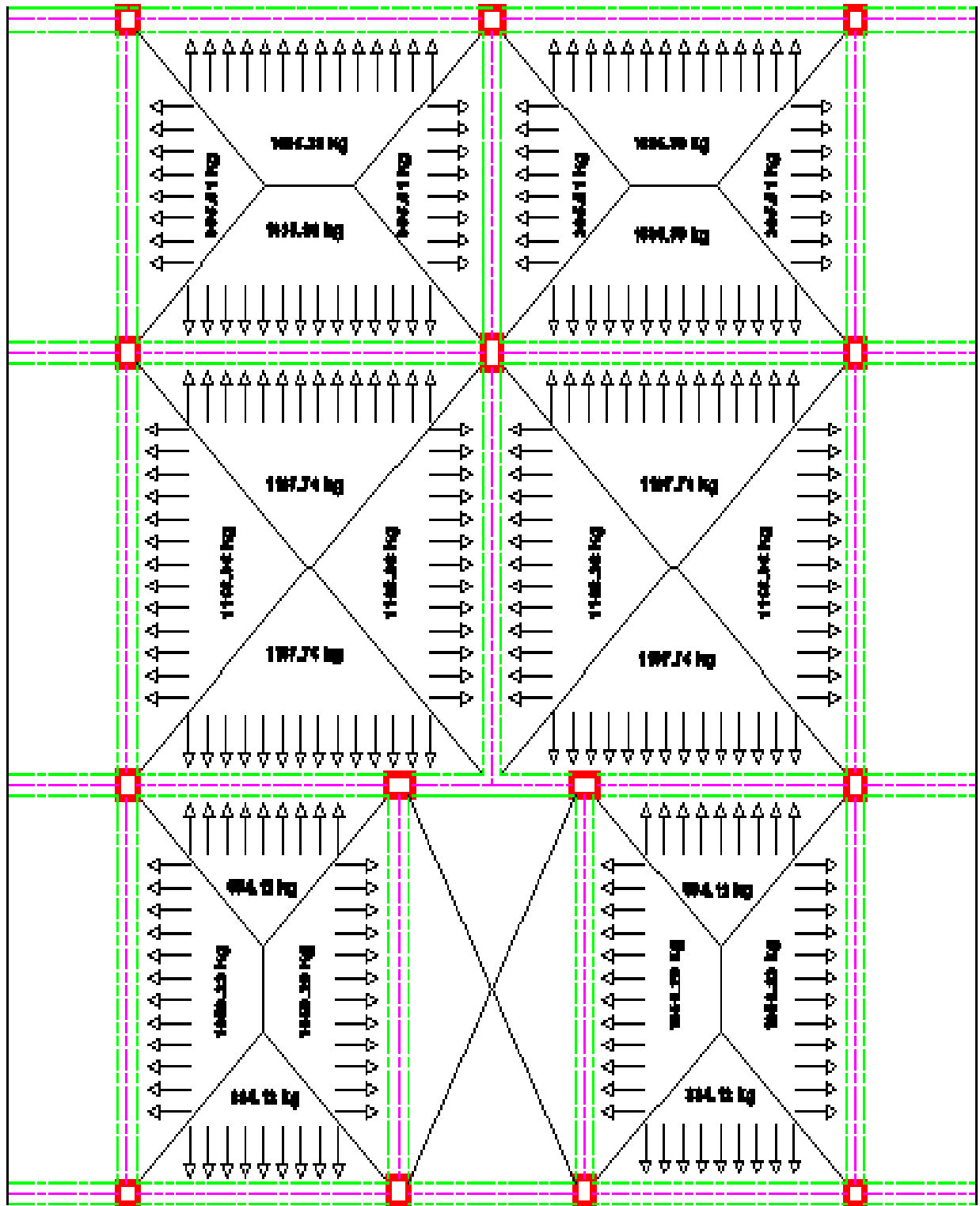
COLUMN LAYOUT PLAN



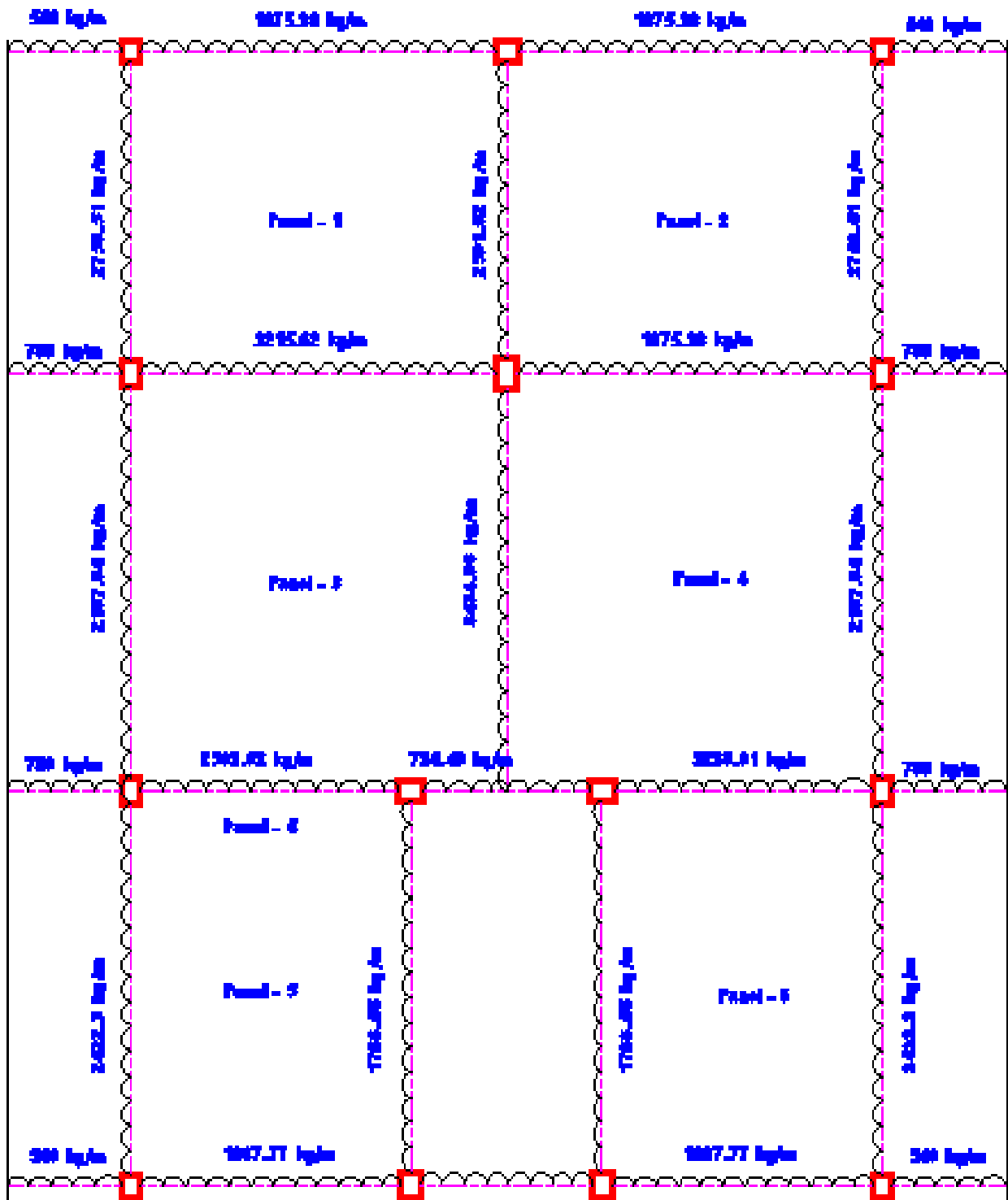
BEAM LAYOUT PLAN



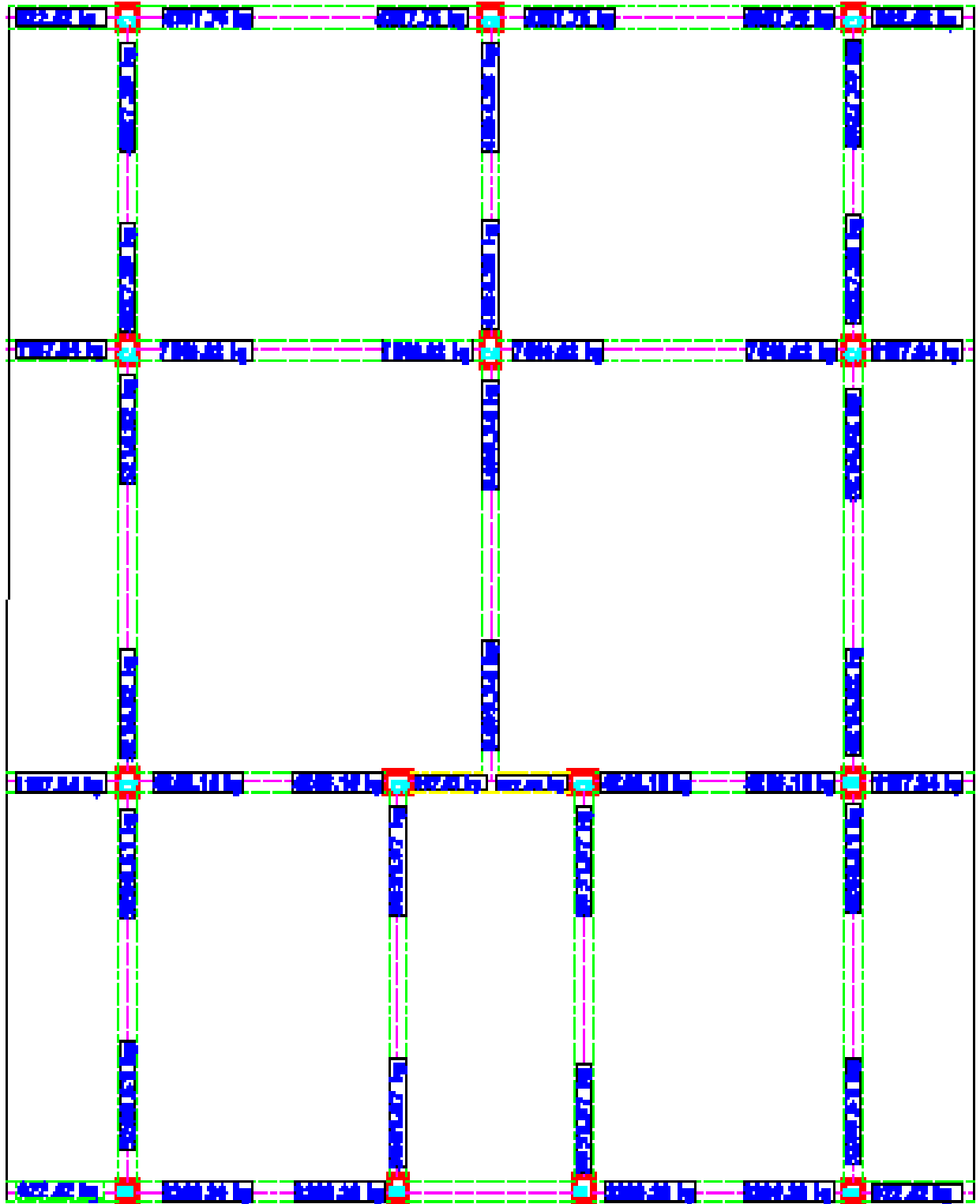
CLASSIFICATION OF PANEL SLAB



PANEL LOAD DISTRIBUTION SYSTEM

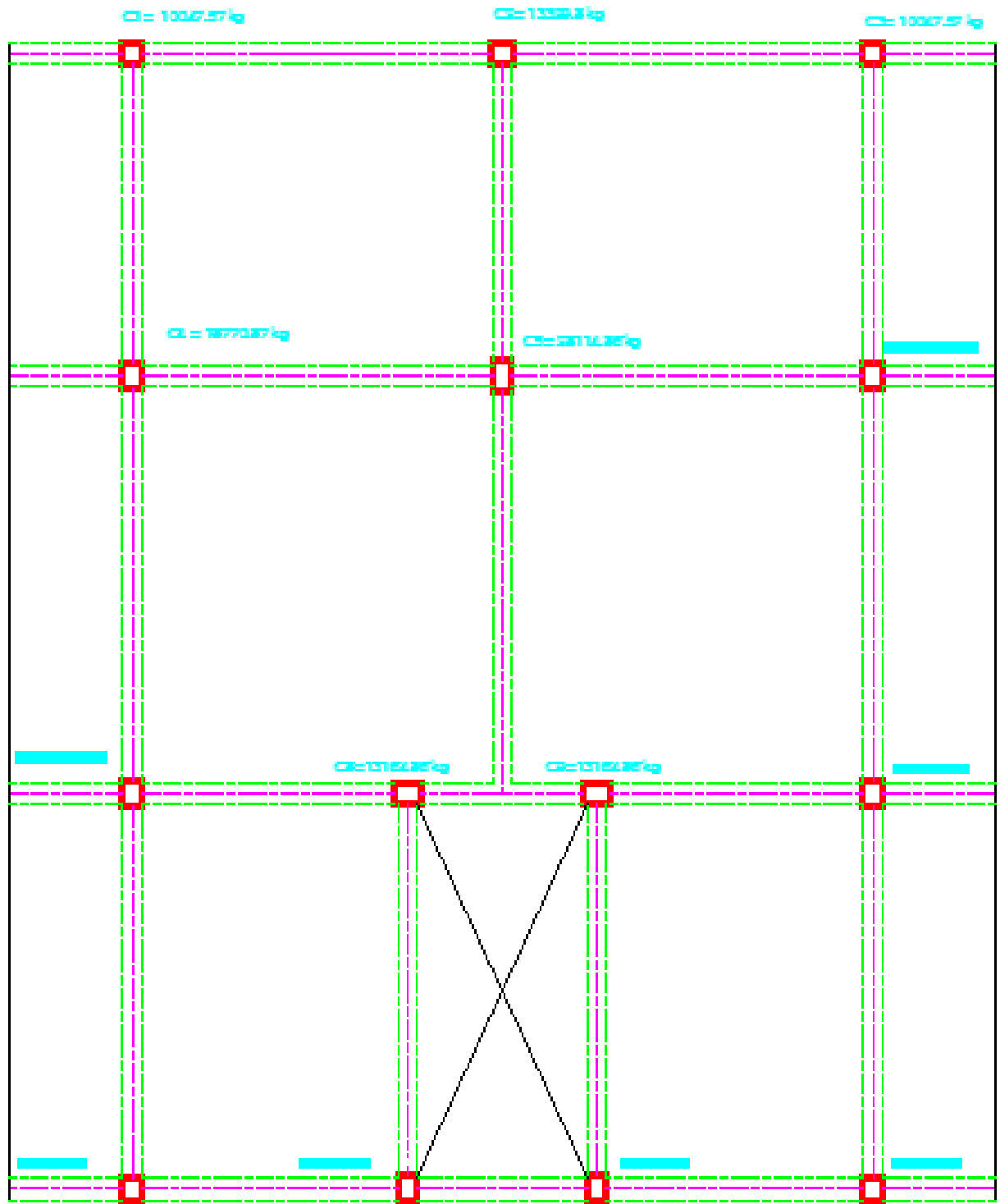



SUPER IMPOSED LOAD ON BEAM

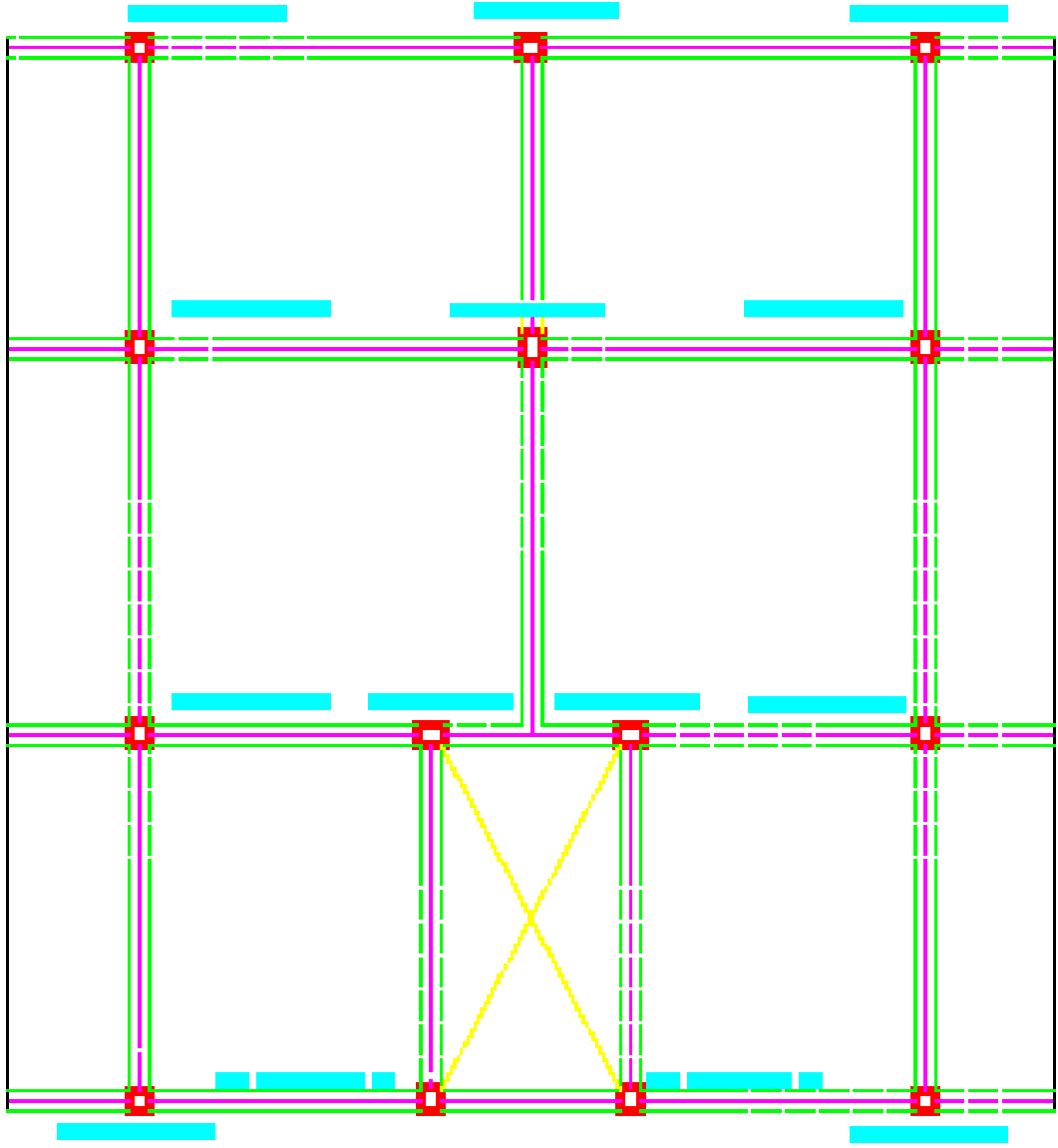


LOAD ON COLUMN



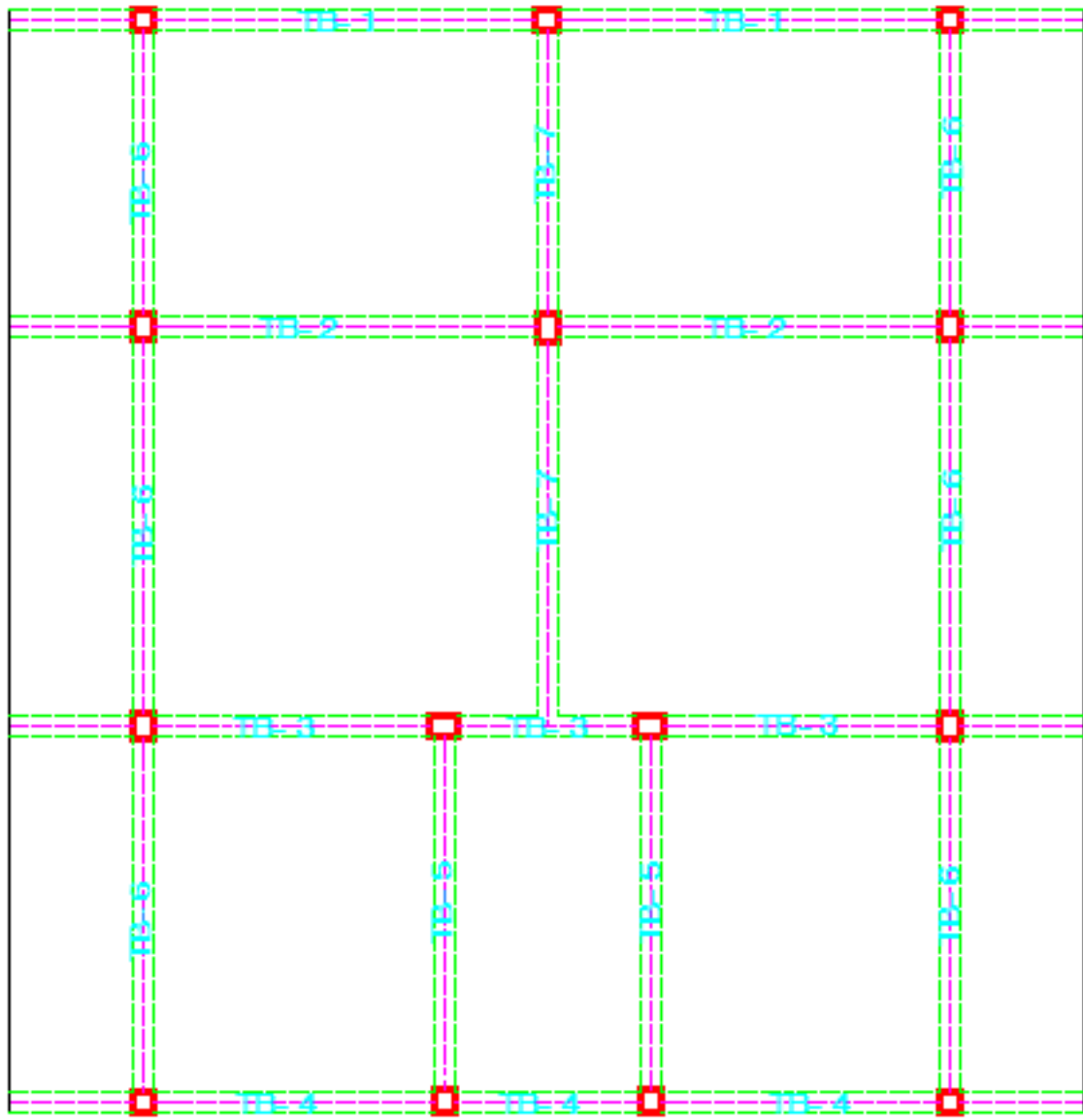



 **LOAD ON COLUMN**



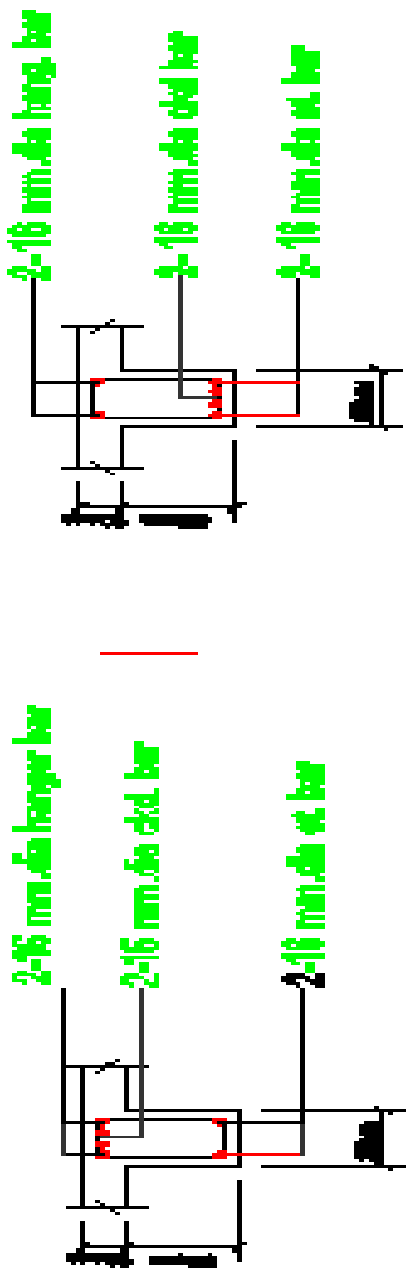
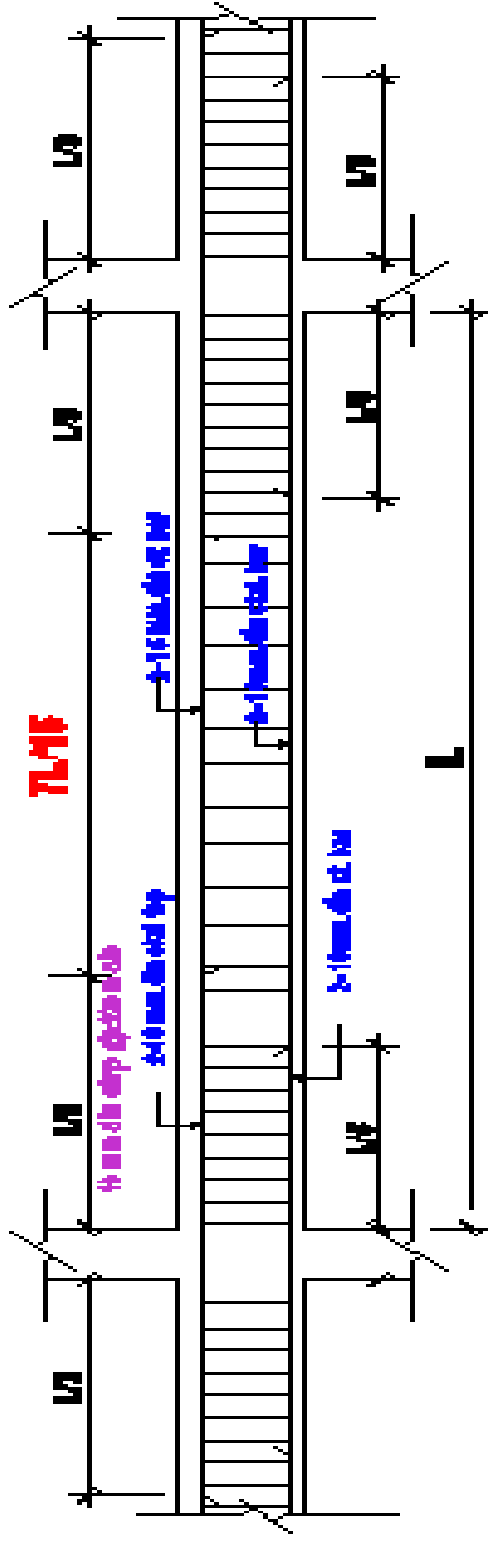
GROUPING OF COLUMN





 classification of T-Beam



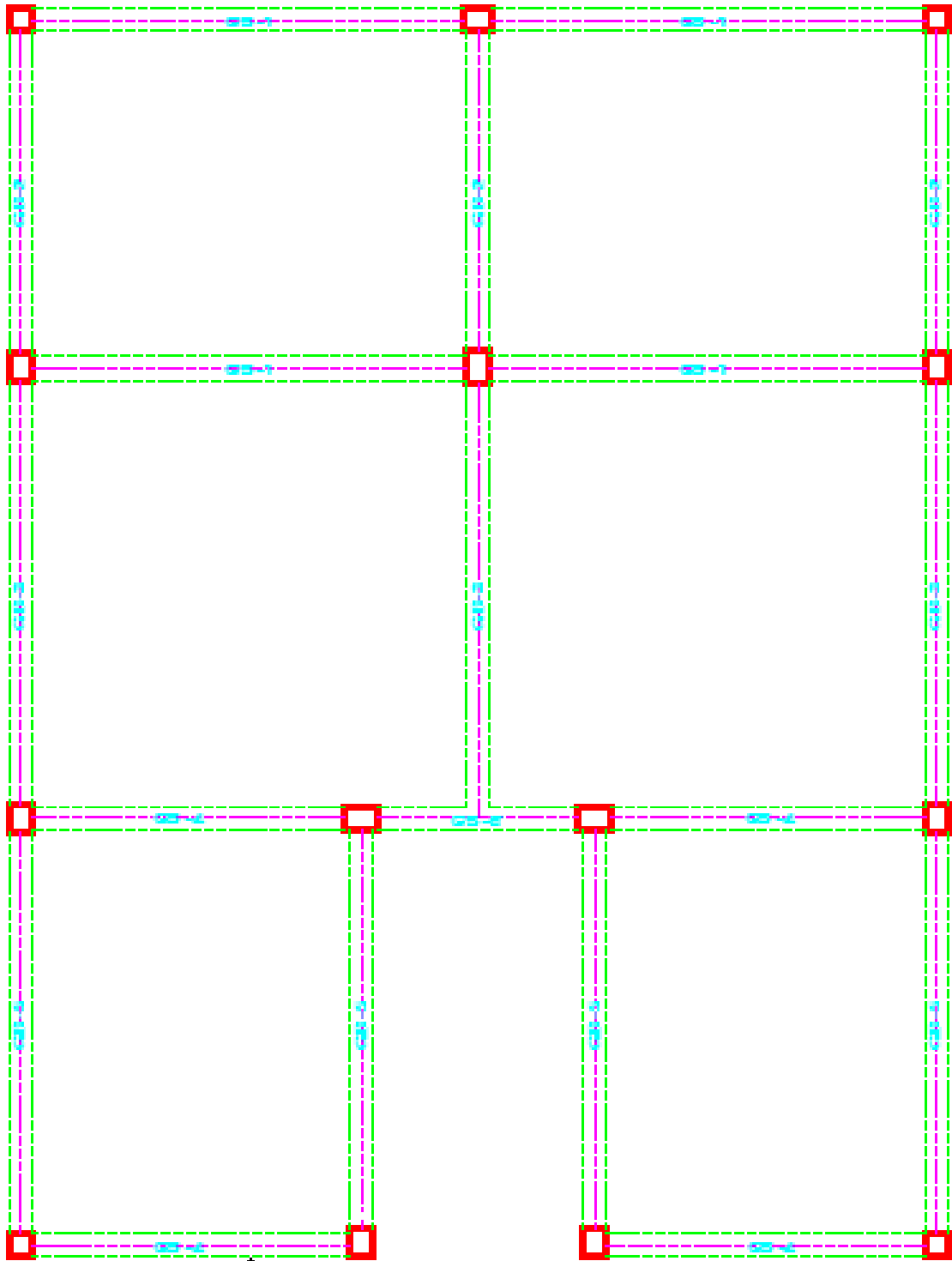


800. 0.000

TB-1

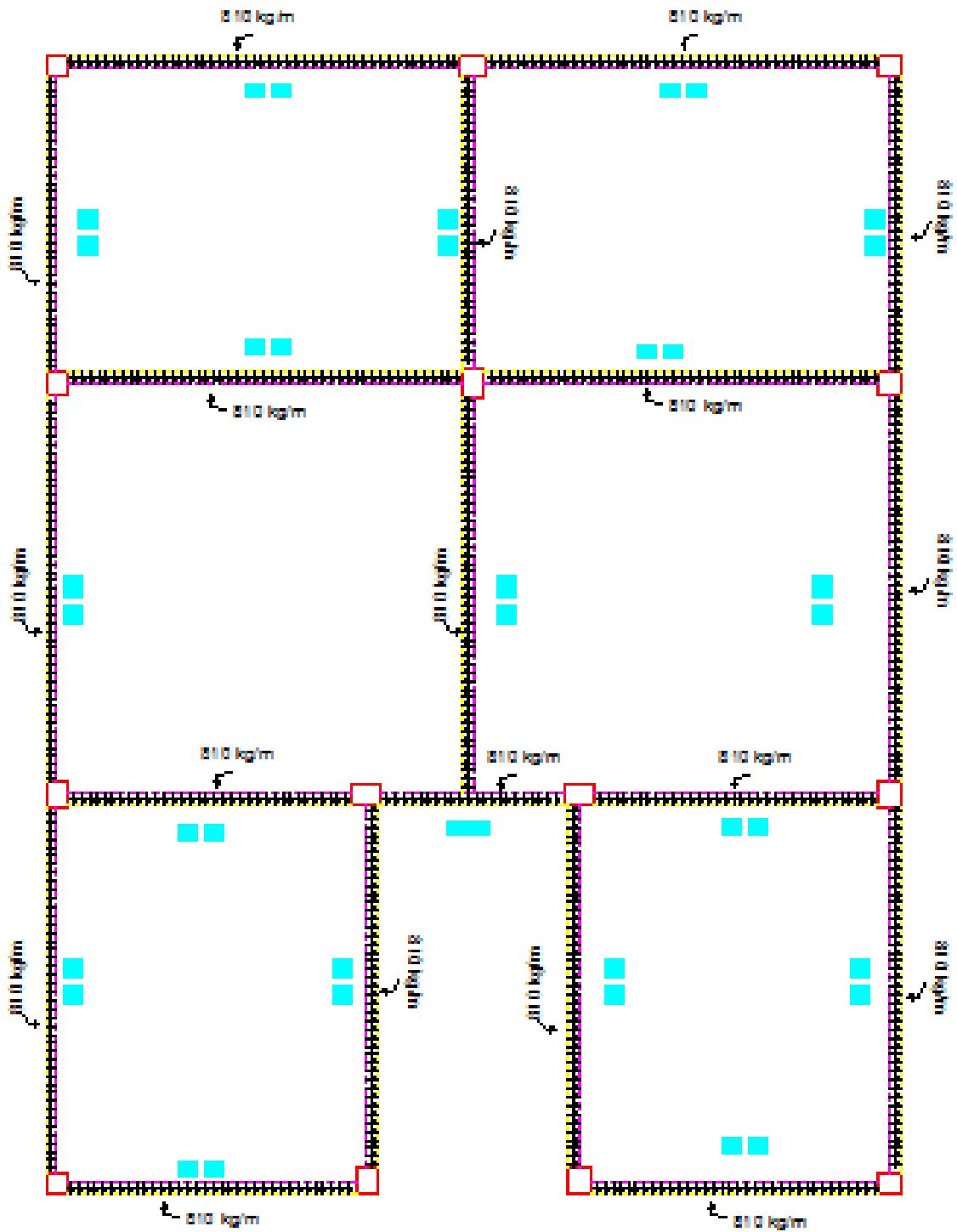
800. 0.000

Reinforcement Details Of T-Beam



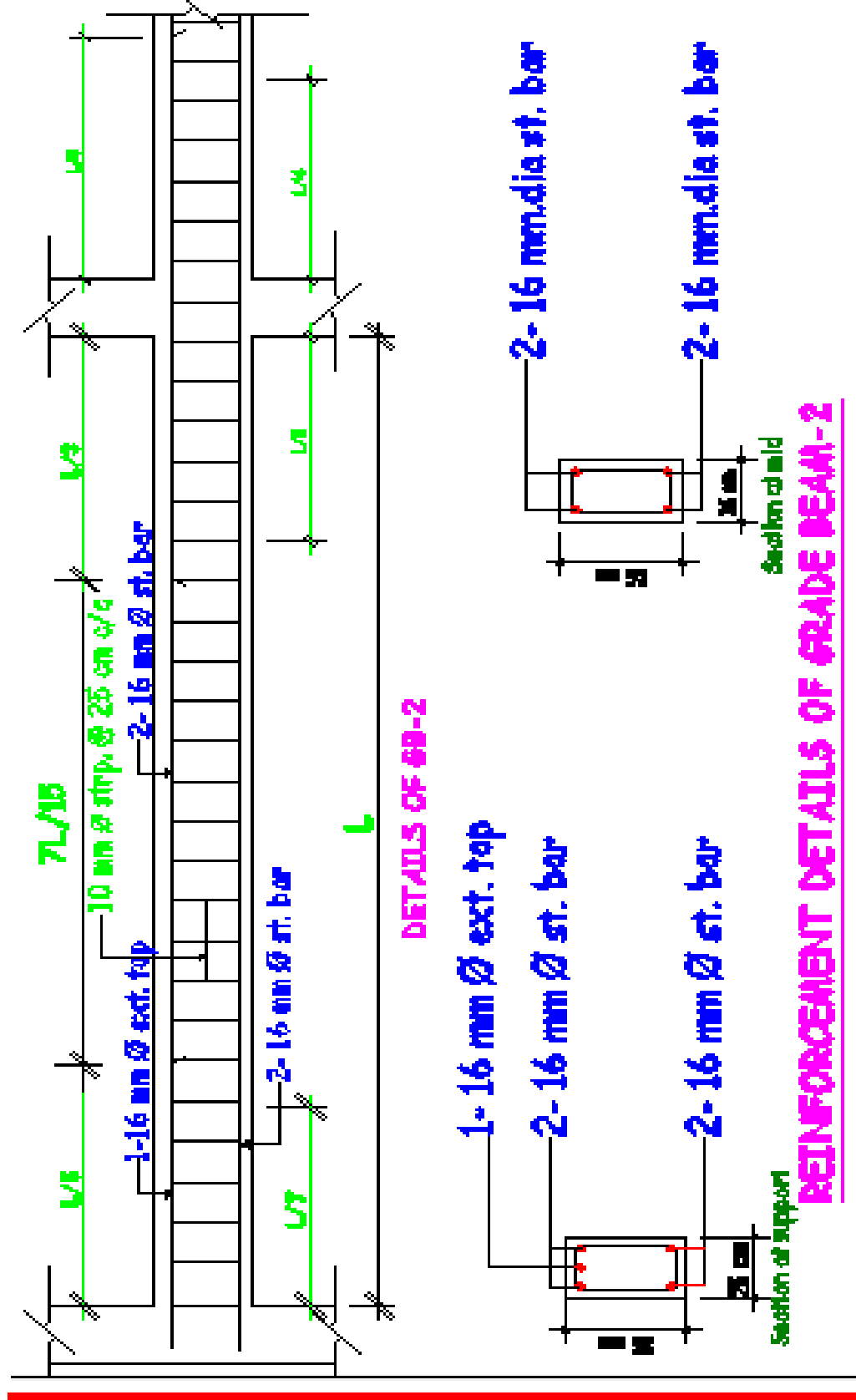
GRADE BEAM LAYOUT



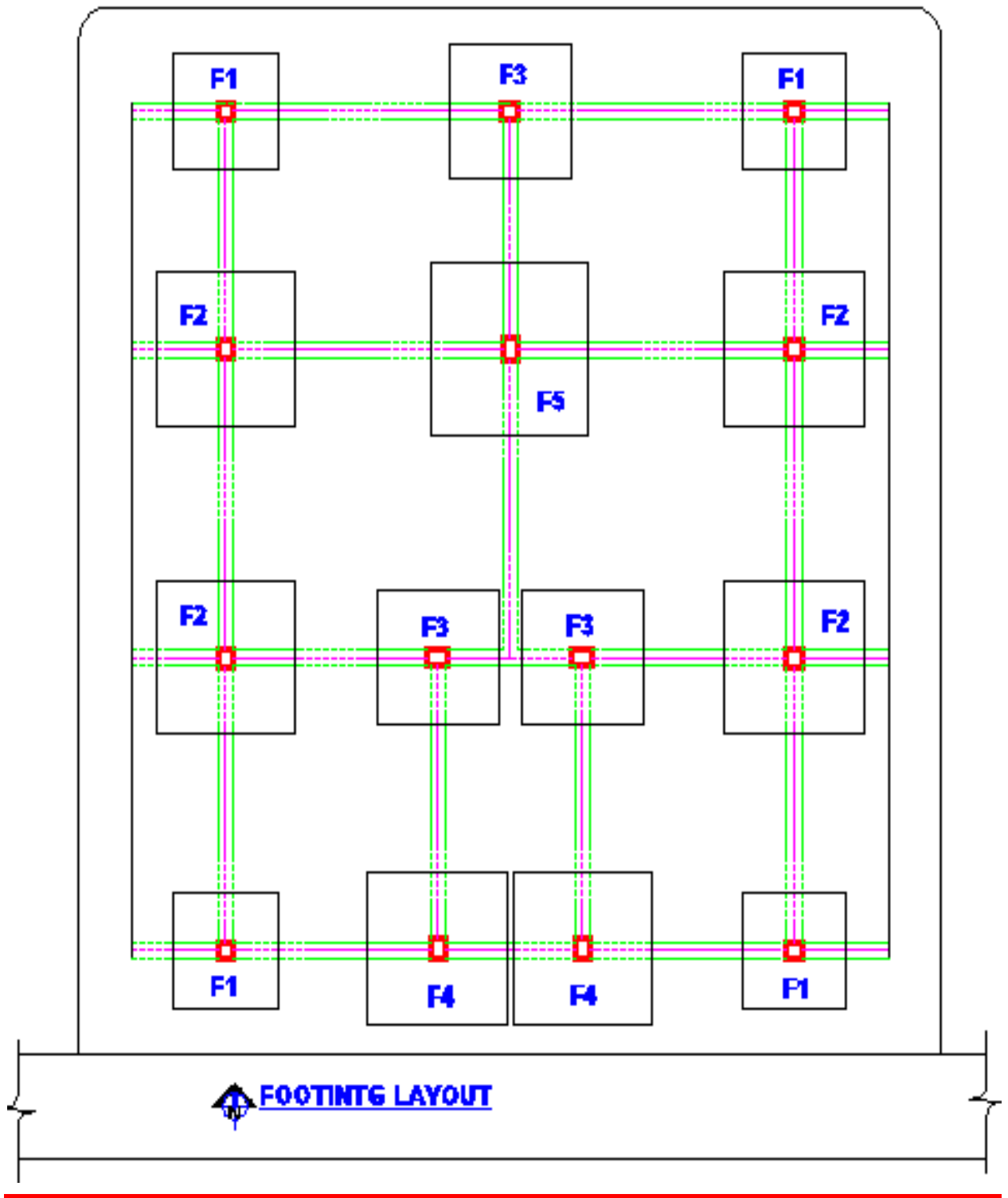


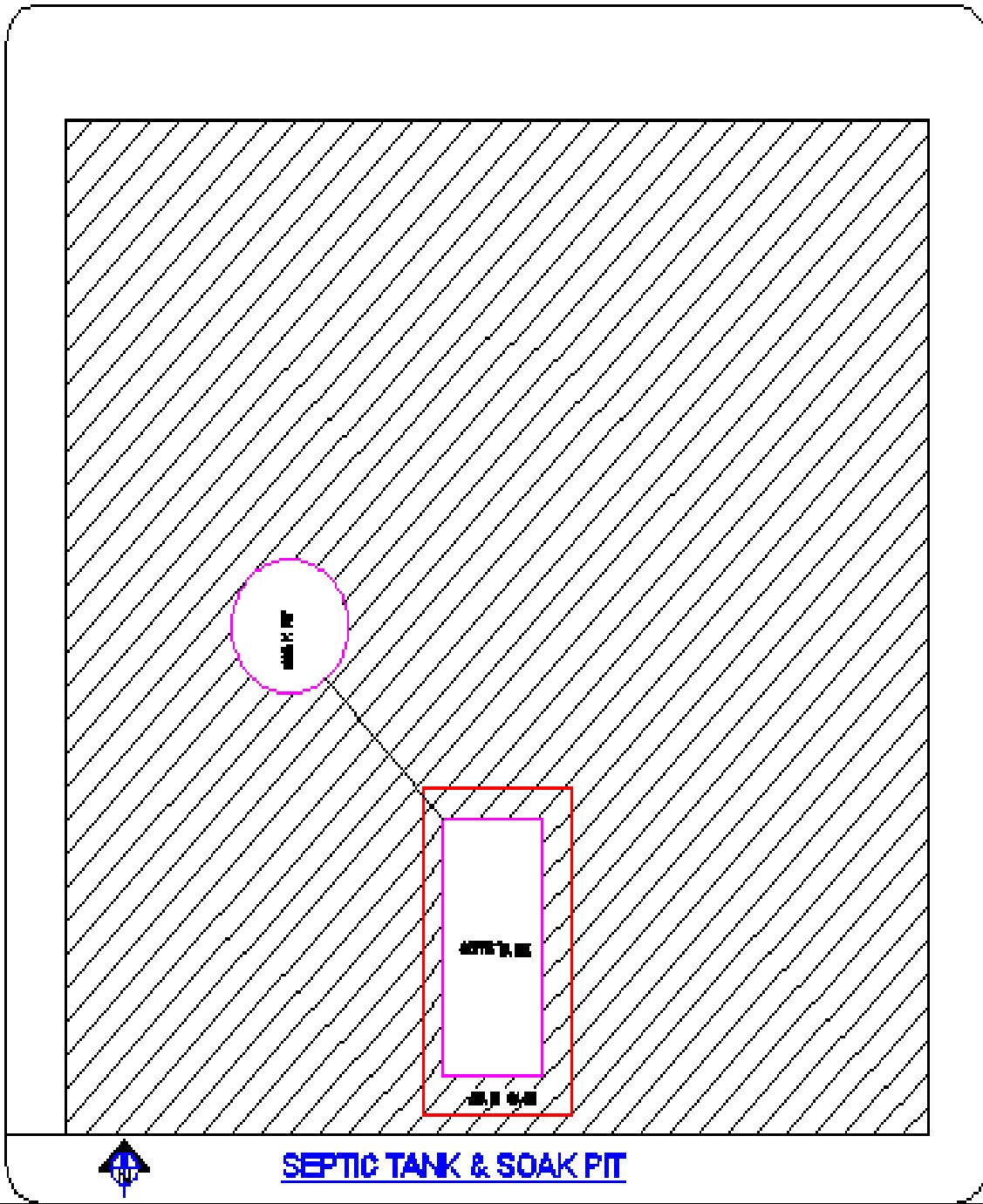
SUPER IMPOSED LOAD ON GRADE BEAM





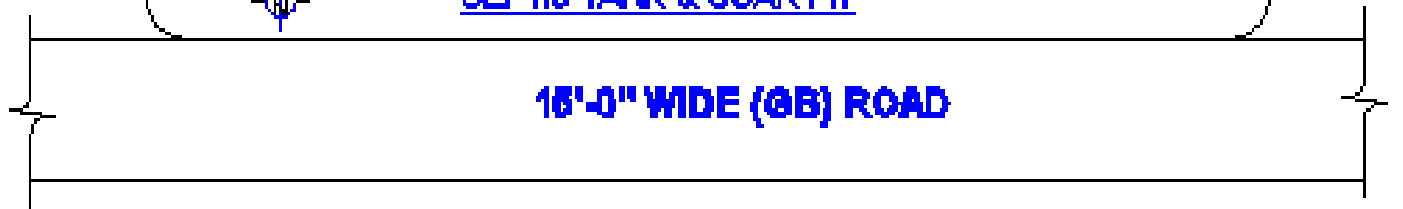
REINFORCEMENT DETAILS OF GRADE BEAM-2

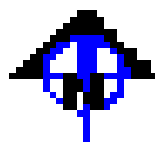
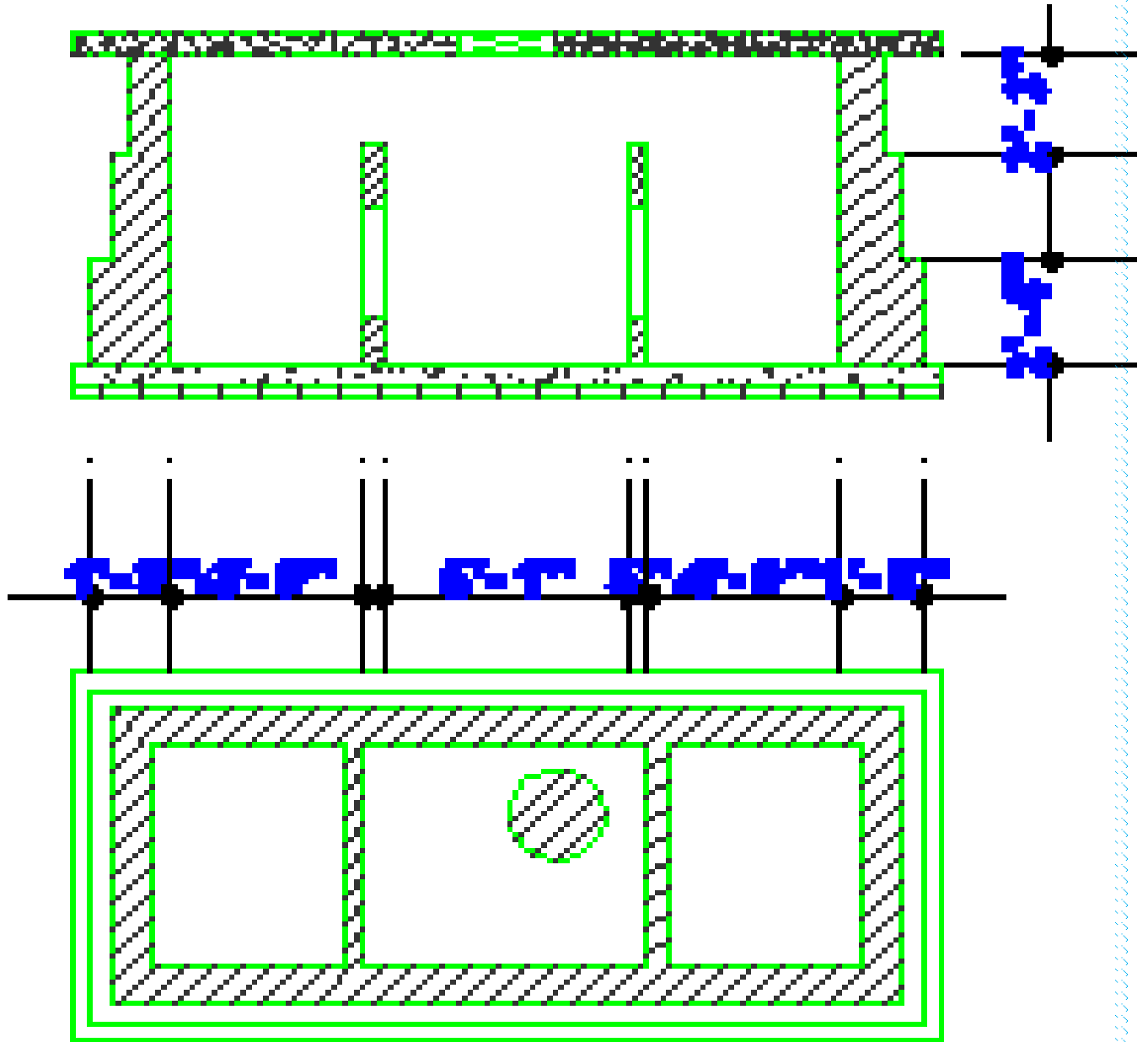




SEPTIC TANK & SOAK PIT

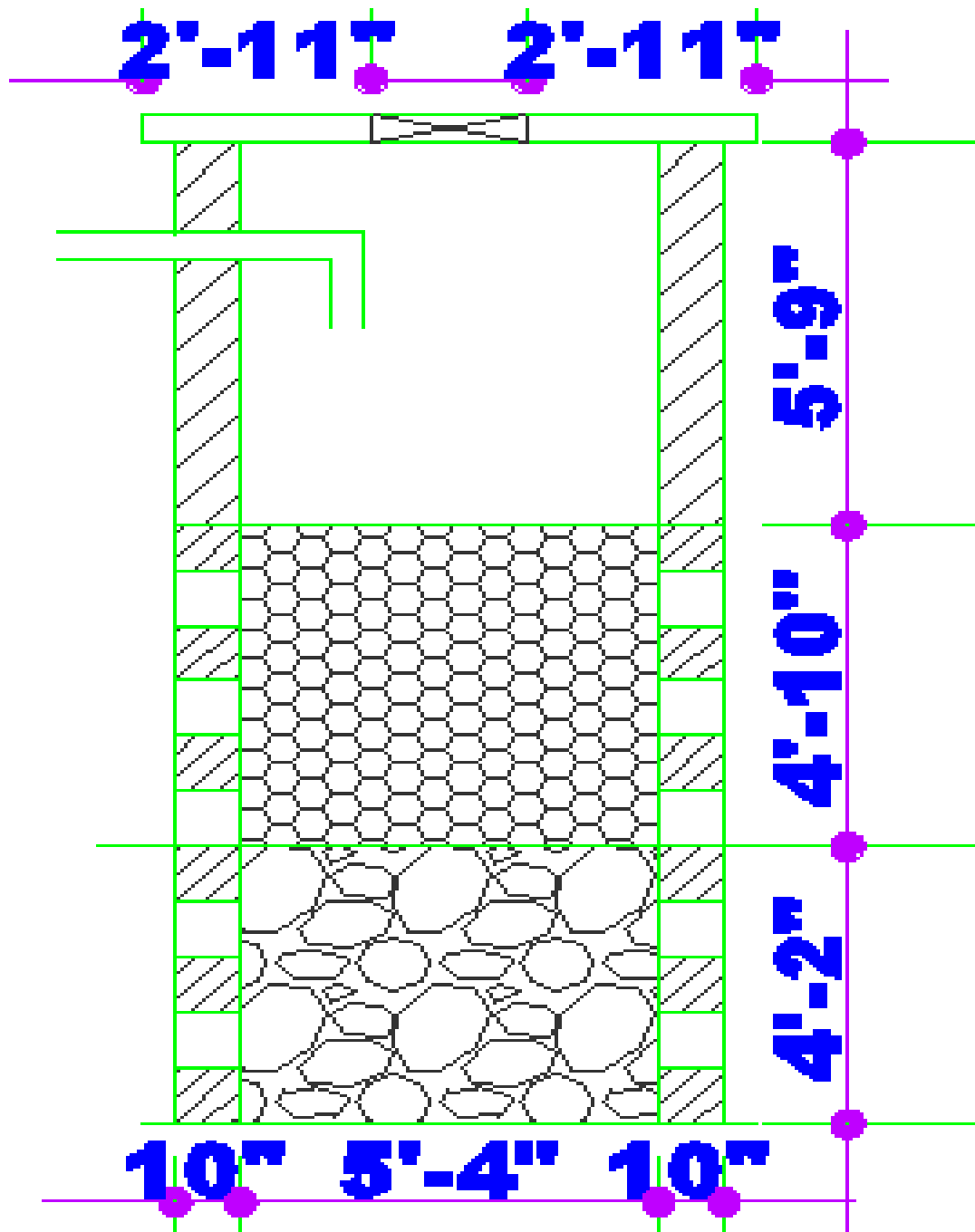
15'-0" WIDE (ØB) ROAD



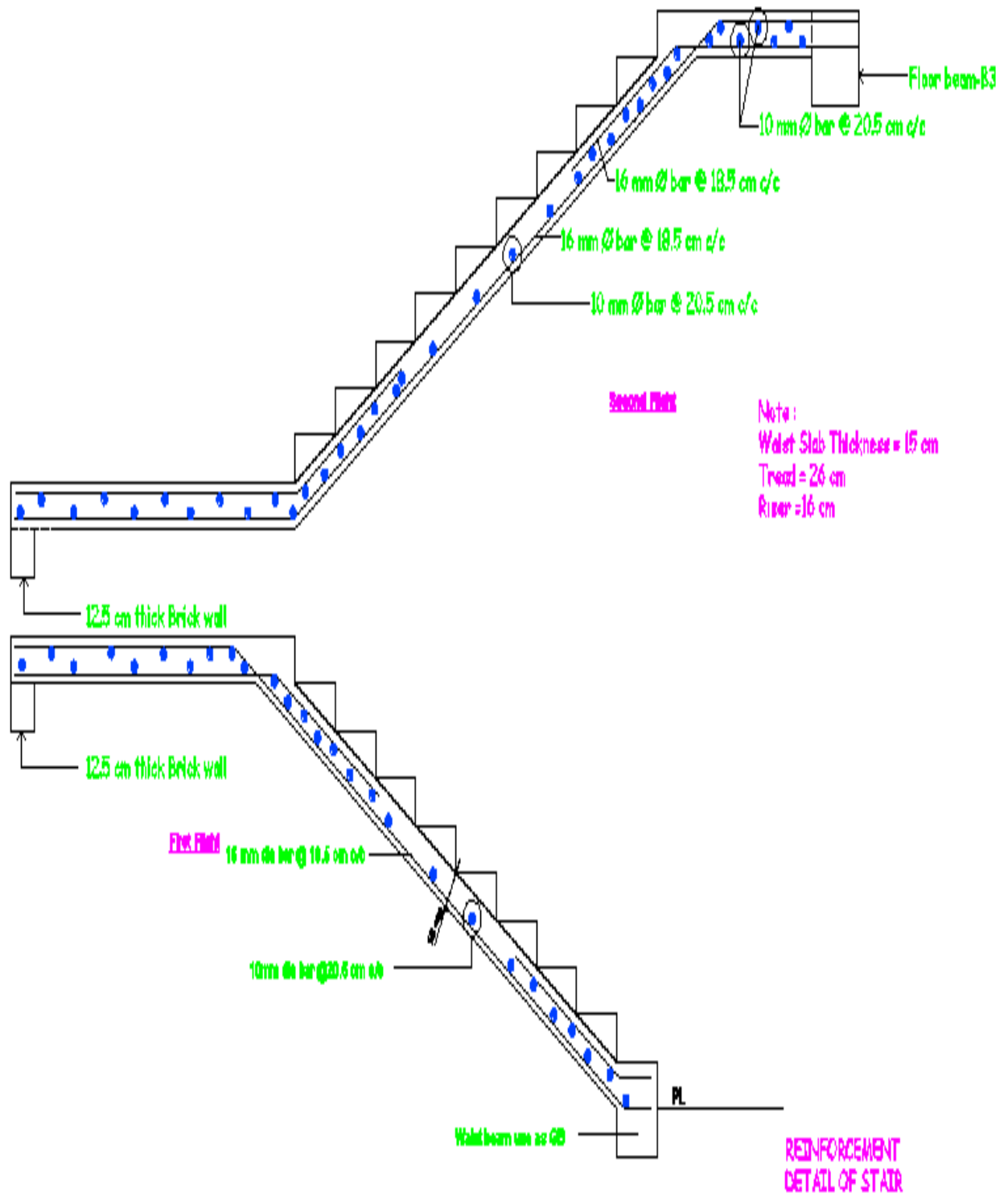


SEPTIC TANK DESIGN





SOAK PIT DESIGN



STAIR SLAB DESIGN

Design part

Panel Design

Panel-1 Design

**Given Data

$$f_y = 5075 \text{ kg/cm}^2$$

$$f_s = 1687 \text{ kg/cm}^2$$

$$f_c = 94.5 \text{ kg/cm}^2$$

$$f'_c = 210 \text{ kg/cm}^2$$

$$n = 10$$

$$\text{Live load} = 300 \text{ kg/m}^2$$

$$\text{Floor Finish} = 100 \text{ kg/m}^2$$

$$\text{Suspended Ceiling} = 25 \text{ kg/m}^2$$

$$\text{Unit weight of concrete} = 2400 \text{ kg/m}^3$$

$$\text{Unit weight of Brick} = 1920 \text{ kg/m}^3$$

$$\text{Slab thickness} = 12 \text{ cm}$$

Step:-1

Load Calculation-w

Assume Slab thickness, $t = 12 \text{ cm}$

Consider 1m strip.

$$\text{Self wt. Of slab} = 1 \times \frac{12}{100} \times 2400 = 288 \text{ kg/m}$$

$$\text{Live load} = 1 \times 300 = 300 \text{ kg/m}$$

$$\text{Floor finish} = 1 \times 100 = 100 \text{ kg/m}$$

$$\text{Suspended ceiling} = 1 \times 25 = 25 \text{ kg/m}$$

$$W = 713 \text{ kg/m}$$

Step:-2

Maximum Vertical Shear Force- V

Here,

$$\frac{S}{L} = \frac{3.81}{5} = 0.762$$

a) For Short Span

$$V_1 = \frac{ws}{3} \times \frac{3-m^2}{2}$$

$$= \frac{713 \times 3.81}{3} \times \frac{3 - 0.762^2}{2}$$

$$= 1095.38 \text{ Kg}$$

b) For Long Span

$$V2 = \frac{ws}{3}$$

$$= \frac{613 \times 3.81}{3}$$

$$= 905.51 \text{ Kg}$$

Step:-3

Maximum B.M- M (case-III)

a) For Short Span

1) (-)ve bending moment at cont. Edge = $cws^2 \times 100$

$$= 0.055 \times 713 \times (4.98)^2 \times 100$$

$$= 94256.40 \text{ Kg-cm}$$

$$C = 0.062$$

2) (-)ve bending moment at discont. Edge = $cws^2 \times 100$

$$= 0.031 \times 613 \times (4.98)^2 \times 100$$

$$= 47128.20 \text{ Kg-cm}$$

$$C = 0.031$$

3) (+)ve bending moment at mid span = $cws^2 \times 100$

$$= 0.047 \times 613 \times (4.98)^2 \times 100$$

$$= 71452.43 \text{ Kg-cm}$$

$$C = 0.047$$

b) For Long Span

1) (-)ve bending moment at cont. Edge = $cws^2 \times 100$

$$= 0.041 \times 613 \times (4.98)^2 \times 100$$

$$= 62330.85 \text{ Kg-cm}$$

$$C = 0.041$$

2) (-)ve bending moment at discont. Edge = $cws^2 \times 100$

$$= 0.021 \times 613 \times (4.98)^2 \times 100$$

$$= 31925.55 \text{ Kg-cm}$$

$$C = 0.021$$

3) (+)ve bending moment at mid span = $cws^2 \times 100$

$$= 0.031 \times 613 \times (4.98)^2 \times 100$$

$$= 47128.20 \text{ Kg-cm}$$

$$C=0.031$$

Step:-4

Effective depth-d

a) For Short Span – ds

$$ds = \frac{\sqrt{Ms(max)}}{Rb}$$

$$= \frac{\sqrt{94256.40}}{14.93 \times 100}$$

$$= 7.95 \text{ cm}$$

Using 12mm ϕ bar and 2 cm clear cover .

$$\text{Total depth} = 7.95 + 2 + \frac{1.2}{2} = 10.55 \text{ cm.} < 12 \text{ cm.}$$

$$R = .5 \times 94.5 \times .88 \times .359$$

Hence ok

Acceptable total depth = 12 cm.

$$\text{Actual effective depth} = (12 - 2 - \frac{1.2}{2}) \text{ cm.}$$

$$= 9.4 \text{ cm.}$$

a) For Long Span – dL

$$dL = \frac{\sqrt{ML(max)}}{Rb}$$

$$= \frac{\sqrt{62330.85}}{14.93 \times 100}$$

$$= 6.46 \text{ cm.}$$

Using 12mm ϕ bar and 2 cm clear cover . The total cover = 2+1.2+.6= 3.8 cm.

$$R = .5 \times 94.5 \times .88 \times .359$$

$$\text{Total depth} = 6.46 + 3.8 = 10.26 \text{ cm.} < 12 \text{ cm.}$$

$$k = \frac{n}{n + \frac{fs}{fc}}$$

$$= \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$j = 1 - \frac{0.359}{3}$$

$$= 0.88$$

$$= 14.93$$

$$k = \frac{n}{n + \frac{fs}{fc}}$$

$$k = \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$J = 1 - \frac{0.359}{3}$$

$$= 0.88$$

$$= 14.93$$

Hence ok

Acceptable total depth = 12 cm.

Actual effective depth = $(12 - 1.2 \cdot \frac{1.2}{2})$ cm.

= 8.2 cm.

Step:-5

Area of tensile steel – A_s

a) For Short Span

$$\begin{aligned} 1) \text{ (-)ve } A_s \text{ for cont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{94256.40}{1687 \times 0.88 \times 9.4} \\ &= 6.75 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 x a_s}{A_s} = \frac{100 \times 1.13}{6.75} = 16.74 \text{ cm c/c.}$$

$$\begin{aligned} 2) \text{ (-)ve } A_s \text{ for discont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{47128.20}{1687 \times 0.88 \times 9.4} \\ &= 3.377 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 x a_s}{A_s} = \frac{100 \times 1.13}{3.377} = 33 \text{ cm c/c.}$$

Maximum Spacing = $3t = 3 \times 12 = 36$ cm.

$$\begin{aligned} 3) \text{ (-)ve } A_s \text{ mid span} &= \frac{M}{f_s j d} \\ &= \frac{71452.43}{1687 \times 0.88 \times 9.4} \\ &= 5.12 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 x a_s}{A_s} = \frac{100 \times 1.13}{5.12} = 22.07 \text{ cm c/c.}$$

Maximum Spacing = $3t = 3 \times 12 = 36$ cm.

b) For Long Span

$$\begin{aligned} 1) \text{ (-)ve } A_s \text{ for cont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{62330.85}{1687 \times 0.88 \times 8.2} \\ &= 5.12 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{As} = \frac{100x1.13}{5.12} = 22.07 \text{ cm c/c.}$$

$$\begin{aligned} 2) \text{ (-)ve } A_s \text{ for discont. Edge} &= \frac{M}{fsjd} \\ &= \frac{31925.55}{1687x.88x8.2} \\ &= 2.62 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{As} = \frac{100x1.13}{2.62} = 44.84 \cong 43.13 \text{ cm c/c.}$$

$$\text{Maximum Spacing} = 3t = 3x12 = 36 \text{ cm}$$

$$\begin{aligned} 3) \text{ (-)ve } A_s \text{ for mid span} &= \frac{M}{fsjd} \\ &= \frac{47128.20}{1687x.88x8.2} \\ &= 3.05 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{As} = \frac{100x1.13}{3.05} = 37.05 \cong 33.5 \text{ cm c/c.}$$

Step:-6

Check for shear stress- v

$$\begin{aligned} v_c &= .292\sqrt{f'c} \\ &= .292\sqrt{210} \\ &= 4.23 \text{ kg/ cm}^2. \end{aligned}$$

a) For Short Span,

$$\begin{aligned} V_1 &= \frac{V}{bd} \\ &= \frac{1233.27}{100x9.4} \\ &= 1.31 \text{ kg/ cm}^2 < 4.23 \text{ kg/ cm}^2. \end{aligned}$$

Hence ok

b) For Long Span,

$$\begin{aligned} V_2 &= \frac{V}{bd} \\ &= \frac{1017.58}{100x8.2} \\ &= 1.24 \text{ kg/ cm}^2 < 4.23 \text{ kg/ cm}^2. \end{aligned}$$

Hence ok

Step:-7

Check for bond stress – u

$$U_{all} = \frac{3.23x\sqrt{f'c}}{1.2}$$

$$= \frac{3.23x\sqrt{210}}{1.2}$$

$$= 39.005 \text{ kg/cm}^2.$$

a) For Short Span,

$$u = \frac{V}{\epsilon_o j d}$$

$$= \frac{1233.27}{8.87x.88x9.4}$$

$$= 16.81 \text{ kg/cm}^2 < 39.005 \text{ kg/cm}^2.$$

Hence ok

$$\epsilon_o = N\phi\pi$$

$$= \frac{100}{42.5} x 1.2x\pi$$

$$= 8.87$$

b) For Long Span,

$$u = \frac{V}{\epsilon_o j d}$$

$$= \frac{1017.58}{8.47x.88x8.2}$$

$$= 16.65 \text{ kg/cm}^2 < 39.005 \text{ kg/cm}^2.$$

Hence ok

$$\epsilon_o = N\phi\pi$$

$$= \frac{100}{44.5} x 1.2x\pi$$

Panel-2 Design

**Given Data

$$f_y = 5075 \text{ kg/cm}^2$$

$$f_s = 1687 \text{ kg/cm}^2$$

$$f_c = 94.5 \text{ kg/cm}^2$$

$$f'_c = 210 \text{ kg/cm}^2$$

$$n = 10$$

$$\text{Live load} = 200 \text{ kg/m}^2$$

$$\text{Floor Finish} = 100 \text{ kg/m}^2$$

$$\text{Suspended Ceiling} = 25 \text{ kg/m}^2$$

$$\text{Unit weight of concrete} = 2400 \text{ kg/m}^3$$

$$\text{Unit weight of Brick} = 1920 \text{ kg/m}^3$$

$$\text{Slab thickness} = 12 \text{ cm}$$

Step:-1

Load Calculation-w

Assume Slab thickness, $t = 12 \text{ cm}$

Consider 1m strip.

$$\text{Self wt. Of slab} = 1 \times \frac{12}{100} \times 2400 = 288 \text{ kg/m}$$

$$\text{Live load} = 1 \times 200 = 200 \text{ kg/m}$$

$$\text{Floor finish} = 1 \times 100 = 100 \text{ kg/m}$$

$$\text{Suspended ceiling} = 1 \times 25 = 25 \text{ kg/m}$$

$$W = 613 \text{ kg/m}$$

Step:-2

Maximum Vertical Shear Force- V

Here,

$$\frac{S}{L} = \frac{3.71}{4.6} = 0.8$$

a) For Short Span

$$\begin{aligned} V_1 &= \frac{ws}{3} \times \frac{3-m^2}{2} \\ &= \frac{613 \times 3.71}{3} \times \frac{3-0.8^2}{2} \\ &= 894.52 \text{ Kg} \end{aligned}$$

b) For Long Span

$$\begin{aligned} V_2 &= \frac{ws}{3} \\ &= \frac{613 \times 3.71}{3} \\ &= 758.07 \text{ Kg} \end{aligned}$$

Step:-3

Maximum B.M- M (case-III)

a) For Short Span

1) (-)ve bending moment at cont. Edge = $cws^2 \times 100$

$$= 0.064 \times 613 \times (3.71)^2 \times 100$$

$$C = 0.064$$

$$= 53999.31 \text{ Kg-cm}$$

2) (-)ve bending moment at discont. Edge = $cws^2 \times 100$

$$= 0.032 \times 613 \times (3.71)^2 \times 100$$

$$C = 0.032$$

$$= 26999.65 \text{ Kg-cm}$$

3) (+)ve bending moment at mid span = $cws^2 \times 100$

$$= 0.018 \times 613 \times (3.71)^2 \times 100$$

$$C = 0.018$$

$$= 15187.30 \text{ Kg-cm}$$

b) For Long Span

1) (-)ve bending moment at cont. Edge = $cws^2 \times 100$

$$= 0.04 \times 613 \times (3.71)^2 \times 100$$

$$C = 0.04$$

$$= 33749.57 \text{ Kg-cm}$$

1) (-)ve bending moment at discont. Edge = $cws^2 \times 100$

$$= 0.025 \times 613 \times (3.71)^2 \times 100$$

$$C = 0.025$$

$$= 21093.48 \text{ Kg-cm}$$

2) (+)ve bending moment at mid span = $cws^2 \times 100$

$$= 0.037 \times 613 \times (3.71)^2 \times 100$$

$$C = 0.037$$

$$= 31218.35 \text{ Kg-cm}$$

Step:-3

Effective depth-d

a) For Short Span – ds

$$ds = \frac{\sqrt{Ms(max)}}{Rb}$$

$$= \frac{\sqrt{67978.01}}{14.93 \times 100}$$

$$= 6.75 \text{ cm}$$

Using 12mm ϕ bar and 2 cm clear cover . The total cover = $2 + \frac{1.2}{2}$ cm.

$$\text{Total depth} = 6.75 + 2 + \frac{1.2}{2} = 9.35 \text{ cm.} < 12 \text{ cm.}$$

$$R = .5 \times 94.5 \times .88 \times .359$$

Hence ok

Acceptable total depth = 12 cm.

$$\text{Actual effective depth} = (12 - 2 - \frac{1.2}{2}) \text{ cm.}$$

$$= 9.4 \text{ cm.}$$

1) For Long Span – dL

$$dL = \frac{\sqrt{ML(max)}}{Rb}$$

$$= \frac{\sqrt{60016.62}}{14.93 \times 100}$$

$$= 6.34 \text{ cm.}$$

Using 12mm ϕ bar and 2 cm clear cover . The total cover = $2 + 1.2 + \frac{1.2}{2} = 3.8$ cm.

$$R = .5 \times 94.5 \times .88 \times .359$$

$$\text{Total depth} = 6.34 + 2 + 1.2 + \frac{1.2}{2} = 10.14 \text{ cm.} < 12 \text{ cm.}$$

Hence ok

$$k = \frac{n}{n + \frac{fs}{fc}}$$
$$= \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$j = 1 - \frac{0.359}{3}$$

$$= 0.88$$

$$= 14.93$$

$$k = \frac{n}{n + \frac{fs}{fc}}$$

$$k = \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$J = 1 - \frac{0.359}{3}$$

$$= 0.88$$

$$= 14.93$$

Acceptable total depth = 12 cm.

$$\begin{aligned}\text{Actual effective depth} &= (12 - 2 - 1.2 - \frac{1.2}{2}) \text{ cm.} \\ &= 8.2 \text{ cm.}\end{aligned}$$

Step:-5

Area of tensile steel – A_s

b) For Short Span

$$\begin{aligned}2) \text{ (-)ve } A_s \text{ for cont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{67978.01}{1687 \times 0.88 \times 9.4} \\ &= 4.88 \text{ cm}^2.\end{aligned}$$

$$\text{Spacing, } S = \frac{100 x a_s}{A_s} = \frac{100 \times 1.13}{4.88} = 23.15 \cong 23 \text{ cm c/c.}$$

$$\begin{aligned}3) \text{ (-)ve } A_s \text{ for discont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{36744.77}{1687 \times 0.88 \times 9.4} \\ &= 2.63 \text{ cm}^2.\end{aligned}$$

$$\text{Spacing, } S = \frac{100 x a_s}{A_s} = \frac{100 \times 1.13}{2.63} = 42.97 \cong 42.5 \text{ cm c/c.}$$

$$\begin{aligned}4) \text{ (-)ve } A_s \text{ for cont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{55729.72}{1687 \times 0.88 \times 9.4} \\ &= 3.99 \text{ cm}^2.\end{aligned}$$

$$\text{Spacing, } S = \frac{100 x a_s}{A_s} = \frac{100 \times 1.13}{3.99} = 28.32 \cong 28 \text{ cm c/c.}$$

5) For Long Span

$$\begin{aligned}6) \text{ (-)ve } A_s \text{ for cont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{60016.62}{1687 \times 0.88 \times 8.2} \\ &= 4.94 \text{ cm}^2.\end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{As} = \frac{100x1.13}{4.94} = 11.37 \cong 11 \text{ cm c/c.}$$

$$\begin{aligned} 7) \text{ (-)ve } A_s \text{ for discont. Edge} &= \frac{M}{fsjd} \\ &= \frac{30620.72}{1687x.88x8.2} \\ &= 2.52 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{As} = \frac{100x1.13}{2.52} = 44.84 \cong 44.5 \text{ cm c/c.}$$

$$\begin{aligned} 8) \text{ (-)ve } A_s \text{ for cont. Edge} &= \frac{M}{fsjd} \\ &= \frac{45318.67}{1687x.88x8.2} \\ &= 3.37 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{As} = \frac{100x1.13}{3.37} = 33.53 \cong 33.5 \text{ cm c/c.}$$

Step:-6

Check for shear stress- v

$$\begin{aligned} V_c &= .292\sqrt{f'c} \\ &= .292\sqrt{210} \\ &= 4.23 \text{ kg/ cm}^2. \end{aligned}$$

a) For Short Span,

$$\begin{aligned} V_1 &= \frac{V}{bd} \\ &= \frac{1040.24}{100x9.4} \\ &= 1.106 \text{ kg/ cm}^2 < 4.23 \text{ kg/ cm}^2. \end{aligned}$$

Hence ok

b) For Long Span,

$$\begin{aligned} V_2 &= \frac{V}{bd} \\ &= \frac{1017.58}{100x8.2} \\ &= 1.113 \text{ kg/ cm}^2 < 4.23 \text{ kg/ cm}^2. \end{aligned}$$

Hence ok

Step:-7

Check for bond stress – u

$$U_{all} = \frac{3.23x\sqrt{f'c}}{1.2}$$

$$= \frac{3.23x\sqrt{210}}{1.2}$$

$$= 39.005 \text{ kg/cm}^2.$$

c) For Short Span,

$$u = \frac{V}{\epsilon_o j d}$$

$$= \frac{1040.24}{8.87x.88x9.4}$$

$$= 14.17 \text{ kg/cm}^2 < 39.005 \text{ kg/cm}^2.$$

Hence ok

$$\epsilon_o = N\phi\pi$$

$$= \frac{100}{42.5} x 1.2x\pi$$

$$= 8.87$$

d) For Long Span,

$$u = \frac{V}{\epsilon_o j d}$$

$$= \frac{913.37}{8.47x.88x8.2}$$

$$= 14.94 \text{ kg/cm}^2 < 39.005 \text{ kg/cm}^2.$$

Hence ok

$$\epsilon_o = N\phi\pi$$

$$= \frac{100}{44.5} x 1.2x\pi$$

Panel-3 Design

**Given Data

$$f_y = 5075 \text{ kg/cm}^2$$

$$f_s = 1687 \text{ kg/cm}^2$$

$$f_c = 94.5 \text{ kg/cm}^2$$

$$f'c = 210 \text{ kg/cm}^2$$

$$n = 10$$

$$\text{Live load} = 300 \text{ kg/m}^2$$

Floor Finish = 100 kg/m^2

Suspended Ceiling = 25 kg/m^2

Unit weight of concrete = 2400 kg/m^3

Unit weight of Brick = 1920 kg/m^3

Slab thickness = 12 cm

Step:-1

Load Calculation-w

Assume Slab thickness, $t = 12 \text{ cm}$

Consider 1m strip.

$$\text{Self wt. Of slab} = 1 \times \frac{12}{100} \times 2400 = 288 \text{ kg/m}$$

$$\text{Live load} = 1 \times 200 = 300 \text{ kg/m}$$

$$\text{Partition wall} = \frac{3.18 \times 125 \times 3 \times 1920}{(4.99 \times 4.94)} = 92.89 \text{ kg/m}$$

$$\text{Floor finish} = 1 \times 100 = 100 \text{ kg/m}$$

$$\text{Suspended ceiling} = 1 \times 25 = 25 \text{ kg/m}$$

$$\text{Total} \quad \quad \quad W = 805.89 \text{ kg/m}$$

Step:-2

Maximum Vertical Shear Force- V

Here,

$$m = \frac{S}{L} = \frac{4.94}{4.99} = 0.99$$

a) For Long Span

$$\begin{aligned} V1 &= \frac{wS}{3} \times \frac{3-m^2}{2} \\ &= \frac{805.89 \times 4.94}{3} \times \frac{3-0.99^2}{2} \\ &= 1340.24 \text{ Kg/m} \end{aligned}$$

b) For Short Span

$$V2 = \frac{wS}{3}$$

$$= \frac{805.89 \times 4.94}{3}$$

$$= 1327.04 \text{ Kg/m}$$

Step:-3

Maximum B.M- M (case-III)

a) For Short Span

1) (-)ve bending moment at cont. Edge = $cws^2 \times 100$

$$= 0.033 \times 713 \times (4.98)^2 \times 100$$

$$= 58352.86 \text{ Kg-cm}$$

$$C = \frac{0.049 + 0.057}{2}$$

$$= 0.053$$

2) (+)ve bending moment at mid span = $cws^2 \times 100$

$$= 0.025 \times 713 \times (4.98)^2 \times 100$$

$$= 42972.69 \text{ Kg-cm}$$

For Long Span

1) (-)ve bending moment at cont. Edge = $cws^2 \times 100$

$$= 0.033 \times 713 \times (4.98)^2 \times 100$$

$$= 56723.95 \text{ Kg-cm}$$

2) (+)ve bending moment at mid span = $cws^2 \times 100$

$$= 0.025 \times 713 \times (4.98)^2 \times 100$$

$$= 42972.68 \text{ Kg-cm}$$

Step:-4

Effective depth-d

a) For Short Span – ds

$$k = \frac{n}{n + \frac{f_s}{f_c}}$$

$$ds = \frac{\sqrt{Ms(max)}}{Rb}$$

$$= \frac{\sqrt{56723.948}}{14.93 \times 100}$$

$$= 6.13 \text{ cm}$$

$$= \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$j = 1 - \frac{0.359}{3}$$

Using 12mm ϕ bar and 2 cm clear cover . The total cover = $2 + \frac{1.2}{2} = 2.6$ cm.

$$= 0.88$$

Total depth = $6.13 + 2 + \frac{1.2}{2} = 8.76$ cm. < 12 cm.

$$R = .5 \times 94.5 \times .88 \times .359$$

Hence ok

$$= 14.93$$

Acceptable total depth = 12 cm.

Actual effective depth = $(12 - 2 - \frac{1.2}{2})$ cm.

$$= 9.4 \text{ cm.}$$

c) For Long Span – dL

$$dL = \frac{\sqrt{ML(max)}}{Rb}$$

$$= \frac{\sqrt{56723.95}}{14.93 \times 100}$$

$$= 6.16 \text{ cm.}$$

$$k = \frac{n}{n + \frac{fs}{fc}}$$

$$k = \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$j = 1 - \frac{0.359}{3}$$

$$= 0.88$$

Using 12mm ϕ bar and 2 cm clear cover .

$$R = .5 \times 94.5 \times .88 \times .359$$

Total depth = $6.19 + 2 + 1.2 + \frac{1.2}{2} = 9.96$ cm. < 12 cm.

Hence ok

Acceptable total depth = 12 cm.

Actual effective depth = $(12 - 2 - 1.2 - \frac{1.2}{2})$ cm.

$$= 8.2 \text{ cm.}$$

$$= 14.93$$

Step:-5

Area of tensile steel – As

a) For Short Span

$$\begin{aligned} 1) \text{ (-)ve As for cont. Edge} &= \frac{M}{fsjd} \\ &= \frac{56723.95}{1687 \times 0.88 \times 9.4} \\ &= 4.61 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{As} = \frac{100 \times 1.13}{4.61} = 24.53 \cong 25 \text{ cm c/c.}$$

$$\begin{aligned} 2) \text{ (-)ve As for mid span} &= \frac{M}{fsjd} \\ &= \frac{42872.69}{1687 \times 0.88 \times 9.4} \\ &= 3.49 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{As} = \frac{100 \times 1.13}{3.49} = 32.41 \cong 33 \text{ cm c/c.}$$

b) For Long Span

$$\begin{aligned} 9) \text{ (-)ve As for cont. Edge} &= \frac{M}{fsjd} \\ &= \frac{56723}{1687 \times 0.88 \times 8.2} \\ &= 5.28 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{As} = \frac{100 \times 1.13}{5.28} = 21.42 \cong 22 \text{ cm c/c.}$$

$$\begin{aligned} 1) \text{ (+)ve As for mid span} &= \frac{M}{fsjd} \\ &= \frac{42972}{1687 \times 0.88 \times 8.2} \\ &= 4.00 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{As} = \frac{100 \times 1.13}{4.00} = 28.27 \cong 28 \text{ cm c/c.}$$

Step:-6

Check for shear stress- v

$$V_c = .292\sqrt{f'c}$$

$$= .292\sqrt{210}$$

$$= 4.23 \text{ kg/cm}^2.$$

c) For Short Span,

$$V_1 = \frac{V}{bd}$$

$$= \frac{1187.76}{100 \times 9.4}$$

$$= 1.26 \text{ kg/cm}^2 < 4.23 \text{ kg/cm}^2.$$

Hence ok

d) For Long Span,

$$V_2 = \frac{V}{bd}$$

$$= \frac{1166.94}{100 \times 8.2}$$

$$= 1.42 \text{ kg/cm}^2 < 4.23 \text{ kg/cm}^2.$$

Hence ok

Step:-7

Check for bond stress – u

$$U_{all} = \frac{3.23\sqrt{f'c}}{1.2}$$

$$= \frac{3.23\sqrt{210}}{1.2}$$

$$= 39.005 \text{ kg/cm}^2.$$

3) For Short Span,

$$u = \frac{V}{\epsilon_o j d}$$

$$= \frac{1187.76}{11.42 \times .88 \times 9.4}$$

$$= 12.57 \text{ kg/cm}^2 < 39.005 \text{ kg/cm}^2.$$

Hence ok

4) For Long Span,

$$u = \frac{V}{\epsilon_o j d}$$

$$= \frac{1166.94}{13.46 \times .88 \times 8.2}$$

$$= 12.14 \text{ kg/cm}^2 < 39.005 \text{ kg/cm}^2.$$

Hence ok

$$\epsilon_o = N\phi\pi$$

$$= \frac{100}{42.5} \times 1.2 \times \pi$$

$$= 11.42$$

$$\epsilon_o = N\phi\pi$$

$$= \frac{100}{28} \times 1.2 \times \pi$$

Panel-4 Design

**Given Data

$$f_y = 5075 \text{ kg/cm}^2$$

$$f_s = 1687 \text{ kg/cm}^2$$

$$f_c = 94.5 \text{ kg/cm}^2$$

$$f'_c = 210 \text{ kg/cm}^2$$

$$n = 10$$

$$\text{Live load} = 200 \text{ kg/m}^2$$

Floor Finish = 100 kg/m^2

Suspended Ceiling = 25 kg/m^2

Unit weight of concrete = 2400 kg/m^3

Unit weight of Brick = 1920 kg/m^3

Slab thickness = 12 cm

Step:-1

Load Calculation-w

Assume Slab thickness, $t = 12 \text{ cm}$

Consider 1m strip.

$$\text{Self wt. Of slab} = 1 \times \frac{12}{100} \times 2400 = 288 \text{ kg/m}$$

$$\text{Live load} = 1 \times 200 = 200 \text{ kg/m}$$

$$\text{Floor finish} = 1 \times 100 = 100 \text{ kg/m}$$

$$\text{Suspended ceiling} = 1 \times 25 = 25 \text{ kg/m}$$

$$W = 613 \text{ kg/m}$$

Step:-2

Maximum Vertical Shear Force- V

Here,

$$m = \frac{S}{L} = \frac{3.71}{4.6} = 0.80$$

5) For Long Span

$$\begin{aligned} V1 &= \frac{ws}{3} \times \frac{3-m^2}{2} \\ &= \frac{613 \times 3.71}{3} \times \frac{3-0.8^2}{2} \\ &= 894.53 \text{ Kg} \end{aligned}$$

6) For Short Span

$$\begin{aligned} V2 &= \frac{ws}{3} \\ &= \frac{613 \times 3.71}{3} \\ &= 758.077 \text{ Kg} \end{aligned}$$

Step:-3

Maximum B.M- M (case-II)

a) For Short Span

1) (-)ve bending moment at cont. Edge = $cws^2 \times 100$	
= $0.055 \times 613 \times (3.71)^2 \times 100$	C=0.055
= 46405.66 Kg-cm	

2) (-)ve bending moment at discont. Edge = $cws^2 \times 100$	
= $0.027 \times 613 \times (3.71)^2 \times 100$	C= 0.027
= 60749.23 Kg-cm	

3) (+)ve bending moment at mid span = $cws^2 \times 100$	
= $0.041 \times 613 \times (3.71)^2 \times 100$	C= 0.041
= 34593.31 Kg-cm	

b) For Long Span

1) (-)ve bending moment at cont. Edge = $cws^2 \times 100$	
= $0.041 \times 613 \times (3.71)^2 \times 100$	C=0.041
= 34593.31 Kg-cm	

2) (-)ve bending moment at discont. Edge = $cws^2 \times 100$	
= $0.021 \times 613 \times (3.71)^2 \times 100$	C=0.021
= 17718.53 Kg-cm	

3) (+)ve bending moment at mid span = $cws^2 \times 100$	
= $0.031 \times 613 \times (3.71)^2 \times 100$	C=0.031
= 26155.92 Kg-cm	

Step:-3

Effective depth-d

b) For Short Span – ds

$$ds = \frac{\sqrt{Ms(max)}}{Rb}$$
$$= \frac{\sqrt{60749.23}}{14.93 \times 100}$$
$$= 6.38 \text{ cm}$$

Using 12mm ϕ bar and 2 cm clear cover . The total cover = $2 + \frac{1.2}{2}$ cm.

$$\text{Total depth} = 6.38 + 2 + \frac{1.2}{2} = 8.98 \cong 9 \text{ cm} < 12 \text{ cm}.$$

$$R = .5 \times 94.5 \times .88 \times .359$$

Hence ok

Acceptable total depth = 12 cm.

$$\text{Actual effective depth} = (12 - 2 - \frac{1.2}{2}) \text{ cm}.$$

$$= 9.4 \text{ cm}.$$

c) For Long Span – dL

$$dL = \frac{\sqrt{ML(max)}}{Rb}$$
$$= \frac{\sqrt{34593.31}}{14.93 \times 100}$$
$$= 4.81 \text{ cm}.$$

Using 12mm ϕ bar and 2 cm clear cover . The total cover = $2 + 1.2 + .6 = 3.8$ cm.

$$R = .5 \times 94.5 \times .88 \times .359$$

$$\text{Total depth} = 4.81 + 2 + 1.2 + .6 = 8.61 \text{ cm} < 12 \text{ cm}.$$

Hence ok

Acceptable total depth = 12 cm.

$$\text{Actual effective depth} = (12 - 2 + 1.2 + .6) \text{ cm}.$$

$$= 8.2 \text{ cm}.$$

$$k = \frac{n}{n + \frac{fs}{fc}}$$

$$= \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$j = 1 - \frac{0.359}{3}$$

$$= 0.88$$

$$= 14.93$$

$$k = \frac{n}{n + \frac{fs}{fc}}$$

$$k = \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$J = 1 - \frac{0.359}{3}$$

$$= 0.88$$

$$= 14.93$$

Step:-5

Area of tensile steel – A_s

a) For Short Span

$$\begin{aligned} 1) \text{ (-)ve } A_s \text{ for cont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{46405.66}{1687 \times 0.88 \times 9.4} \\ &= 3.33 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 x a_s}{A_s} = \frac{100 \times 1.13}{3.33} = 33.93 \cong 33.5 \text{ cm c/c.}$$

$$\begin{aligned} 2) \text{ (-)ve } A_s \text{ for discont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{60749.23}{1687 \times 0.88 \times 9.4} \\ &= 4.35 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 x a_s}{A_s} = \frac{100 \times 1.13}{4.35} = 25.98 \cong 25.5 \text{ cm c/c.}$$

$$\begin{aligned} 3) \text{ (+)ve } A_s \text{ for mid span} &= \frac{M}{f_s j d} \\ &= \frac{34593.31}{1687 \times 0.88 \times 9.4} \\ &= 2.48 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 x a_s}{A_s} = \frac{100 \times 1.13}{2.48} = 45.56 \cong 45.5 \text{ cm c/c.}$$

$$\text{Maximum Spacing} = 3\phi = 3 \times 12 = 36 \text{ cm}$$

b) For Long Span

$$\begin{aligned} 1) \text{ (-)ve } A_s \text{ for cont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{34593.31}{1687 \times 0.88 \times 8.2} \\ &= 2.84 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 x a_s}{A_s} = \frac{100 \times 1.13}{2.84} = 39.79 \text{ cm c/c.}$$

$$\text{Maximum Spacing} = 3\phi = 3 \times 12 = 36 \text{ cm}$$

$$2) \text{ (-)ve } A_s \text{ for discont. Edge} = \frac{M}{f_s j d}$$

$$= \frac{17718.53}{1687 \times 88 \times 8.2}$$

$$= 1.46 \text{ cm}^2.$$

$$\text{Spacing, } S = \frac{100 \times a_s}{A_s} = \frac{100 \times 1.13}{1.46} = 77.39 \text{ cm c/c.}$$

$$\text{Maximum Spacing} = 3\phi = 3 \times 12 = 36 \text{ cm}$$

$$3) \text{ (-)ve } A_s \text{ for mid span} = \frac{M}{f_s j d}$$

$$= \frac{26155.92}{1687 \times 88 \times 8.2}$$

$$= 2.15 \text{ cm}^2.$$

$$\text{Spacing, } S = \frac{100 \times a_s}{A_s} = \frac{100 \times 1.13}{2.15} = 52.55 \text{ cm c/c.}$$

$$\text{Maximum Spacing} = 3\phi = 3 \times 12 = 36 \text{ cm.}$$

Step:-6

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292 \sqrt{210}$$

$$= 4.23 \text{ kg/ cm}^2.$$

e) For Short Span,

$$V_1 = \frac{V}{bd}$$

$$= \frac{758.077}{100 \times 9.4}$$

$$= 0.806 \text{ kg/ cm}^2 < 4.23 \text{ kg/ cm}^2.$$

Hence ok

f) For Long Span,

$$V_2 = \frac{V}{bd}$$

$$= \frac{894.53}{100 \times 8.2}$$

$$= 1.09 \text{ kg/ cm}^2 < 4.23 \text{ kg/ cm}^2.$$

Hence ok

Step:-7

Check for bond stress – u

$$U_{all} = \frac{3.23x\sqrt{f'c}}{1.2}$$

$$= \frac{3.23x\sqrt{210}}{1.2}$$

$$= 39.005 \text{ kg/cm}^2.$$

7) For Short Span,

$$u = \frac{V}{\epsilon o j d}$$

$$= \frac{1040.24}{8.87x.88x9.4}$$

$$= 14.17 \text{ kg/cm}^2 < 39.005 \text{ kg/cm}^2.$$

Hence ok

8) For Long Span,

$$u = \frac{V}{\epsilon o j d}$$

$$= \frac{913.37}{8.47x.88x8.2}$$

$$= 14.94 \text{ kg/cm}^2 < 39.005 \text{ kg/cm}^2.$$

Hence ok

$$\epsilon o = N\phi\pi$$

$$= \frac{100}{42.5} x 1.2x\pi$$

$$= 8.87$$

$$\epsilon o = N\phi\pi$$

$$= \frac{100}{44.5} x 1.2x\pi$$

Panel-5 Design

**Given Data

$$f_y = 5075 \text{ kg/cm}^2$$

$$f_s = 1687 \text{ kg/cm}^2$$

$$f_c = 94.5 \text{ kg/cm}^2$$

$$f'c = 210 \text{ kg/cm}^2$$

$$n = 10$$

$$\text{Live load} = 300 \text{ kg/m}^2$$

$$\text{Floor Finish} = 100 \text{ kg/m}^2$$

$$\text{Suspended Ceiling} = 25 \text{ kg/m}^2$$

Unit weight of concrete = 2400 kg/m^3

Unit weight of Brick = 1920 kg/m^3

Slab thickness = 12 cm

Step:-1

Load Calculation-w

Assume Slab thickness, $t = 12 \text{ cm}$

Consider 1m strip.

$$\text{Self wt. Of slab} = 1 \times \frac{12}{100} \times 2400 = 288 \text{ kg/m}$$

$$\text{Live load} = 1 \times 200 = 300 \text{ kg/m}$$

$$\text{Floor finish} = 1 \times 100 = 100 \text{ kg/m}$$

$$\text{Suspended ceiling} = 1 \times 25 = 25$$

$$\text{Partition wall load} = 121.60$$

$$W = 834.6 \text{ kg/m}$$

Step:-2 Maximum Vertical Shear Force- V

Here,

$$\frac{S}{L} = \frac{3.72}{4.66} = 0.79$$

a) For Short Span

$$\begin{aligned} V1 &= \frac{ws}{3} \times \frac{3-m^2}{2} \\ &= \frac{834.6 \times 3.72}{3} \times \frac{3-0.79^2}{2} \\ &= 1229.41 \text{ Kg} \end{aligned}$$

b) For Long Span

$$\begin{aligned} V2 &= \frac{ws}{3} \\ &= \frac{834.6 \times 3.72}{3} \\ &= 1034.90 \text{ Kg} \end{aligned}$$

Step:-3

Maximum B.M- M (case-IV)

a) For Short Span

1) (-)ve bending moment at cont. Edge = $cws^2 \times 100$

$$= 0.0755 \times 713 \times (3.72)^2 \times 100$$

$$= 54267.28 \text{ Kg-cm}$$

2) (+)ve bending moment at mid span = $cws^2 \times 100$

$$= 0.041 \times 713 \times (3.72)^2 \times 100$$

$$= 41108.90 \text{ Kg-cm}$$

For Long Span

1) (-)ve bending moment at cont. Edge = $cws^2 \times 100$

$$= 0.041 \times 713 \times (3.72)^2 \times 100$$

$$= \underline{18159.56 \text{ Kg-cm}}$$

C=

2) (-)ve bending moment at discont. Edge = $cws^2 \times 100$

$$= 0.021 \times 713 \times (3.72)^2 \times 100$$

$$= 20720.23 \text{ Kg-cm}$$

C=

3) (+)ve bending moment at mid span = $cws^2 \times 100$

$$= 0.031 \times 713 \times (3.72)^2 \times 100$$

$$= 30587.01 \text{ Kg-cm}$$

C=

Step:-4

Effective depth-d

c) For Short Span – ds

$$ds = \frac{\sqrt{Ms(max)}}{Rb}$$

$$= \frac{\sqrt{54267.28}}{14.93 \times 100}$$

$$= 6.28 \text{ cm}$$

$$k = \frac{n}{n + \frac{fs}{fc}}$$

$$= \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$j = 1 - \frac{0.359}{3}$$

Using 12mm φ bar and 2 cm clear cover .

$$=0.88$$

$$\text{Total depth} = 6.28 + 2 + \frac{1.2}{2} = 8.63 \text{ cm.} < 12 \text{ cm.}$$

$$R = .5 \times 94.5 \times .88 \times .359$$

Hence ok

$$=14.93$$

Acceptable total depth = 12 cm.

$$\text{Actual effective depth} = (12 - 2 - \frac{1.2}{2}) \text{ cm.}$$

$$= 9.4 \text{ cm.}$$

4) For Long Span – dL

$$dL = \frac{\sqrt{ML(max)}}{Rb}$$

$$= \frac{\sqrt{40453.79}}{14.93 \times 100}$$

$$= 5.20 \text{ cm.}$$

$$k = \frac{n}{n + \frac{f_s}{f_c}}$$

$$k = \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$J = 1 - \frac{0.359}{3}$$

$$= 0.88$$

Using 12mm φ bar and 2 cm clear cover .

$$R = .5 \times 94.5 \times .88 \times .359$$

$$\text{Total depth} = 5.2 + 2 + 1.2 + \frac{1.2}{2} = 9 \text{ cm.} < 12 \text{ cm.}$$

Hence ok

Acceptable total depth = 12 cm.

$$\text{Actual effective depth} = (12 - 2 - 1.2 - \frac{1.2}{2}) = 8.2 \text{ cm.}$$

$$=14.93$$

Step:-5

Area of tensile steel – A_s

c) For Short Span

$$\begin{aligned} 1) \text{ (-)ve } A_s \text{ for cont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{54267.28}{1687 \times .88 \times 9.4} \\ &= 3.88 \text{ cm}^2 \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{A_s} = \frac{100x1.13}{3.88} = 33 \text{ cm c/c.}$$

∴ Maximum spacing = 3t = 3x12 = 36cm

$$\begin{aligned} 2) \quad (+)\text{ve } A_s \text{ mid span} &= \frac{M}{f_s j d} \\ &= \frac{41108.90}{1687x.88x9.4} \\ &= 2.94 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{A_s} = \frac{100x1.13}{2.94} = 38 \text{ cm c/c.}$$

∴ Maximum spacing = 3t = 3x12 = 36cm

5) For Long Span

$$\begin{aligned} 6) \quad (-)\text{ve } A_s \text{ for cont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{40453.79}{1687x.88x8.2} \\ &= 3.323 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{A_s} = \frac{100x1.13}{3.323} = 34 \text{ cm c/c.}$$

∴ Maximum spacing = 3t = 3x12 = 36cm

$$\begin{aligned} 2) \quad (-)\text{ve } A_s \text{ for discont. Edge} &= \frac{M}{f_s j d} \\ &= \frac{20720.23}{1687x.88x8.2} \\ &= 1.70 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{A_s} = \frac{100x1.13}{1.70} = 66 \text{ cm c/c.}$$

∴ Maximum spacing = 3t = 3x12 = 36cm

$$\begin{aligned} 3) \quad (-)\text{ve } A_s \text{ mid span} &= \frac{M}{f_s j d} \\ &= \frac{30587.01}{1687x.88x8.2} \\ &= 2.51 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100xas}{A_s} = \frac{100x1.13}{2.51} = 45 \text{ cm c/c.}$$

∴ Maximum spacing = 3t = 3x12 = 36cm

Step:-6

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292\sqrt{210}$$

$$= 4.23 \text{ kg/cm}^2.$$

g) For Short Span,

$$\begin{aligned} V1 &= \frac{V}{bd} \\ &= \frac{1050.29}{100 \times 9.4} \\ &= 1.117 \text{ kg/cm}^2 < 4.23 \text{ kg/cm}^2. \end{aligned}$$

Hence ok

h) For Long Span,

$$\begin{aligned} V2 &= \frac{V}{bd} \\ &= \frac{884.12}{100 \times 8.2} \\ &= 1.07 \text{ kg/cm}^2 < 4.23 \text{ kg/cm}^2. \end{aligned}$$

Hence ok

Step:-7

Check for bond stress – u

$$\begin{aligned} U_{all} &= \frac{3.23x\sqrt{f'c}}{1.2} \\ &= \frac{3.23x\sqrt{210}}{1.2} \\ &= 39.005 \text{ kg/cm}^2. \end{aligned}$$

3) For Short Span,

$$\begin{aligned} u &= \frac{V}{\epsilon_o j d} \\ &= \frac{1050.29}{9.92 \times 88 \times 9.4} \\ &= 12.79 \text{ kg/cm}^2 < 39.005 \text{ kg/cm}^2. \end{aligned}$$

Hence ok

4) For Long Span,

$$\begin{aligned} u &= \frac{V}{\epsilon_o j d} \\ &= \frac{884.12}{5.71 \times 88 \times 8.2} \\ &= 21.45 \text{ kg/cm}^2 < 39.005 \text{ kg/cm}^2. \end{aligned}$$

Hence ok

$$\epsilon_o = N\phi\pi$$

$$= \frac{100}{38} \times 1.2 \times \pi$$

$$= 10.47$$

$$\epsilon_o = N\phi\pi$$

$$= \frac{100}{66} \times 1.2 \times \pi$$

$$= 5.71$$

Panel-6 Design

**Given Data

$$f_y = 5075 \text{ kg/cm}^2$$

$$f_s = 1687 \text{ kg/cm}^2$$

$$f_c = 94.5 \text{ kg/cm}^2$$

$$f'c = 210 \text{ kg/cm}^2$$

$$n = 10$$

$$\text{Live load} = 200 \text{ kg/m}^2$$

$$\text{Floor Finish} = 100 \text{ kg/m}^2$$

$$\text{Suspended Ceiling} = 25 \text{ kg/m}^2$$

$$\text{Unit weight of concrete} = 2400 \text{ kg/m}^3$$

Unit weight of Brick = 1920 kg/m^3

Slab thickness = 12 cm

Step:-1

Load Calculation-w

Assume Slab thickness, $t = 12 \text{ cm}$

Consider 1m strip.

$$\text{Self wt. Of slab} = 1 \times \frac{12}{100} \times 2400 = 288 \text{ kg/m}$$

$$\text{Live load} = 1 \times 200 = 200 \text{ kg/m}$$

$$\text{Floor finish} = 1 \times 100 = 100 \text{ kg/m}$$

$$\text{Suspended ceiling} = 1 \times 25 = 25 \text{ kg/m}$$

$$W = 613 \text{ kg/m}$$

Step:-2

Maximum Vertical Shear Force- V

Here,

$$\frac{S}{L} = \frac{4.47}{5.26} = 0.85$$

5) For Short Span

$$\begin{aligned} V1 &= \frac{ws}{3} \times \frac{3-m^2}{2} \\ &= \frac{613 \times 4.47}{3} \times \frac{3-0.85^2}{2} \\ &= 930.75 \text{ Kg} \end{aligned}$$

6) For Long Span

$$\begin{aligned} V2 &= \frac{ws}{3} \\ &= \frac{613 \times 4.47}{3} \\ &= 913.37 \text{ Kg} \end{aligned}$$

Step:-3

Maximum B.M- M (case-III)

4) For Short Span

7) (-)ve bending moment at cont. Edge = $cws^2 \times 100$

$$= 0.0555 \times 613 \times (4.47)^2 \times 100$$

$$= 67978.01 \text{ Kg-cm}$$

$$C = \frac{0.057 + 0.054}{2}$$

$$= 0.0555$$

8) (-)ve bending moment at discont. Edge = $cws^2 \times 100$

$$= 0.03 \times 613 \times (4.47)^2 \times 100$$

$$= 36744.87 \text{ Kg-cm}$$

$$C = \frac{0.028 + 0.032}{2}$$

$$= 0.03$$

9) (+)ve bending moment at mid span = $cws^2 \times 100$

$$= 0.0455 \times 613 \times (4.47)^2 \times 100$$

$$= 55729.72 \text{ Kg-cm}$$

$$C = \frac{0.043 + 0.048}{2}$$

$$= 0.0455$$

5) For Long Span

6) (-)ve bending moment at cont. Edge = $cws^2 \times 100$

$$= 0.049 \times 613 \times (4.47)^2 \times 100$$

$$= 60016.62 \text{ Kg-cm}$$

$$C = 0.049$$

7) (-)ve bending moment at discont. Edge = $cws^2 \times 100$

$$= 0.025 \times 613 \times (4.47)^2 \times 100$$

$$= 30620.72 \text{ Kg-cm}$$

$$C = 0.025$$

8) (+)ve bending moment at mid span = $cws^2 \times 100$

$$= 0.037 \times 613 \times (4.47)^2 \times 100$$

$$= 45318.67 \text{ Kg-cm}$$

$$C = 0.037$$

Step:-3

Effective depth-d

d) For Short Span – ds

$$ds = \frac{\sqrt{Ms(max)}}{Rb}$$

$$k = \frac{n}{n + \frac{fs}{fc}}$$

$$= \frac{10}{10 + \frac{1687}{94.5}}$$

$$= \frac{\sqrt{67978.01}}{14.93 \times 100}$$

$$= .359$$

$$= 6.75 \text{ cm}$$

$$j = 1 - \frac{0.359}{3}$$

Using 12mm ϕ bar and 2 cm clear cover . The total cover = 2.6 cm.

$$= 0.88$$

Total depth = 6.75+2.6 = 9.35 cm.<12 cm.

$$R = .5 \times 94.5 \times .88 \times .359$$

Hence ok

$$= 14.93$$

Acceptable total depth = 12 cm.

Actual effective depth = (12-2.6) cm.

$$= 9.4 \text{ cm.}$$

7) For Long Span – dL

$$dL = \frac{\sqrt{ML(max)}}{Rb}$$

$$k = \frac{n}{n + \frac{f_s}{f_c}}$$

$$= \frac{\sqrt{60016.62}}{14.93 \times 100}$$

$$k = \frac{10}{10 + \frac{1687}{94.5}}$$

$$= 6.34 \text{ cm.}$$

$$= .359$$

$$J = 1 - \frac{0.359}{3}$$

$$= 0.88$$

Using 12mm ϕ bar and 2 cm clear cover . The total cover = 2+1.2+.6= 3.8 cm.

$$R = .5 \times 94.5 \times .88 \times .359$$

$$= 14.93$$

Total depth = 6.34+3.8 = 10.14 cm.<12 cm.

Hence ok

Acceptable total depth = 12 cm.

Actual effective depth = (12-3.8) cm.

$$= 8.2 \text{ cm.}$$

Step:-5

Area of tensile steel – As

4) For Short Span

$$\begin{aligned} 5) \text{ (-)ve As for cont. Edge} &= \frac{M}{fsjd} \\ &= \frac{67978.01}{1687 \times 88 \times 9.4} \\ &= 4.88 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 \times a_s}{A_s} = \frac{100 \times 1.13}{4.88} = 23.15 \cong 23 \text{ cm c/c.}$$

$$\begin{aligned} 6) \text{ (-)ve As for discont. Edge} &= \frac{M}{fsjd} \\ &= \frac{36744.77}{1687 \times 88 \times 9.4} \\ &= 2.63 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 \times a_s}{A_s} = \frac{100 \times 1.13}{2.63} = 42.97 \cong 42.5 \text{ cm c/c.}$$

$$\begin{aligned} 7) \text{ (-)ve As for cont. Edge} &= \frac{M}{fsjd} \\ &= \frac{55729.72}{1687 \times 88 \times 9.4} \\ &= 3.99 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 \times a_s}{A_s} = \frac{100 \times 1.13}{3.99} = 28.32 \cong 28 \text{ cm c/c.}$$

8) For Long Span

$$\begin{aligned} 8) \text{ (-)ve As for cont. Edge} &= \frac{M}{fsjd} \\ &= \frac{60016.62}{1687 \times 88 \times 8.2} \\ &= 4.94 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 \times a_s}{A_s} = \frac{100 \times 1.13}{4.94} = 11.37 \cong 11 \text{ cm c/c.}$$

$$\begin{aligned} 9) \text{ (-)ve As for discont. Edge} &= \frac{M}{fsjd} \\ &= \frac{30620.72}{1687 \times 88 \times 8.2} \\ &= 2.52 \text{ cm}^2. \end{aligned}$$

$$\text{Spacing, } S = \frac{100 \times a_s}{A_s} = \frac{100 \times 1.13}{2.52} = 44.84 \cong 44.5 \text{ cm c/c.}$$

$$10) \text{ (-)ve As for cont. Edge} = \frac{M}{fsjd}$$

$$= \frac{45318.67}{1687 \times 88 \times 8.2}$$

$$= 3.37 \text{ cm}^2.$$

$$\text{Spacing, } S = \frac{100 \times a_s}{A_s} = \frac{100 \times 1.13}{3.37} = 33.53 \cong 33.5 \text{ cm c/c.}$$

Step:-6

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292 \sqrt{210}$$

$$= 4.23 \text{ kg/cm}^2.$$

i) For Short Span,

$$V_1 = \frac{V}{bd}$$

$$= \frac{1040.24}{100 \times 9.4}$$

$$= 1.106 \text{ kg/cm}^2 < 4.23 \text{ kg/cm}^2.$$

Hence ok

j) For Long Span,

$$V_2 = \frac{V}{bd}$$

$$= \frac{913.37}{100 \times 8.2}$$

$$= 1.113 \text{ kg/cm}^2 < 4.23 \text{ kg/cm}^2.$$

Hence ok

Step:-7

Check for bond stress – u

$$U_{all} = \frac{3.23 \times \sqrt{f'c}}{1.2}$$

$$= \frac{3.23 \times \sqrt{210}}{1.2}$$

$$= 39.005 \text{ kg/cm}^2.$$

10) For Short Span,

$$u = \frac{V}{\epsilon_o j d}$$

$$= \frac{1040.24}{8.87 \times 88 \times 9.4}$$

$$= 14.17 \text{ kg/cm}^2 < 39.005 \text{ kg/cm}^2.$$

$$\epsilon_o = N \phi \pi$$

$$= \frac{100}{42.5} \times 1.2 \times \pi$$

$$= 8.87$$

Hence ok

11) For Long Span,

$$\begin{aligned} u &= \frac{V}{\epsilon_0 j d} \\ &= \frac{913.37}{8.47 \times 88 \times 8.2} \\ &= 14.94 \text{ kg/ cm}^2 < 39.005 \text{ kg/ cm}^2. \end{aligned}$$

Hence ok

$$\begin{aligned} \epsilon_0 &= N\phi\pi \\ &= \frac{100}{44.5} \times 1.2 \times \pi \end{aligned}$$

T-BEAM DESIGN

T-BEAM-01

Step:-1

Design Load Calculation-

$$\omega = 2495.34 \text{ kg/m}$$

$$W = \omega L = 2495.34 \times 5.26 = 13125.49 \text{ kg}$$

Step:-2

Maximum Vertical Shear Force- V

1. At cont. end:-

$$V_1 = .6W = .6 \times 13125.49 = 7875.29 \text{ kg}$$

2. At discount. end:-

$$V_2 = .4W = .4 \times 13125.49 = 5250.20 \text{ kg}$$

At discontinuity end:-

$$-M = \frac{\omega L^2}{16} = \frac{13125.49 \times 5.26}{16} \times 100$$
$$= 431500.43 \text{ kg.cm}$$

At mid:(+M)

$$= \frac{\omega L^2}{14} = \frac{12135.49 \times 5.26}{14} \times 100$$
$$= 493143.35 \text{ kg.cm}$$

At continuous edge (-M) = $\frac{\omega L^2}{9} = \frac{13125.49 \times 5.26}{9} \times 100$

$$= 767111.88 \text{ kg}$$

Step:-4

Effective depth-d

$$D = \frac{\sqrt{M(\max)}}{Rb}$$

$$= \frac{\sqrt{767111.88}}{14.93 \times 25}$$

$$= 45.34 \text{ cm} = 45.5 \text{ cm}$$

Using 6 cm total covering. Total depth D = 45.5 + 6 = 51.5 cm.

$$R = 0.5 \times 94.5 \times 0.88 \times 0.359$$

Step:-5

Area of tensile steel – As

1)

For discontinuous edge $A_s = \frac{M}{f_s j d}$

$$= \frac{431500.43}{1687 \times 0.88 \times 45.5}$$
$$= 6.40 \text{ cm}^2$$

Using 4-16 mm ϕ as main bar and supplied area
= 4 × 2.01 = 8.04 cm² > A_s

$$n = \frac{10}{10 + \frac{1687}{94.5}}$$

$$= 0.359$$

$$j = 1 - \frac{0.359}{3}$$

$$= 0.88$$

$$= 14.93$$

So ok.

10) For mid,

$$\begin{aligned} A_s &= \frac{M}{f_s j d} \\ &= \frac{493143.35}{1687 \times .89 \times 45.5} \\ &= 7.3 \text{ cm}^2 \end{aligned}$$

Using 4-16 mm ϕ as main bar and supplied area

$$= 4 \times 2.01 = 8.04 \text{ cm}^2 > A_s \text{ cm}^2$$

So ok.

For continuous edge $A_s = \frac{M}{f_s j d}$

$$\begin{aligned} &= \frac{767111.88}{1687 \times .88 \times 45.5} \\ &= 11.36 \text{ cm}^2 \end{aligned}$$

Using 3-22 mm ϕ as main bar and supplied area

$$= 4 \times 3.14 = 12.56 \text{ cm}^2 > A_s \text{ cm}^2$$

Step:-6

Check for shear stress- v

$$\begin{aligned} V_c &= .292 \sqrt{f'c} \\ &= .292 \sqrt{210} \\ &= 2495.34 \times \frac{45.5}{100} \\ &= 4.23 \text{ kg/cm}^2. \end{aligned}$$

1) For continuous edge

$$\begin{aligned} v &= \frac{Vd}{bd} \\ &= \frac{6739.44}{25 \times 45.55} \\ &= 5.92 \text{ kg/cm}^2 > 4.23 \text{ kg/cm}^2. \end{aligned}$$

Hence Stirrups must be required.

$$\text{Excess shear } v' = v - v_c = 5.92 - 4.23 = 1.69 \text{ kg/cm}^2.$$

2) For Discontinuous edge

$$\begin{aligned} v &= \frac{Vd}{bd} \\ &= \frac{4114.82}{25 \times 45.5} \end{aligned}$$

$$\begin{aligned} V_d &= V - wx \frac{d}{100} \\ &= 7875.29 - \\ &= 6739.92 \text{ kg}. \end{aligned}$$

$$\begin{aligned} V_d &= V - wx \frac{d}{100} \\ &= 5250.20 - 2495.34 \frac{45.5}{100} \end{aligned}$$

$$= 3.61 \text{ kg/ cm}^2 < 4.23 \text{ kg/ cm}^2.$$

$$= 4114.83 \text{ kg.}$$

Hence Stirrups must not be required.

So ok.

Step:-7

Portion required for stirrups-(a+2d)

1) For continuous edge

$$a = \left(\frac{l}{2} - d\right) \times \frac{v'}{v}$$

$$= \left(\frac{5.26 \times 100}{2} - 45.5\right) \times \frac{1.69}{5.92}$$

$$= 62.09 \text{ cm.}$$

$$(a+2d) = 62.09 + 45.5 \times 2 = 154 \text{ cm.}$$

Step:-8

Spacing of stirrups –S

Using 10 mm ϕ as stirrups. $A_v = 1.58 \text{ cm}^2$.

$$1) S = \frac{A_v f_v}{v' b} = \frac{1.57 \times 1687}{1.69 \times 25} = 52 \text{ cm c/c.}$$

$$2) S = \frac{A_v}{0.0015 b} = \frac{1.57}{0.0015 \times 25} = 41.86 \text{ cm c/c.}$$

$$3) S = \frac{d}{2} = \frac{45.5}{2} = 22.75 \text{ cm c/c.}$$

Using 10 mm ϕ bar as stirrup @ 22.5 cm c/c.

Step:-9

Check for bond stress - u

$$u_{all} = \frac{3.23 \times \sqrt{f'c}}{\phi}$$

$$= \frac{3.23 \times \sqrt{210}}{1.6}$$

$$= 39.005 \text{ kg/ cm}^2.$$

$$\varepsilon = N \phi \pi$$

$$= 4 \times 3.1416 \times 1.6$$

$$= 20.09 \text{ cm}$$

$$u = \frac{V}{\epsilon o j d}$$

$$= \frac{7875.29}{20.08 \times 0.88 \times 45.5}$$

$$= 9.68 \text{ kg/cm}^2 > u$$

So ok

Step-10

Sketching-

T-BEAM-02

Step:-1

Design Load Calculation-

$$\omega = 2996.65 \text{ kg/m}$$

$$W = \omega L = 2996.65 \times 4.47 = 13395.03 \text{ kg}$$

Step:-2

Maximum Vertical Shear Force- V

1. At cont. end:-

$$V_1 = .6W = .6 \times 13395.03 = 8037.018 \text{ kg}$$

2. At discount. end:-

$$V_2 = .4W = .4 \times 13395.03 = 5358.012 \text{ kg}$$

Step:-3

Maximum B.M- M

1. At cont. end:-

$$-M = \frac{\omega L^2}{9}$$

$$= \frac{2996.65 \times 4.47^2}{9} \times 100$$

$$= 665286.27 \text{ kg.cm}$$

2. At mid:-

$$+M = \frac{\omega L^2}{14}$$

$$= \frac{2996.65 \times 4.47^2}{14} \times 100$$

$$= 427684.03 \text{ kg.cm}$$

3. At discount. end:-

$$-M = \frac{\omega L^2}{16}$$

$$= \frac{2996.65 \times 4.47^2}{16} \times 100$$

$$= 374223.5 \text{ kg}$$

Step:-3

Effective depth-d

$$D = \frac{\sqrt{M(max)}}{Rb}$$

$$= \frac{\sqrt{74714.58}}{14.93 \times 100}$$

$$= 7.08 \text{ cm}$$

Using 6.5 cm total covering. Total depth $D = 42.5 + 6.5 = 49 \text{ cm}$.

$$R = .5 \times 94.5 \times .88 \times .359$$

$$n = \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$j = 1 - \frac{0.359}{3}$$

$$= 0.88$$

$$= 14.93$$

Step:-5

Area of tensile steel – As

$$2) \text{ For continuous edge } As = \frac{M}{f_s j d}$$

$$= \frac{665286.27}{1687 \times .88 \times 42.5}$$

$$= 10.54 \text{ cm}^2$$

Using 4-20 mm ϕ as main bar and supplied area

$$= 3.1416 \times 4 = 12.57 \text{ cm}^2 > As$$

So ok.

3) For mid,

$$A_s = \frac{M}{f_s j d}$$
$$= \frac{427684.03}{1687 \times .88 \times 42.5}$$
$$= 6.78 \text{ cm}^2$$

Using 4-16 mm ϕ as main bar and supplied area
= $2.01 \times 4 = 8.04 \text{ cm}^2 > A_s$

So ok.

4) For discontinuous edge $A_s = \frac{M}{f_s j d}$

$$= \frac{374223.52}{1687 \times .88 \times 42.5}$$
$$= 5.93 \text{ cm}^2$$

Using 3-16 mm ϕ as main bar and supplied area
= $2.01 \times 3 = 6.03 \text{ cm}^2 > A_s$

So ok.

Step:-6

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292 \sqrt{210}$$

$$2996.65 \times \frac{42.5}{100}$$

$$= 4.23 \text{ kg/cm}^2.$$

1) For continuous edge

$$v = \frac{Vd}{bd}$$

$$= \frac{6763.44}{25 \times 42.5}$$

$$= 6.37 \text{ kg/cm}^2 > 4.23 \text{ kg/cm}^2.$$

Hence Stirrups must be required.

Excess shear $v' = v - v_c = 6.37 - 4.23 = 2.17 \text{ kg/cm}^2.$

2) For Discontinuous edge

$$v = \frac{Vd}{bd}$$

$$= \frac{4084.44}{25 \times 42.5}$$

$$2996.65 \times \frac{42.5}{100}$$

$$V_d = V - wx \frac{d}{100}$$

$$= 8037.018 -$$

$$= 6763.44 \text{ kg.}$$

$$V_d = V - wx \frac{d}{100}$$

$$= 5358.012 -$$

$$= 3.84 \text{ kg/ cm}^2 < 4.23 \text{ kg/ cm}^2.$$

$$= 4084.44 \text{ kg.}$$

Hence Stirrups must not be required.

So ok.

Step:-7

Portion required for stirrups-(a+2d)

1) For continuous edge

$$a = (0.6L-d) \times \frac{v'}{v}$$

$$= (0.6 \times 470 - 42.5) \times \frac{2.17}{6.37}$$

$$= 76.89 \text{ cm.}$$

$$(a+2d) = 76.89 + 42.50 \times 2 = 161.89 \text{ cm.}$$

2) For discontinuous edge

No Need

Step:-8

Spacing of stirrups –S

Using 10 mm ϕ as stirrups. $A_v = 1.58 \text{ cm}^2$.

$$1) S = \frac{Avfv}{v'b} = \frac{1.57 \times 1687}{2.17 \times 25} = 48.82 \text{ cm c/c.}$$

$$2) S = \frac{Av}{0.0015b} = \frac{1.57}{0.0015 \times 25} = 41.87 \text{ cm c/c.}$$

$$3) S = \frac{d}{2} = \frac{42.5}{2} = 21.25 \text{ cm c/c.}$$

Using 10 mm ϕ @ 21 cm c/c.

Step:-9

Check for bond stress - u

$$u_{all} = \frac{3.23 \times \sqrt{f'c}}{\phi}$$

$$= \frac{3.23 \times \sqrt{210}}{1.6}$$

$$= 3 \times 3.1416 \times 1.6$$

$$= 29.25 \text{ kg/ cm}^2.$$

$$= 39.005 \text{ kg/ cm}^2.$$

$$\epsilon_o = N\phi\pi$$

$$= 15.08 \text{ cm}$$

$$u = \frac{V}{\epsilon \sigma_j d}$$

$$= \frac{8037.018}{15.08 \times 0.88 \times 42.5}$$

$$= 14.25 \text{ kg/cm}^2 > u$$

So ok

T-BEAM -03

Step:-1

Design Load Calculation-

$$\omega = 2362.26 \text{ kg/m}$$

$$W = \omega L = 2362.26 \times 4.37 = 10323.08 \text{ kg}$$

Step:-2

Maximum Vertical Shear Force- V

1. At cont. end:-

$$V_1 = .6W = .6 \times 10323.08 = 6193.85 \text{ kg}$$

2. At discount. end:-

$$V_2 = .4W = .4 \times 10323.08 = 4129.23 \text{ kg}$$

Step:-3

Maximum B.M- M

4. At cont. end:-

$$\begin{aligned} -M &= \frac{\omega L^2}{9} \\ &= \frac{2362.26 \times 4.37^2}{9} \times 100 \\ &= 501242.7 \text{ kg.cm} \end{aligned}$$

5. At mid:-

$$\begin{aligned}
 +M &= \frac{\omega L^2}{14} \\
 &= \frac{2362.26 \times 4.37^2}{14} \times 100 \\
 &= 322227.27 \text{ kg-cm}
 \end{aligned}$$

6. At discount. end:-

$$\begin{aligned}
 -M &= \frac{\omega L^2}{16} \\
 &= \frac{2362.26 \times 4.37^2}{16} \times 100 \\
 &= 281949.02 \text{ kg}
 \end{aligned}$$

Step:-4

Effective depth-d

$$D = \frac{\sqrt{M(\max)}}{Rb}$$

$$= \frac{\sqrt{501242.70}}{14.93 \times 100}$$

$$= 37 \text{ cm}$$

Using 6.5 cm total covering. Total depth $D = 37 + 6.5 = 43.5 \text{ cm}$.

$$R = .5 \times 94.5 \times .88 \times .359$$

$$K = \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$j = 1 - \frac{0.359}{3}$$

$$= 0.88$$

$$= 14.93$$

Step:-5

Area of tensile steel – As

$$\begin{aligned}
 5) \text{ For continuous edge } As &= \frac{M}{fsjd} \\
 &= \frac{501242.7}{1687 \times .88 \times 37} \\
 &= 9.12 \text{ cm}^2
 \end{aligned}$$

Using 3-20 mm ϕ as main bar and supplied area

$$= 3.1416 \times 4 = 6.03 \text{ cm}^2 > As$$

So ok.

$$6) \text{ For mid, } As = \frac{M}{fsjd}$$

$$= \frac{322227.45}{1687 \times 88 \times 37}$$

$$= 5.86 \text{ cm}^2$$

Using 3-16 mm φ as main bar and supplied area
 $= 2.01 \times 4 = 6.03 \text{ cm}^2 > A_s$
 So ok.

7) For discontinuous edge $A_s = \frac{M}{f_s j d}$

$$= \frac{281949.02}{1687 \times 88 \times 37}$$

$$= 5.93 \text{ cm}^2$$

Using 3-16 mm φ as main bar and supplied area
 $= 2.01 \times 3 = 6.03 \text{ cm}^2 > A_s$
 So ok.

Step:-6

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292 \sqrt{210}$$

$$= 4.23 \text{ kg/ cm}^2.$$

3) For continuous edge

$$v = \frac{Vd}{bd}$$

$$= \frac{5319.81}{25 \times 37}$$

$$= 5.75 \text{ kg/ cm}^2 > 4.23 \text{ kg/ cm}^2.$$

Hence Stirrups must be required.
 Excess shear $v' = v - v_c = 5.75 - 4.23 = 1.55 \text{ kg/ cm}^2.$

4) For Discontinuous edge

$$v = \frac{Vd}{bd}$$

$$= \frac{3255.19}{25 \times 37}$$

$$= 3.51 \text{ kg/ cm}^2 < 4.23 \text{ kg/ cm}^2.$$

Hence Stirrups must not be required.

So ok.

$$V_d = V - wx \frac{d}{100}$$

$$= 6193.85 - 2362.26 \times \frac{37}{100}$$

$$= 5319.81 \text{ kg.}$$

$$V_d = V - wx \frac{d}{100}$$

$$= 4129.23 - 2362.26 \times \frac{37}{100}$$

$$= 3255.19 \text{ kg.}$$

Step:-7

Portion required for stirrups-(a+2d)

3) For continuous edge Type equation here.

$$a = (0.6L-d) \times \frac{v'}{v}$$
$$= (0.6 \times 437 - 37) \times \frac{1.55}{5.75}$$
$$= 60.70 \text{ cm.}$$

$$(a+2d) = 60.70 + 37 \times 2 = 134.7 \text{ cm.}$$

4) For discontinuous edge

No Need

Step:-8

Spacing of stirrups –S

Using 10 mm ϕ as stirrups. $A_v = 1.58 \text{ cm}^2$.

$$4) S = \frac{A_v f_v}{v' b} = \frac{1.57 \times 1687}{1.55 \times 25} = 48.82 \text{ cm c/c.}$$

$$5) S = \frac{A_v}{0.0015b} = \frac{1.57}{0.0015 \times 25} = 41.87 \text{ cm c/c.}$$

$$6) S = \frac{d}{2} = \frac{37}{2} = 18.5 \text{ cm c/c.}$$

Using 10 mm ϕ @ 18.5 cm c/c.

Step:-9

Check for bond stress - u

$$u_{all} = \frac{3.23 \times \sqrt{f'c}}{\phi}$$
$$= \frac{3.23 \times \sqrt{210}}{1.6}$$
$$= 3 \times 3.1416 \times 1.6$$
$$= 29.25 \text{ kg/cm}^2.$$

$$u = \frac{V}{\epsilon_o j d}$$
$$= \frac{6193.85}{15.08 \times 0.88 \times 37}$$

$$= 12.61 \text{ kg/cm}^2 > u$$

$$\epsilon_o = N \phi \pi$$

$$= 15.08 \text{ cm}$$

So ok

T-BEAM-04

Step:-1

Design Load Calculation-

$$\omega = 1933.57 \text{ kg/m}$$

$$W = \omega L = 1933.57 \times 3.71 = 7173.55 \text{ kg}$$

Step:-2

Maximum Vertical Shear Force- V

$$V = \frac{W}{2} = \frac{7173.55}{2} = 3586.77 \text{ kg}$$

Step:-3

Maximum B.M- M

7. At cont. end:-

$$-M = \frac{\omega L^2}{9} = \frac{7173.55 \times 3.71}{9} \times 100$$

= 295709.47 kg.cm

8. At mid:(+M) $= \frac{\omega L^2}{14} = \frac{1933.57 \times 3.71^2}{14} \times 100$

= 190098.94 kg-cm

Step:-4

Effective depth-d

$$D = \sqrt{\frac{M(\max)}{R_b}}$$

$$= \frac{\sqrt{295709.47}}{14.93 \times 100}$$

$$= 28.97 \text{ cm} = 29 \text{ cm}$$

Using 6.5 cm total covering. Total depth $D = 29 + 6 = 35 \text{ cm}$.

$$R = .5 \times 94.5 \times .88 \times .359$$

$$n = \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$j = 1 - \frac{0.359}{3}$$

$$= 0.88$$

$$= 14.93$$

Step:-5

Area of tensile steel – A_s

$$\begin{aligned} 8) \text{ For continuous edge } A_s &= \frac{M}{f_s j d} \\ &= \frac{295709.47}{1687 \times .88 \times 29} \\ &= 6.79 \text{ cm}^2 \end{aligned}$$

Using 2-22 mm ϕ as main bar and supplied area

$$= 2 \times 3.79 = 7.58 \text{ cm}^2 > 6.79$$

So ok.

$$\begin{aligned} 9) \text{ For mid, } A_s &= \frac{M}{f_s j d} \\ &= \frac{190098.94}{1687 \times .89 \times 29} \\ &= 4.36 \text{ cm}^2 \end{aligned}$$

Using 2-19 mm ϕ as main bar and supplied area

$$= 2 \times 2.83 = 5.66 \text{ cm}^2 > 4.36 \text{ cm}^2$$

So ok

Using 2-19 mm ϕ as main bar and supplied area

$$= 2 \times 2.84 = 5.66 \text{ cm}^2 > A_s$$

So ok.

Step:-6

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$V_d = V - w_x \frac{d}{100}$$

$$= .292\sqrt{210}$$

$$1933.57x \frac{29}{100}$$

$$= 4.23 \text{ kg/ cm}^2.$$

$$= 3586.77-$$

$$=3026.03\text{kg.}$$

5) For continuous edge

$$v = \frac{Vd}{bd}$$

$$= \frac{3026.03}{25x29}$$

$$= 4.17 \text{ kg/ cm}^2 > 4.23 \text{ kg/ cm}^2.$$

Hence Stirrups must not be required.

Step:-7

Portion required for stirrups-(a+2d)

No need

Step:-8

Spacing of stirrups –S

No need

Step:-9

Check for bond stress - u

$$u_{all} = \frac{3.23x\sqrt{f'c}}{\phi}$$

$$= \frac{3.23x\sqrt{210}}{1.6}$$

$$= 39.005 \text{ kg/ cm}^2.$$

$$u = \frac{V}{\epsilon_o j d}$$

$$= \frac{8037.018}{15.08x0.88x29}$$

$$= 10.23 \text{ kg/ cm}^2 > u$$

So ok

$$\epsilon_o = N\phi\pi$$

$$= x3.1416x2.2$$

$$= 13.82 \text{ cm}$$

T-BEAM-05

Step:-1

Design Load Calculation-

$$\omega = 2901.82 \text{ kg/m}$$

$$W = \omega L = 2901.82 \times 4.6 = 13348.37 \text{ kg}$$

Step:-2

Maximum Vertical Shear Force- V

$$V = \frac{W}{2} = \frac{13348.37}{2} = 6674.186 \text{ kg}$$

Step:-3

Maximum B.M- M

9. At discont. end:-

$$-M = \frac{\omega L^2}{9} = \frac{2901.82 \times 4.6^2}{9} \times 100$$
$$= 383765.69 \text{ kg.cm}$$

At mid:(+M)

$$= \frac{\omega L^2}{14} = \frac{2901.82 \times 4.6^2}{14} \times 100$$
$$= 438589.37 \text{ kg.cm}$$

Step:-4

Effective depth-d

$$D = \frac{\sqrt{M(\max)}}{R_b}$$

$$= \frac{\sqrt{438589.37}}{14.93 \times 25} = \frac{438589.37}{14.}$$

$$n = \frac{10}{10 + \frac{1687}{94.5}} = .359$$

$$= 35.28 \text{ cm} = 36 \text{ cm}$$

$$j = 1 - \frac{0.359}{3}$$

Using 6 cm total covering. Total depth $D = 36 + 6 = 42 \text{ cm}$.

$$= 0.88$$

$$R = .5 \times 94.5 \times .88 \times .359$$

$$= 14.93$$

Step:-5

Area of tensile steel – A_s

10)

For dis

$$\begin{aligned} \text{continuous edge } A_s &= \frac{M}{f_s j d} \\ &= \frac{383765.70}{1687 \times .88 \times 36} \\ &= 7 \text{ cm}^2 \end{aligned}$$

Using 2-22 mm ϕ as main bar and supplied area
 $= 2 \times 3.79 = 7.58 \text{ cm}^2 > A_s$

So ok.

10) For mid,

$$\begin{aligned} A_s &= \frac{M}{f_s j d} \\ &= \frac{438589.37}{1687 \times .89 \times 36} \\ &= 8.11 \text{ cm}^2 \end{aligned}$$

Using 2-25 mm ϕ as main bar and supplied area
 $= 2 \times 4.91 = 9.8 \text{ cm}^2 > A_s \text{ cm}^2$

So ok

Step:-6

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292 \sqrt{210}$$

$$1933.57 \times \frac{29}{100}$$

$$= 4.23 \text{ kg/cm}^2.$$

6) For continuous edge

$$V_d = V - wx \frac{d}{100}$$

$$= 3586.77 -$$

$$= 3026.03 \text{ kg.}$$

$$\begin{aligned}
 v &= \frac{Vd}{bd} \\
 &= \frac{5629.53}{25 \times 36} \\
 &= 6.25 \text{ kg/cm}^2 > 4.23 \text{ kg/cm}^2.
 \end{aligned}$$

Hence Stirrups must not be required.

$$\therefore \text{Excess shear stress } v = 6.25 - 4.23 = 2.02 \text{ kg/cm}^2.$$

Step:-7

Portion required for stirrups-(a+2d)

2) For continuous edge Type equation here.

$$\begin{aligned}
 a &= \left(\frac{l}{2} - d\right) \times \frac{v'}{v} \\
 &= \left(\frac{460}{2} - 36\right) \times \frac{2.02}{6.25} \\
 &= 62.70 \text{ cm.}
 \end{aligned}$$

$$(a+2d) = 62.70 + 36 \times 2 = 134.7 \text{ cm.}$$

Step:-8

Spacing of stirrups –S

Using 10 mm ϕ as stirrups. $A_v = 1.58 \text{ cm}^2$.

$$4) S = \frac{A_v f_v}{v' b} = \frac{1.57 \times 1687}{2.02 \times 25} = 52 \text{ cm c/c.}$$

$$5) S = \frac{A_v}{0.0015 b} = \frac{1.57}{0.0015 \times 25} = 41.86 \text{ cm c/c.}$$

$$6) S = \frac{d}{2} = \frac{36}{2} = 18 \text{ cm c/c.}$$

Using 10 mm ϕ bar as stirrup 18 cm c/c.

Step:-9

Check for bond stress - u

$$\begin{aligned}
 u_{all} &= \frac{3.23 \times \sqrt{f'c}}{\phi} \\
 &= \frac{3.23 \times \sqrt{210}}{1.6}
 \end{aligned}$$

$$= 39.005 \text{ kg/cm}^2.$$

$$\begin{aligned}
 \epsilon_o &= N \phi \pi \\
 &= 3.1416 \times 2.2 \\
 &= 13.82 \text{ cm}
 \end{aligned}$$

$$u = \frac{V}{\epsilon_0 j d}$$

$$= \frac{8037.018}{15.08 \times 0.88 \times 29}$$

$$= 10.23 \text{ kg/cm}^2 > u$$

So ok

Grouping of column

C1=C1,C3,C11,C14 =10047.57 Kg

C2=C4,C6,C7,C10 =18770.87 Kg

C3=C2,C8,C9 =13329.80 Kg

C4=C12,C13 =7060.27 Kg

C5=C 5 =28114.86Kg

LOAD ON FOOTING

$$F1=3 \times 10047.57 + 10047.57 \times 0.80 + 180 \times 16 + 3341.25 = 44402.016 \text{ Kg}$$

$$F2=3 \times 18770.87 + 18770.87 \times 0.80 + 180 \times 16 + 5571.99 = 79781.296 \text{ Kg}$$

$$F3=3 \times 13329.80 + 13329.8 \times 0.80 + 5252.85 + 180 \times 16 = 58786.09 \text{ kg}$$

$$F4=3 \times 7060.27 + 7060.27 \times 0.80 + 180 \times 16 + 3175.25 = 33050.276 \text{ Kg}$$

$$F5=3 \times 28114.86 + 28114.86 \times 0.80 + 180 \times 15 + 7135.29 = 116851.75 \text{ Kg}$$

COLUMN LOAD FROM FLOOR TO FLOOR

COLUMN	LOAD ON G.F	LOAD ON 2 ND FLOOR
C1=F1	$44402.016+44402.016 \times 0.15=51062.31$ Kg	$10047.57 \times 2+10047.57 \times 0.80+180 \times 7=29393.196$ Kg
2=F2	$79781.296+79781.29 \times 0.15 = 91748.49$ Kg	$18770.87 \times 2+18770.87 \times 0.80+180 \times 7 = 53818.44$ Kg
C3=F3	$58786.09+5878.09 \times 0.15= 67604.00$ Kg	$13329.80 \times 2+13329.80 \times 0.8+180 \times 7 = 38582.8$ Kg
C4=F4	$27415.82+27415.82 \times 0.15=38007.82$ Kg	$7060.276 \times 2+7060.276 \times 0.8+180 \times 7 = 21828.76$ Kg
C5=F5	$116851.75+116851.75 \times 0.15=134379.51$ Kg	$28114.86 \times 2+28114.86 \times 0.80+180 \times 7=79981.61$ Kg

Column Design

Column-01 (Ground floor)

Given data,

$$P = 51062.31 \text{ kg}$$

Column size = 25cm x 25cm

$$f_s = 1400 \text{ kg/cm}^2$$

$$f'_c = 200 \text{ kg/cm}^2$$

Solution:

$$A_g = 25 \times 25 = 625 \text{ cm}^2$$

We know,

$$P = .85 \times A_g (.25 f'_c + f_s P_g)$$

$$\text{Or, } 51062.31 = .85 \times 625 \times (.25 \times 200 + 1400 \times P_g)$$

$$\text{Or, } 51062.31 = 26562.5 + 743750 \times P_g$$

$$\text{Or, } 743750 \times P_g = 51062.31 - 26562.5$$

$$\therefore P_g = 0.03$$

[So ok.]

Area of main bar, $A_{st} = P_g \times A_g = 0.03 \times 625 = 18 \text{ cm}^2$

Use 10-16mm φ bar.

Tie Spacing:

1. $16 \times 1.6 = 35.2 \text{ cm} = 35 \text{ cm c/c}$
2. $48 \times 0.08 = 34.4 \text{ cm c/c}$

3. Minimum side size= 25cm c/c.

Use 8mm φ @25cm c/c.

Column-01 (2nd floor)

Given data,

$$P = 29393.19 \text{ kg}$$

Column size= 25cmx25cm

$$f_s = 1400 \text{ kg/cm}^2$$

$$f'_c = 200 \text{ kg/cm}^2$$

Solution:

$$A_g = 25 \times 25 = 625 \text{ cm}^2$$

We know,

$$P = .85 \times A_g (.25 f'_c + f_s P_g)$$

$$\text{Or, } 29393.19 = .85 \times 625 \times (.25 \times 200 + 1400 \times P_g)$$

$$\text{Or, } 29393.19 = 26562.5 + 743750 P_g$$

$$\therefore P_g = .02 > .01 < .08$$

[So ok.]

$$\text{Area of main bar, } \therefore A_{st} = P_g \times A_g = .02 \times 750 = 12.55 \text{ cm}^2$$

Use 6-16mm φ bar.

Tie Spacing:

1. $16 \times 1.6 = 32.0$ cm c/c
2. $48 \times 0.08 = 48$ cm c/c
3. Minimum side size = 25cm c/c.

Use $8\text{mm}\varphi$ @25cm c/c.

Column-02 (Ground floor)

Given data,

$$P = 91748.49 \text{ kg}$$

Column size = 25cm x 30cm

$$f_s = 1687 \text{ kg/cm}^2$$

$$f'_c = 210 \text{ kg/cm}^2$$

Solution:

$$A_g = 25 \times 30 = 750 \text{ cm}^2$$

We know,

$$P = .85 \times A_g (.25 f'_c + f_s P_g)$$

$$\text{Or, } 91748.49 = .85 \times 750 \times (.25 \times 210 + 1687 \times P_g)$$

$$\text{Or, } 91748.49 = 33468.75 + 1075462.5 P_g$$

$$\therefore P_g = .0541 > .01 < .08$$

[So ok.]

$$\therefore A_{st} = P_g \times A_g = 0.0541 \times 750 = 40.575 \text{ cm}^2$$

Use 8-25mm φ bar.

Tie Spacing:

1. $16 \times 2.5 = 40 \text{ cm} = 40 \text{ cm c/c}$

2. $48 \times 0.08 = 38.4 \text{ cm c/c}$

3. Minimum side size = 25cm c/c.

Use 8 mm φ @ 25cm c/c.

Column-02 (2nd floor)

Given data,

$$P = 53818.344 \text{ kg}$$

Column size = 25cm x 30cm

$$f_s = 1687 \text{ kg/cm}^2$$

$$f'_c = 210 \text{ kg/cm}^2$$

Solution:

$$A_g = 25 \times 30 = 750 \text{ cm}^2$$

We know,

$$P = .85 \times A_g (.25 f'_c + f_s P_g)$$

$$\text{Or, } 53818.44 = .85 \times 750 \times (.25 \times 210 + 1687 \times P_g)$$

$$\text{Or, } 53818.44 = 33468.75 + 1075462.5 P_g$$

$$\therefore P_g = .02 > .01 < .08$$

[So ok.]

$$\text{Area of main bar, } \therefore A_{st} = P_g \times A_g = .02 \times 750 = 15 \text{ cm}^2$$

Use 8-16mm φ bar.

Tie Spacing:

4. $16 \times 1.6 = 25.6 \text{ cm c/c}$
5. $48 \times 0.08 = 38.4 \text{ cm c/c}$
6. Minimum side size = 25 cm c/c .

Use $8 \text{ mm } \varphi @ 25 \text{ cm c/c}$.

Column-03 (Ground floor)

Given data,

$$P = 67604 \text{ kg}$$

Column size = $35 \text{ cm} \times 35 \text{ cm}$

$$f_s = 1400 \text{ kg/cm}^2$$

$$f'_c = 210 \text{ kg/cm}^2$$

Solution:

$$A_g = 35 \times 35 = 1225 \text{ cm}^2$$

We know,

$$P = .85 \times A_g (.25 f'_c + f_s P_g)$$

$$\text{Or, } 67604 = .85 \times 1225 \times (.25 \times 210 + 1400 \times P_g)$$

$$\therefore P_g = .0088 > .01 < .08$$

[So ok.]

$$\text{Area of main bar, } \therefore A_{st} = P_g \times A_g = .0088 \times 1225 = 10.78 \text{ cm}^2$$

Use 6-16mm φ bar.

Tie Spacing:

4. $16 \times 1.6 = 25.6 \text{ cm} = 25.6 \text{ cm c/c}$
5. $48 \times 0.08 = 38.4 \text{ cm c/c}$
6. Minimum side size = 35 cm c/c.

Use $8 \text{ mm } \phi$ @ 25.6 cm c/c .

Column-03 (2nd floor)

Given data,

$$P = 38582.8 \text{ kg}$$

Column size = 35 cm x 35 cm

$$f_s = 1400 \text{ kg/cm}^2$$

$$f'_c = 210 \text{ kg/cm}^2$$

Solution:

$$A_g = 35 \times 35 = 1225 \text{ cm}^2$$

We know,

$$P = .85 A_g (.25 f'_c + f_s P_g)$$

$$\text{Or, } 38582.5 = .85 \times 1225 \times (.25 \times 210 + 1400 P_g)$$

$$\text{Or, } 38582.5 = 54665.63 + 1457750 P_g$$

$$\therefore P_g = .011 > .01 < .08$$

[So ok.]

Area of main bar, $\therefore A_{st} = P_g \times A_g = .011 \times 1225 = 13.514 \text{ cm}^2$

Use 7-16mm φ bar.

Tie Spacing:

7. $16 \times 1.6 = 25.6 \text{ cm c/c}$
8. $48 \times 0.08 = 38.4 \text{ cm c/c}$
9. Minimum side size = 35cm c/c.

Use 8mm φ @ 25.6cm c/c.

Column-04 (Ground floor)

Given data,

$$P = 38007.82 \text{ kg}$$

Column size = 35cm x 30cm

$$f_s = 1400 \text{ kg/cm}^2$$

$$f'_c = 200 \text{ kg/cm}^2$$

Solution:

$$A_g = 25\text{cm} \times 30\text{cm} = 750 \text{ cm}^2$$

We know,

$$P = .85 \times A_g (.25 f'_c + f_s P_g)$$

$$\text{Or, } 38007.82 = .85 \times 750 \times (.25 \times 200 + 1400 \times P_g)$$

$$\therefore P_g = 0.02 > .01 < .08$$

[So ok.]

Area of main bar, $\therefore A_{st} = P_g \times A_g = .02 \times 750 = 15 \text{ cm}^2$

Use 8-16mm φ bar.

Tie Spacing:

7. $16 \times 1.6 = 25.6 \text{ cm} = 25.6 \text{ cm c/c}$
8. $48 \times 0.08 = 38.4 \text{ cm c/c}$
9. Minimum side size = 25cm c/c.

Use 8mm φ @25cm c/c.

Column-04 (2nd floor)

Given data,

$$P = 21828.76 \text{ kg}$$

$$\text{Column size} = 25 \text{ cm} \times 30 \text{ cm}$$

$$f_s = 1400 \text{ kg/cm}^2$$

$$f'_c = 200 \text{ kg/cm}^2$$

Solution:

$$A_g = 25 \times 30 = 750 \text{ cm}^2$$

We know,

$$P = .85 \times A_g (.25 f'_c + f_s P_g)$$

$$\text{Or, } 21828.76 = .85 \times 750 \times (.25 \times 210 + 1400 \times P_g)$$

$$\text{Or, } 21828.76 = 31875 + 892500 P_g$$

$$\therefore P_g = .01 > .01 < .08$$

[So ok.]

$$\text{Area of main bar, } \therefore A_{st} = P_g \times A_g = .010 \times 750 = 7.5 \text{ cm}^2$$

Use 4-16mm φ bar.

Tie Spacing:

10. $16 \times 1.6 = 25.6 \text{ cm c/c}$
11. $48 \times 0.08 = 38.4 \text{ cm c/c}$
12. Minimum side size = 25cm c/c.

Use 8mm φ @ 25 cm c/c.

Column-05 (Ground floor)

Given data,

$$P = 134379.511 \text{ kg}$$

Column size = 35cm x 30cm

$$f_s = 1400 \text{ kg/cm}^2$$

$$f'_c = 200 \text{ kg/cm}^2$$

Solution:

$$A_g = 25\text{cm} \times 30\text{cm} = 750 \text{ cm}^2$$

We know,

$$P = .85A_g(.25f'_c + f_s P_g)$$

$$\text{Or, } 134379.511 = .85 \times 750 \times (.25 \times 210 + 1687 \times P_g)$$

$$\therefore P_g = 0.01 > .01 < .08$$

[So ok.]

$$\text{Area of main bar, } \therefore A_{st} = P_g \times A_g = .01 \times 750 = 7.5 \text{ cm}^2$$

Use 6-20mm φ bar.

Tie Spacing:

10. $16 \times 2.0 = 32 \text{ cm} = 32 \text{ cm c/c}$
11. $48 \times 0.08 = 38.4 \text{ cm c/c}$
12. Minimum side size = 25cm c/c.

Use 8mm φ @25cm c/c.

Column-05 (2nd floor)

Given data,

$$P = 79981.61 \text{ kg}$$

Column size = 25cm x 30cm

$$f_s = 1400 \text{ kg/cm}^2$$

$$f'_c = 200 \text{ kg/cm}^2$$

Solution:

$$A_g = 25 \times 30 = 750 \text{ cm}^2$$

We know,

$$P = .85 A_g (.25 f'_c + f_s P_g)$$

$$\text{Or, } 79981.61 = .85 \times 750 \times (.25 \times 210 + 1400 \times P_g)$$

$$\text{Or, } 79981.61 = 31875 + 892500 P_g$$

$$\therefore P_g = .02 > .01 < .08$$

[So ok.]

$$\text{Area of main bar, } \therefore A_{st} = P_g \times A_g = .02 \times 750 = 15 \text{ cm}^2$$

Use 5-20mm φ bar.

Tie Spacing:

13. $2.0 = 32 \text{ cm c/c}$
14. $48 \times 0.08 = 38.4 \text{ cm c/c}$
15. Minimum side size = 25cm c/c.

Use 8mm φ @ 25 cm c/c.

Footing Design

Footing-01

Step:-1:Load Calculation-w

Super imposed load = 44402.016 kg

Self wt.of Footing (8%) = 3552.16 kg

Total load = 47954.176 kg

Step:-2 :Size of footing

Area of footing $A = \frac{\text{Total load}}{\text{bearing capacity of soil}}$

$$= \frac{47954.176}{16500}$$

$$A = 2.90 \text{ m}^2$$

$$\therefore \text{size of footing } L = \sqrt{\frac{2.9}{1}}$$

$$= 1.7 \text{ m}$$

Size of footing = (1.7m x 1.7m)

Step:-3: Bending Moment calculation

$$M = \frac{wlc^2}{2} \times 100$$

$$= \frac{15364.8 \times 1.7 \times 0.725^2}{2} \times 100$$

$$= 686470.45 \text{ kg-cm}$$

$$c = \frac{L-a}{2}$$

$$= \frac{1.7 - 0.25}{2}$$

$$= 0.725$$

Step:-4: Effective depth of Footing-d

Due to shear stress:

$$\frac{d_v}{100} \times 15364.8$$

$$d_v = \frac{V_v}{v_{cxb}}$$

$$261.2016 \text{ d}_v$$

$$= \frac{(19590.12 - 261.2016 \text{ d}_v)}{4.23 \times 170}$$

$$\therefore d_v = 19.98 \text{ cm} = 20 \text{ cm}$$

use 20mm ϕ bar

$$\therefore \text{Total depth} = 20 + 7.5 + \frac{2.0}{2}$$

$$= 27.5 \text{ cm}$$

$$V_v = (c - d_v) \times L \times W = (0.725 -$$

$$= (19590.12 -$$

$$V_c = .292 \sqrt{f'_c}$$

$$= .292 \sqrt{210} = 4.23 \text{ kg/cm}^2$$

Step:-5

Area of tensile steel – As

$$A_s = \frac{M}{f_s j d}$$
$$= \frac{686470.45}{1400 \times 0.866 \times 27}$$
$$= 20.97 \text{ cm}^2$$

$$\text{Number of rod} = \frac{20.97}{3.14} = 6.96 \text{ Nos} = 7 \text{ nos}$$

Use 20 mm φ as tensile steel.

$$\text{Spacing, } S = \frac{100 \times 3.14}{20.97}$$
$$= 14.9 \text{ cm} \cong 15 \text{ cm c/c}$$

Step-6

Temp. Bar

$$A_{st} = 0.0025 b t = 0.0025 \times 100 \times 37 = 9.25 \text{ cm}^2$$

$$\text{Spacing, } S = \frac{100 \times 1.13}{9.25} = 12.22 \text{ cm} \cong 12.0 \text{ cm c/c}$$

Footing-02

Step:-1

Load Calculation-w

$$\text{Super imposed load} = 79781.296 \text{ kg}$$

$$\text{Self wt.of Footing (8\%)} = 6382.5 \text{ kg}$$

$$\text{Total load} = 86163.79 \text{ kg}$$

Step:-2

Size of footing

$$\text{Area of footing } A = \frac{\text{Total load}}{\text{bearing capacity of soil}}$$
$$= \frac{86163.79}{16500}$$

$$A = 5.22 \text{ m}^2$$

$$L \times L = 5.22 \text{ m}^2$$

$$L^2 = 5.22$$

$$L = 2.28 \text{ m}$$

∴ size of footing = 2.28m x 2.28m

Step:-3

Bending Moment calculation

$$M = \frac{\omega l c^2}{2} = \frac{15283.77 \times 1^2}{2} \times 100$$
$$= 1742349.78 \text{ kg-cm}$$

$$C = \frac{L-a}{2}$$
$$= \frac{2.28 - .3}{2}$$
$$= 1$$

Step:-4

Effective depth of Footing-d

Due to punching shear:

$$d_0 = \frac{V_0}{b_0 v_0}$$

$$d_0 = \frac{((2.28^2 - (.3 + 0.01d_0)^2) \times 15283.77)}{4 \times (30 + d_0) \times 7.60}$$
$$0.01d_0)^2) \times 15283.77)$$

$$d_0 = 36.17 \text{ cm}$$

use 20mmφ bar

$$\therefore \text{Total depth} = 36.17 + 7.5 + \frac{2}{2}$$

$$= 46.67 = 47 \text{ cm}$$

$$V_0 = ((L^2 - (a + d_0)^2) \times \omega)$$

$$V_0 = ((2.28^2 - (.3 +$$

$$b_0 = 4(a + d_0) = 4(30 + d_0)$$

$$v_0 = .53 \sqrt{f'c} = .53 \sqrt{210} = 7.6 \text{ kg/cm}^2$$

Step:-5

Area of tensile steel – As

$$A_s = \frac{M}{f_s j d}$$

$$= \frac{1742349.78}{1687 \times 88 \times 36.17}$$

$$= 32.44 \text{ cm}^2$$

Use 20 mm φ as tensile steel.

$$\text{Spacing, } S = \frac{100 \times 3.14}{32.44}$$

$$= 9.68 \text{ cm} \cong 10 \text{ cm c/c}$$

Step-6

Temp. Bar

$$A_{st} = 0.0025 b t = 0.0025 \times 262 \times 67.5 = 44.21 \text{ cm}^2$$

$$\text{Spacing, } S = \frac{100 \times 1.13}{44.21} = 2.55 \text{ cm} \cong 2.5 \text{ cm c/c}$$

Footing-03

Step:-1

Load Calculation-w

$$\text{Super imposed load} = 58786.09 \text{ kg}$$

$$\text{Self wt.of Footing (8\%)} = 4702.88 \text{ kg}$$

$$\text{Total load} = 63488.98 \text{ kg}$$

Step:-2

Size of footing

$$\text{Area of footing } A = \frac{\text{Total load}}{\text{bearing capacity of soil}}$$
$$= \frac{63488.98}{16500}$$

$$A = 3.85 \text{ m}^2$$

$$L \times L = 3.85 \text{ m}^2$$

$$L^2 = 3.85$$

$$L = 1.96 \text{ m}$$

∴ size of footing = 1.96m x 1.96m

$$\text{Upword pressure} = \frac{5878666.09}{3.85}$$

$$\omega = 15269.14/\text{m}^2$$

Step:-3

Bending Moment calculation

$$M = \frac{\omega l c^2}{2} = \frac{15269.14 \times 1.96 \times .805^2}{2} \times 100$$
$$= 969688.87 \text{ kg-cm}$$

$$C = \frac{L-a}{2}$$
$$= \frac{1.96-.35}{2}$$

$$= 0.805$$

Step:-4

Effective depth of Footing-d

Due to punching shear:

$$d_0 = \frac{V_0}{b_0 v_0}$$

$$d_0 = \frac{((1.96^2 - (.35 + .01d_0)^2) \times 15269.14)}{4 \times (35 + d_0) \times 7.68}$$

$$d_0 = 27.69 \text{ cm}$$

use 20mm ϕ bar

$$\therefore \text{Total depth} = 27.69 + 7.5 + \frac{2}{2} + 2$$

$$= 38 \text{ cm}$$

$$V_0 = ((L^2 - (a + d_0)^2) \times \omega)$$

$$V_0 = ((1.96^2 - (.35 + .01d_0)^2) \times 15269.14)$$

$$b_0 = 4(a + d_0) = 4(35 + d_0)$$

$$v_0 = .53 \sqrt{f} \quad c = .53 \sqrt{210} = 7.68 \text{ kg/cm}^2$$

Step:-5

Area of tensile steel – As

$$A_s = \frac{M}{f_s j d}$$
$$= \frac{969688.87}{1400 \times 0.866 \times 38}$$
$$= 21.05 \text{ cm}^2$$

Use 20 mm ϕ as tensile steel.

$$\text{Spacing, } S = \frac{100 \times 3.14}{21.05}$$
$$= 14.91 \text{ cm} \cong 15 \text{ cm c/c}$$

Step-6

Temp. Bar

$$A_{st} = 0.0025 b t = 0.0025 \times 206 \times 52 = 26.78 \text{ cm}^2$$

$$\text{Spacing, } S = \frac{100 \times 1.13}{26.78} = 4.22 \text{ cm} \cong 4.00 \text{ cm c/c}$$

Footing-04

Step:-1

Load Calculation-w

Super imposed load	= 78645.41 kg
Self wt. of Footing (10%)	= 7864.541 kg

Total load	= 86509.95 kg
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Step:-2

Size of footing

$$\text{Area of footing } A = \frac{\text{Total load}}{\text{bearing capacity of soil}}$$

$$= \frac{86509.95}{15500}$$

$$A = 5.58 \text{ m}^2$$

$$L \times L = 5.58 \text{ m}^2$$

$$L^2 = 5.58$$

$$L = 2.36 \text{ m}^2$$

∴ size of footing = 2.36x2.36 m

$$\text{Upward pressure} = \frac{78645.41}{2.36}$$

$$\omega = 15492.17 \text{ kg/m}^2$$

Step:-3

Bending Moment calculation

$$M = \frac{\omega l c^2}{2} = \frac{86509.951 \times 2.36 \times 1.055^2}{2} \times 100$$

$$= 18545.40 \text{ kg-cm}$$

$$c = \frac{L-a}{2}$$

$$= \frac{2.36 - .25}{2}$$

$$= 1.055$$

Step:-4

Effective depth of Footing-d

Due to punching shear:

$$d_0 = \frac{V_0}{b_0 v_0}$$

$$d_0 = \frac{2.36^2 - (.25 + .01d_0)^2 \times 86509.951}{4 \times (.25 + d_0) \times 7.7}$$

$$d_0 = 40.99 = 41 \text{ cm}$$

$$\therefore \text{Total depth} = 41 + 7.5 + \frac{2.0}{2} + 2$$

$$= 51.5 \text{ cm} = 52 \text{ cm}$$

$$V_0 = ((L^2 - (a + d_0)^2) \times \omega)$$

$$V_0 = ((2.36^2 - (.25 + .01d_0)^2) \times 86509.951)$$

$$b_0 = 4(a + d_0) = 4(.25 + d_0)$$

$$v_0 = .53 \sqrt{f'} c = .53 \sqrt{210} = 7.68 \text{ kg/cm}^2$$

Step:-5

Area of tensile steel – As

$$A_s = \frac{M}{f_s j d}$$

$$= \frac{18545140}{1687 \times 88 \times 41}$$

$$= 30.12 \text{ cm}^2$$

Use 20 mm φ as tensile steel.

$$\text{Spacing, } S = \frac{100 \times 3.14}{30.12}$$

$$= 10.42 \text{ cm} \cong 10 \text{ cm c/c}$$

Step-6

Temp. Bar

$$A_{st} = .0025bt = 0.0025 \times 206 \times 52 = 26.78 \text{ cm}^2$$

$$\text{Spacing, } S = \frac{100 \times 1.13}{26.78} = 4.22 \text{ cm} \cong 4.00 \text{ cm c/c}$$

Footing-05

Step:-1

Load Calculation-w

$$\text{Super imposed load} = 116851.75 \text{ kg}$$

$$\text{Self wt.of Footing (10\%)} = 9348.15 \text{ kg}$$

$$\text{Total load} = 126199.891 \text{ kg}$$

Step:-2

Size of footing

$$\text{Area of footing } A = \frac{\text{Total load}}{\text{bearing capacity of soil}}$$

$$= \frac{126199.89}{16500}$$

$$A = 7.69 \text{ m}^2$$

$$L \times L = 7.69 \text{ m}^2$$

$$L^2 = 7.69$$

$$L = 2.76 \text{ m}$$

∴ size of footing = 2.76m x 2.76m

Step:-3

Bending Moment calculation

$$M = \frac{\omega l c^2}{2} = \frac{15339.70 \times 2.76 \times 1.23^2}{2} \times 100$$

$$= 5207521.35 \text{ kg-cm}$$

$$c = \frac{L-a}{2}$$

$$= \frac{2.76 - .3}{2}$$

$$= 1.23$$

Step:-4

Effective depth of Footing-d

Due to punching shear:

$$d_0 = \frac{V_0}{b_0 v_0}$$

$$d_0 = \frac{((2.76^2 - (.35 + .01d_0)^2) \times 15339.70)}{4 \times (25 + d_0) \times 7.68}$$

$$.01d_0)^2 \times 15339.70)$$

$$d_0 = 44.76$$

$$\therefore \text{Total depth} = 44.76 + 7.5 + \frac{2.0}{2} + 2$$

$$= 55.26 \text{ cm}$$

$$= 56 \text{ cm}$$

Step:-5

Area of tensile steel – As

$$A_s = \frac{M}{f_s j d}$$

$$V_0 = ((L^2 - (a + d_0)^2) \times \omega)$$

$$V_0 = ((2.76^2 - (.35 +$$

$$b_0 = 4(a + d_0) = 4(25 + d_0)$$

$$v_0 = .53 \sqrt{f'c} = .53 \sqrt{210} = 7.68 \text{ kg/cm}^2$$

$$= \frac{5207521.35}{1687 \times 88 \times 44.76}$$

$$= 78.36 \text{ cm}^2$$

Use 20 mm ϕ as tensile steel.

$$\text{Spacing, } S = \frac{100 \times 3.14}{78.36}$$

$$= 4.004 \text{ cm} \cong 4.00 \text{ cm c/c}$$

$$\text{nos of bar} = \frac{78.36}{3.14}$$

$$= 25.08$$

$$= 26 \text{ nos}$$

Step-6

Temp. Bar

$$A_{st} = .0025bt = 0.0025 \times 206 \times 52 = 26.78 \text{ cm}^2$$

$$\text{Spacing, } S = \frac{100 \times 1.13}{26.78} = 4.22 \text{ cm} \cong 4.00 \text{ cm c/c}$$

GRADE BEAM DESIGN

GRADE BEAM -01

Step:-1

Design Load Calculation-W

$$\begin{aligned}\text{Self wt of beam} &= 1 \times \frac{b}{100} \times \frac{d}{100} \times 2400 \\ &= 1 \times \frac{25}{100} \times \frac{35}{100} \times 2400 \\ &= 210 \text{kg/m}\end{aligned}$$

$$\frac{\text{Super imposed load } \omega = 810 \text{kg/m}}{\text{Design load } w = 1020 \text{kg/m}}$$

Step:-2

Maximum Vertical Shear Force- V

$$V = \frac{WL}{2} = \frac{1020 \times 3.43}{2} = 1530 \text{ kg.}$$

Step:-3

Effective depth-d

$$D = \sqrt{\frac{M}{Rb}}$$

$$= \sqrt{\frac{4373.25}{16.37 \times 25}}$$

$$= 10.33 \text{ cm} = 11 \text{ cm}$$

Using 6 cm total covering. Total depth $D = 11 + 6 = 17 \text{ cm}$.

So ok

Step:-5

Area of tensile steel – A_s

$$A_s = \frac{M}{f_s j d} = \frac{4373.25}{1400 \times 0.866 \times 17} = 2.12 \text{ cm}^2$$

Using 2-12 mm ϕ as main bar .

Step:-6

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292 \sqrt{210} = 4.23 \text{ kg/cm}^2.$$

$$v = \frac{V_{cr}}{bd} = \frac{1173}{30 \times 17}$$

$$= 2.3 \text{ kg/cm}^2 < 4.23 \text{ kg/cm}^2.$$

Hence Stirrups must not be required.

Nominal stirrup must be required.

Spacing of stirrup = 30 cm c/c.

$$k = \frac{10}{10 + \frac{1400}{94.5}}$$

$$= .40$$

$$j = 1 - \frac{0.40}{3}$$

$$= 0.866$$

$$R = .5 \times 94.5 \times 0.866 \times 1400$$

$$= 58.5$$

$$= 16.37$$

$$V_{cr} = V - \frac{Wd}{100} = 153 - \frac{10250 \times 35}{100} = 1173 \text{ kg}$$

Step:-7

No need.

Step:-8

Spacing required for stirrup-s

No need.

Step:-9

Check for bond stress - u

$$u = \frac{V}{\epsilon o j d}$$
$$= \frac{1530}{35.17 \times 0.866 \times 17}$$
$$= 2.95 \text{ kg/cm}^2 > U_{\text{all}}$$

So ok

$$\epsilon o = N \phi \pi$$
$$= 4 \times 3.1416 \times 1.2$$
$$= 15.08 \text{ cm}$$

GRADE BEAM -02

Step:-1

Design Load Calculation-W

$$\text{Self wt of beam} = 1 \times \frac{b}{100} \times \frac{d}{100} \times 2400$$

$$= 1 \times \frac{25}{100} \times \frac{35}{100} \times 2400$$

$$= 210 \text{kg/m}$$

$$\text{Super imposed load} = 810 \text{kg/m}$$

$$\text{Design load } \omega = 1020 \text{kg/m}$$

$$\text{Total design load } W = \omega l = 1020 \times 3.45 = 35149 \text{kg}$$

Step:-2

Maximum Vertical Shear Force- V

$$\text{At cont. edge} = 0.6 \times 3519 = 2111.4 \text{kg}$$

$$\text{At discount. Edge} = 0.4 \times 3519 = 844.56 \text{kg}$$

Step:-3

Maximum B.M- M

$$M = \frac{wL}{10} = \frac{3519 \times 3.45}{10} \times 100 = 121405.5 \text{ kg-cm.}$$

Step:-4

Effective depth-d

$$D = \sqrt{\frac{M}{Rb}}$$

$$= \sqrt{\frac{121405.5}{25 \times 14.96}}$$

$$= 18.01 \text{ cm} = 18.5 \text{ cm}$$

Using 6.5 cm total covering. Total depth $D = 18.5 + 6.5 = 25 \text{ cm}$.

So ok

Step:-5

Area of tensile steel – A_s

$$A_s = \frac{M}{f_s j d} = \frac{121405.5}{1687 \times 0.88 \times 25} = 3.27 \text{ cm}^2$$

Using 2-16 mm ϕ as main bar

$$R = .5 \times 94.5 \times .88 \times .359$$

$$= 14.96$$

Step:-6

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292 \sqrt{210} = 4.23 \text{ kg/cm}^2.$$

$$v = \frac{V}{bd} = \frac{1231.65}{25 \times 35}$$

$$= 2.01 \text{ kg/cm}^2 < 4.23 \text{ kg/cm}^2.$$

Hence Stirrups must not be required.

Nominal stirrup must be required.

Spacing of stirrup = 25 cm c/c.

Step:-7

No need.

Step:-8

portion required for stirrup-s

No need.

Step:-9

Check for bond stress - u

$$u = \frac{V}{\epsilon_o j d}$$
$$= \frac{2111.4}{10.05 \times 0.88 \times 18.5}$$
$$= 13.26 \text{ kg/cm}^2 > U_{\text{all}}$$

So ok

$$\epsilon_o = N \phi \pi$$
$$= 2 \times 3.1416 \times 1.6$$
$$= 10.05 \text{ cm}$$

GRADE BEAM-03

Step:-1

Design Load Calculation-W

Self wt of beam= $1 \times 25 \times 35 \times 2400 = 210 \text{ kg/m}$

Super imposed load=810kg/m

$$\omega = 1020 \text{ kg/m}$$

total design load= $1020 \times 4.6 = 4692 \text{ kg}$

Step:-2

Maximum Vertical Shear Force- V

$$V = \frac{W}{2} = \frac{4692}{2} = 2346 \text{ kg.}$$

Step:-3

Maximum B.M- M

$$M = \frac{wL}{8} = \frac{4692 \times 4.6}{8} \times 100 = 269790 \text{ kg-cm.}$$

Step:-4

Effective depth-d

$$D = \sqrt{\frac{M}{Rb}}$$
$$= \sqrt{\frac{269790}{14.93 \times 25}}$$

$$= 26.88 \cong 27 \text{ cm}$$

$$= 10.80 \text{ cm.}$$

Using 5 cm total covering. Total depth $D=27+5=32 < 35$

So ok

Step:-5

Area of tensile steel – A_s

$$A_s = \frac{M}{f_s j d} = \frac{269790}{1687 \times 0.87 \times 27} = 6.88 \text{ cm}^2$$

Using 2-16 mm ϕ as main bar

$$A_s = 2.01 \text{ cm}^2$$

$$\text{Nos of rod} = \frac{6.88}{2} = 3.44 \cong 4 \text{ nos}$$

Step:-6

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292 \sqrt{210} = 4.23 \text{ kg/cm}^2.$$

$$v = \frac{V_{cr}}{bd}$$

$$= \frac{10516.2}{25 \times 27}$$

$$= 15.57 \text{ kg/cm}^2 > 4.23 \text{ kg/cm}^2.$$

Hence Stirrups must be required.

$$V' = V - V_c = 15.57 - 4.23$$

$$= 11.34 \text{ kg-cm}$$

$$n = \frac{10}{10 + \frac{1687}{94.5}}$$

$$j = 1 - \frac{0.359}{3}$$

$$= 0.88$$

$$R = \frac{5 \times 94.5 \times 0.88 \times 3}{59}$$

$$= 14.93$$

Step:-7

portion required for stirrup:

$$\begin{aligned} V_{cr} &= V - \frac{Wd}{100} \\ &= 10791.6 - \frac{1020 \times 27}{100} \\ &= 10516.2 \text{ kg} \end{aligned}$$

$$a = \left(\frac{L}{2} - d\right) \times \frac{V_l}{V}$$

$$= \left(\frac{460}{2} - 27\right) \times \frac{11.34}{15.57}$$

$$= 147.8 \text{ cm}$$

Spacing for stirrup = $a + 2d$

$$= 147.28 + 2 \times 27$$

$$= 201.84 \text{ cm}$$

Step:-8

Spacing for stirrup-s

Use 10mm \emptyset bar stirrup

$$a_v = 1.57 \text{ cm}^2$$

$$1) s = \frac{A_v f_v}{v' b} = \frac{1.57 \times 1687}{11.34 \times 25} = 9.34 \text{ cm} = 9 \text{ cm c/c}$$

$$2) s = \frac{a_v}{0.0015b} = \frac{1.57}{0.0015 \times 27} = 38 \text{ cm c/c}$$

$$3) s = \frac{d}{2} = \frac{27}{2} = 13.5 \text{ cm c/c}$$

Use 10 mm \emptyset bar for stirrup 13.5 cm c/c

Step:-9

Check for bond stress - u

$$u = \frac{V}{\epsilon_o j d}$$

$$= \frac{10791.6}{20.10 \times 0.87 \times 27}$$

$$= 23 \text{ kg/cm}^2 \rightarrow u_{\text{all}}$$

So ok

$$u_{\text{all}} = \frac{3.23 \sqrt{210}}{1.6} = 29.25 \text{ kg/cm}^2$$

$$\epsilon_o = N \phi \pi$$

$$= 4 \times 3.1416 \times 1.6$$

$$= 20.10 \text{ cm}$$

GRADE BEAM -04

Step:-01

Design Load Calculation-W

$$\text{Self wt of beam} = 1 \times \frac{b}{100} \times \frac{d}{100} \times 2400 \times L$$

$$= 1 \times \frac{25}{100} \times \frac{35}{100} \times 2400 \times 3.45$$

$$= 724.5 \text{ kg/m}$$

$$\text{Super imposed load} = 810 \text{ kg/m} \times 3.45 = 2794.5$$

$$\text{Total design load } W = 3519 \text{ kg/m}$$

Step:-02

Maximum Vertical Shear Force- V

$$V = \frac{w}{2} = \frac{3519}{2} = 1759.5 \text{ kg.}$$

Step:-03

1) Maximum B.M- M

$$M = \frac{WL}{8} = \frac{3519 \times 3.5}{8} \times 100 = 153956.25 \text{ kg-cm.}$$

$$2) \text{ Registering moment } M_1 = Rbd^2$$

$$= 14.76 \times 25 \times 30^2$$

$$= 332100 \text{ kg-cm}$$

$$3) \text{ Extra moment } M_2 = M - M_1$$

$$= 153956.25 - 332100$$

$$= 178144 \text{ kg-cm}$$

$$k = \frac{9}{9 + \frac{1350}{90}}$$

$$= .375$$

$$j = 1 - \frac{0.375}{3}$$

$$= 0.875$$

$$R = .5 \times 90 \times 0.875 \times 0.375$$

So ok

$$= 14.76$$

Step:-04

Area of tensile steel – As

1) Tensile reinforcement-

$$A_{s1} = \frac{M_1}{f_s j d} = \frac{332100}{1350 \times 0.875 \times 30} = 9.37 \text{ cm}^2$$

$$A_{s2} = \frac{M_2}{f_s (d - d')} \\ = \frac{178144}{1350 (35 - 5)} \\ = 4.39 \text{ kg-cm}$$

Total area of tensile steel,

$$A_s = A_{s1} + A_{s2} = 9.37 + 4.39 \\ = 13.76$$

Use 6- 22mm ϕ as main bar

Step:-5

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292 \sqrt{210} = 4.23 \text{ kg/cm}^2.$$

$$v = \frac{V_{cr}}{bd} \\ = \frac{1402.5}{25 \times 30} \\ = 9.85 \text{ kg/cm}^2 > 4.23 \text{ kg/cm}^2.$$

Hence Stirrups must be required.

$$V' = V - V_c = 9.85 - 4.15 \\ = 5.72 \text{ kg-cm}$$

$$V_{cr} = V - \frac{Wd}{100} \\ = 153 - \frac{10250 \times 35}{3.45 \times 100} \\ = 1402.5 \text{ kg}$$

Step:-06:

portion required for stirrup-s

$$a = \left(\frac{L}{2} - d\right) \times \frac{V'}{V} \\ = \left(\frac{700}{2} - 35\right) \times \frac{5.72}{9.85}$$

$$= 182.92\text{cm}$$

Spacing for stirrup = $a+2d$

$$=182.92+35$$

$$=252.92$$

Step:-07

spacing for stirrup

use 10mm ϕ as stirrup $a_v= 1.57$

we know,

$$1) s = \frac{a_v f_v}{v' b} = \frac{1.57 \times 1350}{5.72 \times 30} = 12.35\text{cm}$$

$$2) s = \frac{a_v}{0.0015b} = \frac{1.57}{0.0015 \times 30} = 34.88\text{cm}$$

$$3) s = \frac{d}{2} = \frac{45}{2} = 22.5\text{cm}$$

use 10mm ϕ @ 12cm c/c

Step:-08

check for bond stress

$$U = \frac{v}{\epsilon \sigma_j d}$$

$$= \frac{1759.5}{70.34 \times 0.875 \times 35} = 0.816$$

$$U_{\text{all}} = \frac{3.23 \sqrt{f_r c}}{D} = \frac{3.23 \sqrt{200}}{3.2} = 14.27\text{kg/cm}^2$$

$$U < U_{\text{all}}$$

so ok

GRADE BEAM-05

Step:-1

Design Load Calculation-W

$$\begin{aligned}\text{Self wt of beam} &= 1 \times \frac{b}{100} \times \frac{d}{100} \times 2400 \\ &= 1 \times \frac{25}{100} \times \frac{35}{100} \times 2400 \\ &= 210 \text{ kg/m}\end{aligned}$$

$$\text{Super imposed load } \omega = 810 \text{ kg/m}$$

$$\text{Design load } w = 1020 \text{ kg/m}$$

$$\text{total design load } W = wL = 1020 \times 4.36 = 4447.2 \text{ kg}$$

Step:-2

Maximum Vertical Shear Force- V

$$V = \frac{w}{2} = \frac{4447.2}{2} = 2223.6 \text{ kg.}$$

Step:-3

Maximum B.M- M

$$M = \frac{wl}{8} = \frac{4447.2 \times 4.36}{8} \times 100 = 242372.4 \text{ kg-cm.}$$

Step:-4

Effective depth-d

$$D = \sqrt{\frac{M}{R_b}}$$

$$k = .40$$

$$= \sqrt{\frac{242372.4}{16.49 \times 25}}$$

$$j = 0.86$$

$$= 24.5 \text{ cm} = 25 \text{ cm}$$

$$R = 16.49$$

$$\text{total depth } D = 25 + 5 = 30 \text{ cm}$$

Step:-5

Area of tensile steel – A_s

$$A_s = \frac{M}{f_s j d} = \frac{242372.4}{1400 \times 0.866 \times 30} = 7.00 \text{ cm}^2$$

Using 4-16 mm ϕ as main bar .

Step:-6

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292 \sqrt{210} = 4.23 \text{ kg/cm}^2.$$

$$v = \frac{V_{cr}}{bd} = \frac{1917.6}{25 \times 30}$$

$$= 2.55 \text{ kg/cm}^2 < 4.23 \text{ kg/cm}^2.$$

Hence Stirrups must not be required.

Nominal stirrup must be required.

Spacing of stirrup = 30 cm c/c.

$$V_{cr} = V - \frac{Wd}{100} = 2223.6 - \frac{1020 \times 30}{100} = 1917.6 \text{ kg}$$

Step:-7

No need.

Step:-8

Spacing required for stirrup-s

No need.

Step:-9

Check for bond stress - u

$$u = \frac{V}{\epsilon o j d}$$

$$= \frac{2223.6}{20.10 \times 0.866 \times 30}$$

$$= 4.25 \text{ kg/cm}^2 > U_{\text{all}}$$

So ok

$$U_{\text{all}} = \frac{3.23 \sqrt{f'_c}}{D} = \frac{3.23 \sqrt{210}}{1.6}$$

$$\epsilon o = N \phi \pi$$

$$= 4 \times 3.1416 \times 1.6$$

$$= 20.10 \text{ cm}$$

$$= 23.25 \text{ kg/cm}^2$$

GRADE BEAM-06

Step:-1

Design Load Calculation-W

$$\text{Self wt of beam} = 1 \times \frac{b}{100} \times \frac{d}{100} \times 2400$$

$$= 1 \times \frac{25}{100} \times \frac{35}{100} \times 2400$$

$$= 210 \text{ kg/m}$$

$$\text{Super imposed load } \omega = 810 \text{ kg/m}$$

$$\text{Design load } w = 1020 \text{ kg/m}$$

$$\text{total design load } W = wL = 2.8 = 2856 \text{ kg}$$

Step:-2

Maximum Vertical Shear Force- V

$$V = \frac{w}{2} = \frac{2856.2}{2} = 1428 \text{ kg.}$$

Step:-3

Maximum B.M- M

$$1) \text{ B.M, } M = \frac{wl}{8} = \frac{2856 \times 2.80}{8} \times 100 = 999600 \text{ kg-cm.}$$

$$k = k = .40$$

$$2) \text{ Registering moment } M_1 = Rbd^2$$

$$j = j = 0.866$$

$$= 16.36 \times 25 \times 30^2$$

$$R = 16.36$$

$$= 368100 \text{ kg-cm}$$

$$3) \text{ Extra moment } M_2 = M - M_1$$

$$= 999600 - 368100$$

$$= 631500 \text{ kg-cm}$$

Step:-04

Area of tensile steel – As

2) Tensile reinforcement-

$$A_{s1} = \frac{M_1}{f_s j d} = \frac{368100}{1400 \times 0.866 \times 30} = 10.12 \text{ cm}^2$$

$$\begin{aligned} A_{s2} &= \frac{M_2}{f_s (d-d')} \\ &= \frac{631500}{1400(30-5)} \\ &= 18.04 \text{ kg-cm} \end{aligned}$$

Total area of tensile steel,

$$\begin{aligned} A_s &= A_{s1} + A_{s2} = 10.12 + 18.04 \\ &= 28.16 \text{ cm}^2 \end{aligned}$$

Use 11- 22mm ϕ as main bar

Step:-5

Check for shear stress- v

$$V_c = .292 \sqrt{f'c}$$

$$= .292 \sqrt{210} = 4.23 \text{ kg/ cm}^2.$$

$$\begin{aligned} v &= \frac{V_{cr}}{bd} \\ &= \frac{1071}{25 \times 35} \\ &= 1.22 \text{ kg/ cm}^2 < 4.23 \text{ kg/ cm}^2. \end{aligned}$$

Hence Stirrups must not be required.

Nominal stirrup must be required.

Spacing of stirrup = 25 cm c/c.

$$\begin{aligned} V_{cr} &= V - \frac{Wd}{L \times 100} \\ &= 1428 - \frac{2856 \times 35}{2.8 \times 100} \\ &= 1071 \text{ kg} \end{aligned}$$

Step:-7

No need.

Step:-8

Spacing required for stirrup-s

No need.

Step:-9

Check for bond stress - u

$$u = \frac{V}{\epsilon o j d}$$
$$= \frac{1428}{50.24 \times 866 \times 35}$$
$$= 5 \times 3.1416 \times 3.2$$

$$= 0.93 \text{ kg/cm}^2 > U_{\text{all}}$$

So ok

$$U_{\text{all}} = \frac{3.23 \sqrt{f_c}}{D} = \frac{3.23 \sqrt{210}}{3.2}$$

$$\epsilon o = N \phi \pi$$

$$= 50.24 \text{ cm}$$

$$= 14.62 \text{ kg/cm}^2$$

Stair Design

Given data,

Span length = 3.43 m

Rise = 16 cm

Nos of riser = 11 nos

Tread = 26 cm

Nos of tread = 10 nos

Tread space = 260 cm

Step- 1: load calculation-w

Considering 1m stirup of stair,

Given,

Design span, L = 3.37 m

Assume minimum thickness of weist slab,

S = 15 cm

Given, T = 26 cm

R = 16

$$\begin{aligned} 1. \text{ Wt of weist slab} &= s\sqrt{R^2 + T^2} \times 1 \times \frac{24}{T} \\ &= 15 \sqrt{16^2 + 26^2} \times 1 \times \frac{24}{26} = 42270 \text{ kg/m} \end{aligned}$$

$$2. \text{ Wt of step} = 12 \times R = 12 \times 16 = 192 \text{ kg/m}$$

$$3. \text{ Live load} = 430 \text{ kg/m}$$

$$4. \text{ Railing} = 50 \text{ kg/m}$$

$$\text{Total} \qquad \qquad \qquad w = 1094.7 \text{ kg/m}$$

$$\text{Total design load } W = w \times l = 1094.7 \times 3.43 = 3754.82 \text{ kg}$$

Step- 2 : Maxm Bending moment–M

$$M = \frac{wl}{8} \times 100 = \frac{3754.82 \times 3.43}{8} \times 100 = 160988 \text{ kg-cm}$$

Step- 4 Effective depth of stair - d

$$D = \sqrt{\frac{M}{Rb}}$$
$$= \sqrt{\frac{160988}{15.61 \times 100}}$$
$$= 10.15 \text{ cm}$$

Using 16 mm \emptyset bar and 2 cm clear cover

$$\text{The total depth, } t = 10.15 + 2 + \frac{1.6}{2} = 12.95 \text{ cm} < 15 \text{ cm}$$

Hence ok,

Acceptable total depth = 15 cm

Actual Effective depth = 15 – 2.8 = 12.20 cm

Step- 5: Area of tensile steel - A_s

$$A_s = \frac{M}{f_{sjd}} = \frac{160988}{1400 \times 0.87 \times 12.2}$$
$$= 10.78 \text{ cm}^2$$

Using 12 mm \emptyset bar, $a_s = 1.13 \text{ cm}$

$$\therefore \text{spacing} = \frac{100 \times a_s}{A_s} = \frac{100 \times 2.00}{10.78} = 18.55 \text{ cm c/c}$$

Using 16 mm \emptyset bar @ 18.55 cm c/c

Step- 6: check for stress – v

$$v = \frac{V}{bd} = \frac{1877.41}{100 \times 12.2} = 1.53 \text{ kg/cm}^2$$

Step- 7: check for bond stress-u

$$U = \frac{V}{\sum ojd}$$
$$= \frac{1874.41}{27.09 \times 0.87 \times 12.2}$$
$$= 6.49 \text{ kg/cm}^2$$

$$\sum 0 = N\pi D$$
$$= \frac{100}{18.55} \times \pi \times 1.6$$
$$= 27.09 \text{ cm}$$

Hence ok

Step- 8: Area of temperature bar- A'_s

$$A'_s = 0.0025bt$$
$$= 0.0025 \times 100 \times 15 = 3.75 \text{ cm}^2$$

Using 10 mm \emptyset bar , $a_s = .79 \text{ cm}^2$

$$\therefore \text{spacing} = \frac{100 \times .79}{3.75} = 20.93 \text{ cm} \cong 24 \text{ cm c/c}$$

Using 10 mm \emptyset bar @ 24 cm c/c

Design of lintel

Step-1

Load calculation-w

Design span length of beam, $L = 1.52 + .15 = 1.65\text{m}$

Thickness of wall = 12.5 cm

Width of lintel = 12.5 cm

Assume Total depth of lintel , $D = 15\text{ cm}$

Height of Wall $h_w = 1.5\text{ m}$

Height of triangle, $h_t = (L/2) \times \tan 60 = 1.42\text{ m} < 1.5\text{ m}$

Triangler calculation is acceptable .

Self wt. of Lintel $w_1 = 1.65 \times .125 \times .15 \times 2400 = 74.25\text{ kg}$

Wt. of brick wall $W_2 = .5 \times 1.65 \times 1.42 \times .125 \times 1920 = 281.16\text{ kg}$

Total load = 355.41 kg

Step -2

Maxm V. shear force

$$= \frac{W}{2} = \frac{355.41}{2} = 177.70\text{ kg}$$

Step -3

Maxm B.M- M

$$= \left(\frac{w_1 L}{8} + \frac{w_2 L}{6} \right) \times 100$$

$$= \left(\frac{74.25 \times 1.65}{8} + \frac{281.16 \times 1.65}{6} \right) \times 100$$

$$= 9263.30\text{ kg}$$

Step -4

Depth calculation :

$$d_t = \sqrt{\frac{M}{Rb}}$$

$$= \sqrt{\frac{9263.30}{14.93 \times 12.5}}$$

$$= 7.50 \text{ cm.}$$

Using 12mm ϕ bar and 5 cm clear cover .
 $R = .5 \times 94.5 \times .88 \times .359$

Total depth = 7.5+5= 12.5 cm.<21.5 cm.

Step -5

Area of tensile steel- As

$$A_s = \frac{M}{f_s j d} = \frac{9263.30}{1687 \times .97 \times 7.50}$$

$$= 0.75 \text{ cm}^2$$

Using 2-8mm dia bar.

Step-6

Cheek for shear stress -v

No need

$$k = \frac{n}{n + \frac{f_s}{f_c}}$$

$$k = \frac{10}{10 + \frac{1687}{94.5}}$$

$$= .359$$

$$J = 1 - \frac{0.359^3}{3}$$

$$= 0.88$$

$$= 14.93$$

SEPTIC Tank DESIGN

[৮০ জন ব্যবহারকারীর জন্ম]

সমাধানঃ

মনে করি,

মাথাপিছু দৈনিক সর্বোচ্চ সড়িয়ে প্রবাহের হার = ১৩৫ লিটার

$$\text{দৈনিক সর্বোচ্চ সড়িয়ে প্রবাহের হার} = 135 \times 80 = 10800 \text{ লিটার/দিন}$$

$$= 10.8 \text{ লিটার/ঘণ্টা}$$

$$\text{প্রবাহের ক্ষমতা} = 24 \text{ লিটার/ঘণ্টা} = 1 \text{ লিটার/মিনিট}$$

$$\text{প্রবাহের ক্ষমতা} = 10.8 \times 1 = 10.8 \text{ লিটার/মিনিট}$$

গতকারণে,

$$\text{প্রবাহের ক্ষমতা} = 1.6 \text{ লিটার/মিনিট}$$

$$\text{প্রবাহের ক্ষমতা} = \frac{10.8}{1.6} = 6.75 \text{ লিটার/মিনিট}$$

গতকারণে,

$$\text{প্রবাহের ক্ষমতা} = B, \text{ } L = 3B$$

$$\text{প্রবাহের ক্ষমতা} = L \times B = 3B \times B = 3B^2$$

$$3B^2 = 6.75$$

$$3B^2 = 6.75$$

$$B = \sqrt{\frac{6.75}{3}}$$

$$= 1.5 \text{ m}$$

$$\text{প্রবাহের ক্ষমতা} = L = 3 \times 1.5 = 4.5 \text{ m}$$

$$\text{প্রবাহের ক্ষমতা} = 0.5 \text{ m}$$

$$\text{প্রবাহের ক্ষমতা} = 1.5 + 0.5 = 2.10 \text{ m}$$

$$\text{প্রবাহের ক্ষমতা} = 4.5 \text{ m} \times 1.5 \text{ m} \times 2.1 \text{ m}$$

Check

গতকারণে,

$$\text{প্রবাহের ক্ষমতা} = 25 \text{ cm}$$

$$1) \text{ প্রবাহের ক্ষমতা} = 4.5 \times 1.5 \times \frac{25}{100} = 1.69 \text{ m}^3$$

$$2) \text{ প্রবাহের ক্ষমতা} = 0.033 \times 100 = 3.30 \text{ m}^3$$

$$3) \text{ we} \ddagger \text{qv} \text{RZ} \bar{\text{ø}} \text{v} \text{gRyZ} = 0.037 \times 100 \text{ m}^3 = 3.70 \text{ m}^3$$

$$4) \bar{\text{c}} \text{vg} \text{GjvKvi} \text{AvqZb} = 0.01 \times 100 = 1.00 \text{ m}^3$$

$$\ddagger \text{gvU} = 9.69 \text{ m}^3$$

$$\text{Zi} \ddagger \text{ji} \text{Rb} \& \text{RvqMv} \ddagger \text{Iv} \text{Av} \ddagger \text{Q}, = 4.5 \times 1.5 \times 1.6 = 10.8 \text{ m}^3 \text{ hv } 9.69 \text{ GjvKvi} \ddagger \text{P} \ddagger \text{q} \ddagger \text{ewk}$$

wWRvBb wVK Av}Q|

†mvKwcU wWRvBb

$$\dagger gvU \text{ wmD} \dagger qR \text{ cwigvb} = 10800 \text{ m}^3$$

aiv hvK ,

$$\dagger gvU \text{ i Aby}^{-a} \text{ eb } \dagger gZv = 1500 \text{ m}^3 / L \text{ cÖwZw`b|}$$

$$\dagger mvKwc \dagger U \text{ i Kvh} \text{ ©Ki AvqZb} = \frac{10800}{15} = 9 \text{ m}^3$$

Liv hvK

$$\text{AvMgb b} \dagger \dagger \text{ji wb} \dagger \dagger \text{P } \dagger mvKwc \dagger U \text{ i Kvh} \text{ ©Kix MfxiZv} = 4.5 \text{ m}$$

$$\dagger mvKwc \dagger U \text{ i Zj} \dagger \dagger \text{ ` } \dagger \dagger \text{ki } \dagger \dagger \text{ÿÎdj} = \frac{9}{4.5} = 2.0 \text{ m}^2$$

$$\dagger mvKwc \dagger U \text{ i e} \& \text{ ``vm} = D \text{ n} \dagger \dagger \text{j,}$$

$$\frac{\pi}{4} D^2 = 2$$

$$D = \sqrt{\frac{4 \times 2}{\pi}}$$
$$= 1.60 \text{ m}$$

$$\dagger mvKwc \dagger U \text{ i e} \& \text{ ``vm } D = 1.60 \text{ m.}$$

Estimating & Costing

1.0: Earth work in excavation

for footing

$$F_1 = 4 \times 1.7 \times 1.7 \times 1.5 = 17.34 \text{ m}^3$$

$$F_2 = 4 \times 2.28 \times 2.28 \times 1.5 = 31.19 \text{ m}^3$$

$$F_3 = 3 \times 1.96 \times 1.96 \times 1.5 = 17.28 \text{ m}^3$$

$$F_4=2 \times 2.4 \times 2.4 \times 1.5=17.28 \text{ m}^3$$

$$F_5=1 \times 2.76 \times 2.76 \times 1.5=11.43 \text{ m}^3$$

Total =95.06 m³

Rate analysis:

Cost of labour

(consider 10 m³, explain the terms lead=30m and lift 1.5 m)

Head massion- $\frac{1}{6}$ Nos @ Tk.500/Nos=83 Tk.

Labour-4 nos@Tk.300/Nos=1200 Tk.

Lumsum- =100 Tk.

Total =1383 Tk.

Contractor profit 10% of Total Tk.=138.3Tk.

Overhead cost 3.5% of total Tk. =48.41 Tk.

Vat 4.5% of total cost =62.24 Tk.

Total =1631.95 Tk.

Cost for per m³ = $\frac{1631.95}{10}$ =163.19 tk.

Total cost for filling= 163.19x95.06=15513.27 Tk.

1.1:Earth filling for foundation:

$\frac{1}{5}$ of total earth work in excavation

$$= \frac{1}{5} \times 95.06 = 19.01 \text{ m}^3$$

Rate analysis:

Cost of labour

consider 10 m^3

compaction labour= 2 nos@Tk.300/nos=600Tk.

Labour-12 nos@Tk.300/Nos=3600 Tk.

Lumsum- =100 Tk.

Total =4300 Tk.

Contractor profit 10% of Total Tk.=430Tk.

Overhead cost 3.5% of total Tk. =107.5 Tk.

Vat 4.5% of total cost =193.5 Tk.

Total =5031 Tk.

Cost for per $\text{m}^3 = \frac{5031}{10} = 503.1 \text{ tk.}$

Total cost for filling= $503.19.01 = 9563.93 \text{ Tk.}$

1.2: Sand filling:

Stair- $1 \times 2.26 \times 4.65 \times 0.45 = 4.73 \text{ m}^3$

Ver- $4 \times 1.52 \times 2.14 \times 0.45 = 5.855 \text{ m}^3$

At.bath+kitchen- $4 \times 1.52 \times 1.52 \times 0.45 = 4.16 \text{ m}^3$

C.Bath- $2 \times 1.25 \times 1.60 \times 0.45 = 2.079 \text{ m}^3$

M.Bed- $2 \times 4.79 \times 4.79 \times 0.45 = 20.65 \text{ m}^3$

Bed room- $2 \times 3.23 \times 3.23 \times 4.5 = 9.39 \text{ m}^3$

Drg.room- $2 \times 3.08 \times 3.08 \times 4.5 = 8.54 \text{ m}^3$

Dinning sp.- $2 \times 3.48 \times 2.75 \times 4.5 = 8.61 \text{ m}^3$

Bed room- $2 \times 3.48 \times 3.48 \times 4.5 = 10.899 \text{ m}^3$

Total = 74.913 m^3

Rate analysis:

consider $30 \text{ m}^3 @ \text{Tk.} 1400 / \text{m}^3 = 42000 \text{ Tk.}$

Cost of labour

Labour- $12 \text{ nos} @ \text{Tk.} 300 / \text{Nos} = 3600 \text{ Tk.}$

Lumsum- = 200 Tk.

Total = 45800 Tk.

Contractor profit 10% of Total Tk. = 4580 Tk.

Overhead cost 3.5% of total Tk. = 1603 Tk.

Vat 4.5% of total cost = 2061 Tk.

Total = 54044 Tk.

Cost for per $\text{m}^3 = \frac{54044}{30} = 1801.47 \text{ tk.}$

Total cost for filling = $1801.47 \times 74.913 = 134953.27 \text{ Tk.}$

1.3: Brick flat selling work:

For footing:

$F_1 = 4 \times 1.82 \times 1.82 = 13.24 \text{ m}^2$

$F_2 = 4 \times 2.43 \times 2.43 = 23.61 \text{ m}^2$

$F_3 = 3 \times 2.13 \times 2.13 = 13.61 \text{ m}^2$

$$F_4=2 \times 2.43 \times 2.43=11.80 \text{ m}^2$$

$$F_5=1 \times 2.74 \times 2.74=7.50 \text{ m}^2$$

$$\text{Total} \quad \quad \quad =69.76 \text{ m}^2$$

$$F_1=4 \times 1.82 \times 1.82=13.24 \text{ m}^2$$

$$F_2=4 \times 2.43 \times 2.43=23.61 \text{ m}^2$$

$$F_3=3 \times 2.13 \times 2.13=13.61 \text{ m}^2$$

$$F_4=2 \times 2.43 \times 2.43=11.80 \text{ m}^2$$

$$F_5=1 \times 2.74 \times 2.74=7.50 \text{ m}^2$$

$$\text{Total} \quad \quad \quad =69.76 \text{ m}^2$$

$$\text{veranda}- 3.5 \times 2.14=7.49 \text{ m}^2$$

$$\text{m.bed}-3.5 \times 4.79=16.76 \text{ m}^2$$

$$\text{at. bath}- 3.5 \times 1.52=5.32 \text{ m}^2$$

$$\text{bed room}-3.5 \times 3.23=11.30 \text{ m}^2$$

$$\text{drg. room}-3.5 \times 3.08=10.78 \text{ m}^2$$

$$\text{kitchen}-3.5 \times 1.52=5.32 \text{ m}^2$$

$$\text{dinning sp.}-3.5 \times 2.75=9.62 \text{ m}^2$$

$$\text{veranda}-3.5 \times 2.14=7.49 \text{ m}^2$$

$$\text{bed room}= 3.5 \times 3.48=12.18 \text{ m}^2$$

$$\text{bed room}-3.5 \times 3.48=12.18 \text{ m}^2$$

$$\text{veranda}-3.5 \times 2.14=7.49 \text{ m}^2$$

$$\text{kitchen}-3.5 \times 1.52=5.32 \text{ m}^2$$

$$\text{dinning sp}-3.5 \times 2.75=9.62 \text{ m}^2$$

$$\text{c. bath}=3.5 \times 1.6=5.6 \text{ m}^2$$

$$\text{drg.room} 3.5 \times 3.08=10.78 \text{ m}^2$$

$$\text{bed room}-3.5 \times 3.23=11.30 \text{ m}^2$$

$$\text{m.bed}-3.5 \times 4.79=16.76 \text{ m}^2$$

$$\text{at bath}-3.5 \times 1.52=5.32 \text{ m}^2$$

$$\text{veranda}-3.5 \times 2.14 = 7.49 \text{ m}^2$$

$$\text{total} = 183.72$$

Rate analysis for B.F.S

cost of materials is (considering 10m^2)

Brick: $10 \times 31 \text{ nos} = 310 @ \text{Tk.} 9500 / \text{thousand} = 2945 \text{Tk.}$

Sand(F.M 2.5): $10 \times 0.02 = 0.20 \text{m}^3 @ \text{Tk.} 1400 / \text{m}^3 = 280 \text{ Tk.}$

Labour cost:

Massion- $0.25 \text{ Nos} @ \text{Tk.} 400 / \text{head} / \text{day} = 100 \text{ Tk.}$

Skill labour- $1 \text{ Nos} @ \text{Tk.} 300 / \text{Head} / \text{day} = 300 \text{ Tk.}$

Lumsum- $= 50 \text{ Tk.}$

Total $= 3675 \text{ Tk.}$

Contractor profit 10% of total tk. $= 368 \text{Tk.}$

Overhead cost 3.5% of total tk. $= 129 \text{ Tk.}$

Vat 4.5% of total tk. $= 166 \text{ Tk.}$

G. Total $= 4338 \text{ Tk.}$

Cost for per $\text{m}^2 = \frac{4338}{10}$

$= 433.8 \text{ Tk}$

Total cost for Brick Flat Solling(B.F.S) $= (183.72 + 69.76) \times 433.8 = 109959 \text{ Tk.}$

1.4: Form work:

FOR GRADE BEAM :

BOTTOM : $4 \times 4.69 \times 0.25 = 4.69$

SIDE : $4 \times 2 \times 4.69 \times 0.35 = 13.13$

For Grade beam-2 :

Bottom : $3 \times 3.50 \times .25 = 2.625$

Side : $3 \times 2 \times 3.5 \times .35 = 7.35$

FOR GRADE BEAM - 3:

BOTTOM : $3 \times 4.6 \times .25 = 2.625$

SIDE : $6 \times 2 \times 4.6 \times .35 = 9.66$

FOR GRADE BEAM -4:

BOTTOM : $4 \times 3.45 \times .25 = 3.45$

SIDE : $4 \times 2 \times 3.45 \times .35 = 9.66$

FOR GRADE BEAM -5:

BOTTOM : $4 \times 4.36 \times .25 = 4.36$

SIDE : $4 \times 2 \times 4.36 \times .35 = 12.20$

FOR GRADE BEAM -6:

BOTTOM : $1 \times 2.79 \times .25 = 0.69$

SIDE : $1 \times 2 \times 2.79 \times .35 = 1.95$

T- BEAM -1:

BOTTOM : $4 \times 13.23 \times .25 = 13.23$

SIDE : $4 \times 2 \times 13.25 \times .45 = 15.9$

T- BEAM -2:

BOTTOM : $2 \times 13.58 \times .25 = 6.79$

SIDE : $2 \times 2 \times 13.58 \times .25 = 13.58$

T- BEAM -3:

BOTTOM : $1 \times 8.43 \times .25 = 2.10$

SIDE : $1 \times 2 \times 8.43 \times 4.5 = 7.58$

T- BEAM -3:

BOTTOM : $2 \times 4.34 \times 2.25 = 2.17$

SIDE : $2 \times 2 \times 4.34 \times 2.25 = 4.34$

FOR ROOTING BASE SIDE :

F1 = $4 \times 7.28 \times 2.35 = 6.84$

F2 = $4 \times 9.72 \times 3.05 = 11.85$

F3 = $3 \times 8.52 \times 3.55 = 9.07$

F4 = $2 \times 9.72 \times 3.85 = 7.48$

F5 = $1 \times 10.96 \times 4.25 = 4.658$

FOR LANDING BEAM

BOTTOM : $1.22 \times 1.15 \times 3 = 4.209$

SIDE : $(1.22 + 1.15) \times 4 \times 1.15 \times 3 = 4.266$

FOR SLAB

BOTTOM : $13.25 \times 13.58 \times 3 = 539.805$

SIDE : $(13.25 \times 2) + (13.58 \times 2) \times 1.15 \times 3 = 38.72$

FOR COLUMN BELOW G.L :

C1: $4 \times 1.2 \times 1.5 = 7.2$

C2: $4 \times 1.2 \times 1.5 = 7.2$

C3: $3 \times 1.2 \times 1.5 = 5.4$

C4: $2 \times 1.4 \times 1.5 = 4.2$

C5: $1 \times 1.6 \times 1.5 = 2.4$

FOR COLUMN ABOVE G.L

$$C1 : 4 \times 1 \times 12.2 = 48.8$$

$$C1 : 4 \times 1 \times 10 = 40.0$$

$$C1 : 3 \times 1 \times 10 = 30$$

$$C1 : 2 \times 1.2 \times 10 = 24$$

$$C1 : 1 \times 1.4 \times 10 = 14$$

$$G. \text{ TOTAL} = 948.93$$

$$\text{TOTAL FORM WORK} = 948.93$$

$$\text{TOTAL WORK FORM WORK} = 948.93 \times 0.025 = 23.72$$

RATE ANALYSIS

$$\text{CONSIDERING} = 2.83$$

$$\text{COST OF SUTTER} : 8000$$

$$\text{COST OF LABOUR} : 2000 \text{ TK}$$

$$\text{LUMSUM} : 50$$

$$\text{PIN} = 50$$

TOTAL = 10100 TK

CONTRACTOR PROFIT 10% @ TOTAL TK = 1010 TK

OVER HEAD COST 3.5% @TOTAL = 354 TK

VAT 4.5% @ TOTAL TK = 455 TK

G.L TOTAL = 11919 TK

PER COST = $11919/2.83 = 4211.67$ TK

TOTAL COST = $4211.67 \times 23.72 = 99900.81$ TK

1.5: R.C.C work:

R.C.C Work for Footing:

$$F_1 - 4 \times 1.83 \times 1.83 \times 0.38 = 5.10 \text{ m}^3$$

$$F_2 - 4 \times 2.43 \times 2.43 \times 0.48 = 11.33 \text{ m}^3$$

$$F_3 - 3 \times 2.13 \times 2.13 \times .40 = 5.44 \text{ m}^3$$

$$F_4 - 2 \times 2.43 \times 2.43 \times .35 = 4.13 \text{ m}^3$$

$$F_5-1 \times 2.7 \times 2.7 \times .58 = 4.22 \text{ m}^3$$

$$\text{total} \quad \quad \quad = 30.22 \text{ m}^3$$

R.C.C work for column:

for column below-G.L

$$C_1-4 \times .30 \times .30 \times 1.14 = 0.41 \text{ m}^3$$

$$C_2-4 \times .30 \times .35 \times 1.14 = 0.48 \text{ m}^3$$

$$C_3-3 \times 0.40 \times 0.40 \times 1.14 = 0.55 \text{ m}^3$$

$$C_4-2 \times .30 \times .35 \times 1.14 = 0.24 \text{ m}^3$$

$$C_5-1 \times .40 \times .4 \times 1.14 = 0.18 \text{ m}^3$$

$$\text{total} \quad \quad \quad = 1.86 \text{ m}^3$$

Above G.L

$$C_1-4 \times .25 \times .25 \times 12.6 = 3.15 \text{ m}^3$$

$$C_2-4 \times .25 \times .30 \times 12.6 = 3.78 \text{ m}^3$$

$$C_3-3 \times 0.35 \times .35 \times 12.6 = 4.63 \text{ m}^3$$

$$C_4-2 \times .25 \times .30 \times 12.6 = 1.89 \text{ m}^3$$

$$C_5-1 \times .35 \times .35 \times 12.6 = 1.54 \text{ m}^3$$

$$\text{total} \quad \quad \quad = 15 \text{ m}^3$$

For beam:

$$\text{Grade beam-1 (o/w)} : 1 \times 46.73 \times .35 \times .35 = 5.72 \text{ m}^3$$

$$\text{Grade beam-2 (I/w)} : 1 \times 33.63 \times .25 \times .30 = 2.52 \text{ m}^3$$

$$\text{Lintel} : 3 \times 74 \times .25 \times .15 = 8.23 \text{ m}^3$$

$$\text{beam (1)} : 3 \times 12.62 \times .25 \times .25 = 2.36 \text{ m}^3$$

$$\text{beam (2)} : 3 \times 6.64 \times .25 \times .25 = 1.245 \text{ m}^3$$

$$\text{beam (3)} : 3 \times 6.96 \times .30 \times .25 = 1.56 \text{ m}^3$$

$$\text{beam (4)} : 3 \times 10 \times .25 \times .25 = 1.87 \text{ m}^3$$

$$\text{beam (5)} : 3 \times 14.79 \times .30 \times .25 = 3.32 \text{ m}^3$$

$$\text{beam (6)} : 3 \times 12.46 \times .30 \times .30 = 3.36 \text{ m}^3$$

$$\text{Landing beam} - 3 \times 2.26 \times .25 \times .125 = 0.21 \text{ m}^3$$

$$\text{slab-1} : 3 \times 13.25 \times 13.58 \times .10 = 53.98 \text{ m}^3$$

$$\text{total} = 84.376 \text{ m}^3$$

$$\text{Total R.C.C} = 84.37 + 15 + 1.86 + 30.22 = 131.456 \text{ m}^3$$

Rate analysis:

Considering 10 m^3

$$\text{Dry} = 10 \times 1.5 = 15 \text{ m}^3$$

$$\text{Ratio} - 1 + 2 + 4 = 7$$

$$\text{Cement} = \frac{15 \times 1}{7} \times 30 = 64.28 \cong 65 \text{ bag}$$

$$\text{Sand} = \frac{15 \times 2}{7} = 4.29 \text{ m}^3$$

$$\text{Khoa} = \frac{15 \times 4}{7} = 8.57 \text{ m}^3 @ 350 \text{ nos/m}^3 = 2999 = 3000 \text{ Nos}$$

Cost for materials:

Cement- 65 bag @ Tk.490/bag = 31850 Tk.

Sand -4.29 m^3 @ Tk.1400/ m^3 = 6006 Tk.

Brick-3000 Nos @ tk.9000/thousand = 27000 Tk.

Cost of labour:

Head massion: 1 Nos @ Tk.500/Nos/day = 500 Tk.

Massion- 3 nos@tk.400/Nos=1200 Tk.

Labour- 25 N0s@Tk.300/Nos=7500 Tk.

Curing-7Nos@Tk.250/nos=1750 Tk.

mix. machine-Tk.2000/ day=2000 Tk.

Vibrato m.- Tk.500/day =500

total =78306 Tk.

Contractor profit 10% of Total Tk.=7830.6Tk.

Overhead cost 3.5% of total Tk. =2740 Tk.

Vat 4.5% of total cost =3523.78 Tk.

Total =92400.38 Tk.

Cost for per m³ = $\frac{92400.38}{10}$ =9240.038 tk.

Total cost for R.C.C= 9240.038 x131.456=1214658.43 Tk.

1.6: MS WORK

Long direction

- (i) 12 mm ϕ bar @ 15 cm c/c. = 10.00 x 41 = 410 @ .89 kg/m =
364.9x4=1469 kg
No = 41 st and 41 ckd
Ckd , l = 10.60 m
St L= 10.47 m x41 = 429.27 m @ .89 kg/m = 382.05x4=1528.2 kg

Ext top

10 mm φ bar @ 30 cm c/c. = $2.24 \times 41 = 91.84$ m @ .62 kg/m = $56.94 \times 4 = 227.76$ kg.

Nos = 41

Middle

$2.27 \times 41 \times .62 = 57.70 \times 4 = 230.8$ kg.

Short Direction

12 mm φ bar @ 15 cm c/c.

$$\text{No} = \frac{1325 - 15}{15} + 1$$

= 90 Nos

St = 45

k

Ckd L = $1325 + .45 \times 8 \times 8 = 1294.80$ cm = $42.05 \times 45 \times .89 = 1684.74 \times 4 = 6736.41$ kg

St = $13.25 \times 45 \times .89 = 530.66 \times 4 = 2122.66$ kg

Ext Top

10 mm φ bar @ 30 cm c/c. = $0.565 \times 45 \times .62 = 15.76 \times 4 = 63.05$ kg.

(i) $2.67 \times 45 \times .62 \times 4 = 297.97 \times 4 = 1191$ kg

(ii) $1.31 \times 45 \times .62 = 36.54 \times 4 = 146.19$ kg

Total slab steel = 13715.07 kg.

Footing

F1

a) 20-20 mm φ bar @ 15 cm c/c. = $20 \times 2.85 \times 2.46 = 140.25$ kg
L = $300 - 7.5 \times 2 = 2.85$

b) 19-12mm φ bar @ 15 cm c/c. = $19 \times 2.85 \times .88 = 47.65$ kg

= $187.9 \times 4 = 751.6$ kg.

F2

a) 25-20 mm φ bar @ 15 cm c/c. = $25 \times 2.46 \times 2.46 = 151.29$ kg
L = $261 - 15 = 246$ cm.

b) 25-20 mm φ bar @ 15 cm c/c. = 69.96 kg

= $221.25 \times 4 = 885$ kg

F3

a) 22-20 mm φ bar @ 15 cm c/c. = $1.92 \times 22 \times 2.46 = 103.51$ kg

b) 22-12 mm φ bar @ 15 cm c/c. = 37.18 kg.

= $141.09 \times 3 = 423.27$ kg

F4

a) 25-20 mm φ bar @ 15 cm c/c. = $1.35 \times 25 \times 2.46 = 83.02$ kg

b) 25-12mm φ bar @ 15 cm c/c. = 29.7 kg.

= $112.72 \times 2 = 225.45$ kg

F5

a) 28-16 mm φ bar @ 15 cm c/c. = $2.22 \times 28 \times 1.58 = 98.21$ kg

b) 28-12 mm φ bar @ 15 cm c/c. = 54.7 kg.

= 152.91 kg

In total = 2438.23 kg

MS Work for column

Total 20 mm φ bar as main v. bar = 1956 kg

Total 16 mm φ bar as v. bar = 1325 kg

Total 10 mm φ bar as tie bar = 156 kg

MS Work for Grade beam

Total 4-16 mm φ bar as main bar = $4 \times 109.47 @ 1.58 \text{ kg/m} = 79.85 \text{ kg}$.

Total 4-12 mm φ bar as hanger bar = $2 \times 109.47 @ .89 \text{ kg/m} = 194.86 \text{ kg}$.

10 mm φ bar as stirrup = $366 \times 1.2 @ .62 \text{ kg / m} = 282.3 \text{ kg}$.

MS Work for lintel

4-8 mm φ bar as main bar = $4 \times 109.44 @ .39 \text{ kg/m.} = 170.77 \times 4 = 683.08 \text{ kg}$.

8- mm φ bar as nominal stirrup = $366 \times .53 @ .39 \text{ kg / m} = 76 \times 4 = 304 \text{ kg}$.

T-beam

Total 20 mm φ bar = $48 \times 4 = 192 \text{ kg}$

Total 16 mm φ bar = $347.67 \times 4 = 1390.68 \text{ kg}$

Total 22 mm φ bar = $68.15 \times 4 = 272.6 \text{ kg}$

Total 20 mm φ bar = $42.2 \times 4 = 168.8 \text{ kg}$

Total 10 mm φ stirrups = $44.5 \times 4 = 178 \text{ kg}$

Stair

Total 12 mm φ bar = $358.12 \times 11 = 3938$ kg

Total 10 mm φ bar = $121.04 \times 11 = 1331.44$ kg

Sunshade

W

10 mm φ main bar = $4.34 \times 31 = 134.54$ kg

10 mm φ as tem bar = $2.69 \times 31 = 78.01$ kg.

W1

10 mm φ main bar = $2.6 \times 25 = 65$ kg.

10 mm φ tem bar = $1.58 \times 25 = 39.5$ kg.

Septic Tank

Nos of Rod = $\frac{543-10}{15} + 1 = 37$ nos

Length = $2.48 - 2 \times 0.5 = 2.38$ m.

(i) 9-12 mm φ st bar as bar = $19 \times 2.38 @ .89 \text{ kg/m.} = 40.25$ kg.

(ii) 8-12 mm φ ckd bar as= $18 \times 2.43 @ .89 \text{ kg/m} = 38.93 \text{ kg}$.
Temp bar

12 mm φ as temp bar = $17 \times 5.33 @ .89 \text{ kg/m} = 80.64 \text{ kg}$.

Total 8- mm φ bar = 987.08 kg

Total 10- mm φ bar = 3618.32 kg

Total 12- mm φ bar = 8939.98 kg

Total 16- mm φ bar = 6812.42 kg

Total 20- mm φ bar = 2646.80 kg

Total 22- mm φ bar = 817.80 kg

Total Steel = 36750.03 kg

RATE ANALYSIS

a. TOTAL STEEL = 36750.03 KG @ 60TK/KG = 2205001.80 TK

1.7: 1st Class Brick Work

Ground Floor:

Total length(CL) = $56.38 + 39.01 = 95.39 \text{ m}$

Brick work: $95.39 \times 1.25 \times 2.5 = 29.80 \text{ m}^3$

Deduction:

$$D_1=7 \times 1.2 \times 2.1 \times 125=2.20 \text{ m}^3$$

$$D_2=6 \times 80 \times 2.1 \times 125=1.26 \text{ m}^3$$

$$W_1=5 \times 1.8 \times 1.2 \times 125=1.35 \text{ m}^3$$

$$W_2=3 \times 60 \times 60 \times 125=.135 \text{ m}^3$$

$$\text{Total} \quad \quad \quad =4.95 \text{ m}^3$$

$$\text{Actual brick work}=29.80-4.95=24.85 \text{ m}^3 \cong 25 \text{ m}^3$$

Brick work for 1st, 2nd, 3rd floor:

$$\text{Total length(CL)}=54.14+55.61=109.75=110\text{m}$$

$$\text{Brick work: } 110 \times 125 \times 2.5=34.375 \text{ m}^3$$

Deduction:

$$D_1=8 \times 1.2 \times 2.1 \times 125=2.52 \text{ m}^3$$

$$D_2=10 \times 80 \times 2.1 \times 125=2.10 \text{ m}^3$$

$$W_1=8 \times 1.8 \times 1.2 \times 125=2.16 \text{ m}^3$$

$$W_2=4 \times 60 \times 60 \times 125=.18 \text{ m}^3$$

$$\text{Total} \quad \quad \quad =6.96 \text{ m}^3$$

$$\text{Actual brick work}=34.375-6.96=27.41 \text{ m}^3$$

$$\text{Total brick work} = 3 \times 27.41=82.245 \text{ m}^3$$

$$\text{All brick work}=25+82.245=107.245 \text{ m}^3$$

Rate analysis:

Considering 10 m^3

$$\text{Dry} = 10 \times 35=3.5 \text{ m}^3$$

$$\text{Ratio-}1+6=7$$

$$\text{Brick-}10 \text{ m}^3 @ 410 \text{ nos/ m}^3=4100$$

$$\text{Cement}=\frac{3.5 \times 1}{7} \times 30=15 \text{ bag}$$

$$\text{Sand} = \frac{3.5 \times 6}{7} = 3 \text{ m}^3$$

Cost for materials:

Brick-4100Nos@tk.9000/thousand=36900 Tk

Cement- 15 bag@Tk.490/bag=7350 Tk.

Sand -3 m³@Tk.1200/ m³=3600 Tk.

.

Cost of labour:

Head massion: . 5 Nos@Tk.500/Nos/day=250 Tk.

Massion- 8 nos@tk.400/Nos=3200 Tk.

Ordinary Labour- 4 N0s@Tk.350/Nos=1400 Tk.

Curing labour- 2 nos@300/Nos=600Tk.

total =56300 Tk.

Contractor profit 10% of Total Tk.=5630Tk.

Overhead cost 3.5% of total Tk. =1970 Tk.

Vat 4.5% of total cost =2533 Tk.

Total =66433.5 Tk.

Cost for per m³ = $\frac{66433.5}{10}$ =6643.3 tk.

Total cost for R.C.C= 6643.3 x107.245=712460.70 Tk.

1.8: Plaster work:

Ground floor (in side)

Garage – L=9.45+1.52+4.4+4.6+6.5=26.46m²

Guard room-(3x2)+(3.78x2)=13.56 m²

$$\text{Store room}-(3.2 \times 2)+(2.1 \times 2)=10.6 \text{ m}^2$$

$$\text{Bath}-(1.52 \times 2)+(1.52 \times 2)=6.08 \text{ m}^2$$

$$\text{Bed room}-(4.79+3.79) \times 2=17.15 \text{ m}^2$$

$$\text{Ver} - 2 \times (1.52+2.14) \times 2=14.64 \text{ m}^2$$

$$\text{At. Bath+kitchen} - 2 \times (1.52+1.52) \times 2=12.16 \text{ m}^2$$

$$\text{c.Bath}-(1.52+1.60) \times 2=4.86 \text{ m}^2$$

$$\text{Bed-2}:(3.23+3.23) \times 2=12.92 \text{ m}^2$$

$$\text{Drg.room}-(3.08+3.08) \times 2=12.32 \text{ m}^2$$

$$\text{Dinning sp}-(3.48+2.75) \times 2=12.25 \text{ m}^2$$

$$\text{Bed-3}:(3.48+3.48) \times 2=13.92 \text{ m}^2$$

$$\text{Total} \quad \quad \quad =100.32 \text{ m}^2$$

Deduction :

$$D_1=7 \times 1.20 \times 2.10=17.64 \text{ m}^2$$

$$D_2=6 \times 0.80 \times 2.10=10.08 \text{ m}^2$$

$$W_1=5 \times 1.80 \times 1.20=10.8 \text{ m}^2$$

$$W_2=3 \times 1.20 \times 1.20=4.32 \text{ m}^2$$

$$\text{Total} \quad \quad \quad =42.72 \text{ m}^2$$

$$\text{Actual plaster for wall}=100.32-42.72=57.56 \text{ m}^2$$

Rate analysis:

Considering 50 m^2

$$\text{Volume}=50 \times 0.012=0.6 \text{ m}^3$$

$$\text{Dry} = 0.6 \times 1.5=0.9 \text{ m}^3$$

Ratio-1+6=7

$$\text{Cement} = \frac{0.9 \times 1}{7} \times 30 = 3.85 \cong 4 \text{ bag}$$

$$\text{Sand} = \frac{0.9 \times 6}{7} = 0.77 \text{ m}^3$$

Cost for materials:

Cement- 4 bag@Tk.490/bag=1960 Tk.

Sand -0.77 m³@Tk.1400/ m³=1078 Tk.

Cost of labour:

Head massion: $\frac{1}{6}$ Nos@Tk.500/Nos=83.33 Tk.

Massion- 5 nos@tk.400/Nos=2000 Tk.

Labour- 8 N0s@Tk.300/Nos=2400 Tk.

Lumsum - =200 Tk.

=7721.33 Tk.

Contractor profit 10% of Total Tk.=772.13Tk.

Overhead cost 3.5% of total Tk. =270.25 Tk.

Vat 4.5% of total cost =347.45 Tk.

Total =9111.169 Tk.

$$\text{Cost for per m}^2 = \frac{9111.169}{50} = 182.22 \text{ tk.}$$

Total cost for plaster= 182.22x56.45=10488.78 Tk.

Outside:

$$(13.25+13.58) \times 2 = 53.66 \times 3 = 160.98 \text{ m}^2$$

$$\text{Actual total plaster work} = (160.98 - 15) = 145.98 \text{ m}^2$$

Rate analysis:

Considering 100 m²

$$\text{Volume} = 100 \times 0.018 = 1.8 \text{ m}^3$$

$$\text{Dry} = 1.8 \times 1.5 = 2.7 \text{ m}^3$$

$$\text{Ratio-} 1+6=7$$

$$\text{Cement} = \frac{2.7 \times 1}{7} \times 30 = 11.57 \cong 12 \text{ bag}$$

$$\text{Sand} = \frac{2.7 \times 6}{7} = 2.31 \text{ m}^3$$

Cost for materials:

$$\text{Cement- } 12 \text{ bag} @ \text{Tk.} 490/\text{bag} = 5880 \text{ Tk.}$$

$$\text{Sand -} 2.31 \text{ m}^3 @ \text{Tk.} 1400/\text{m}^3 = 3234 \text{ Tk.}$$

Cost of labour:

$$\text{Head massion: } \frac{1}{3} \text{ Nos} @ \text{Tk.} 500/\text{Nos} = 166.66 \text{ Tk.}$$

$$\text{Massion- } 10 \text{ nos} @ \text{tk.} 400/\text{Nos} = 4000 \text{ Tk.}$$

$$\text{Labour- } 16 \text{ N0s} @ \text{Tk.} 300/\text{Nos} = 4800 \text{ Tk.}$$

$$\text{Lumsum - } = 200 \text{ Tk.}$$

$$\text{total} = 18280.66 \text{ Tk.}$$

$$\text{Contractor profit } 10\% \text{ of Total Tk.} = 1828.066 \text{ Tk.}$$

$$\text{Overhead cost } 3.5\% \text{ of total Tk.} = 639.82 \text{ Tk.}$$

$$\text{Vat } 4.5\% \text{ of total cost} = 822.63 \text{ Tk.}$$

$$\text{Total} = 21571.17 \text{ Tk.}$$

$$\text{Cost for per m}^3 = \frac{21571.17}{100} = 215.71 \text{ tk.}$$

$$\text{Total cost for plaster} = 215.71 \times 145.98 = 31489.59 \text{ Tk.}$$

Plaster work for 1st, 2nd, 3rd floor:

siling

$$\text{M. Bed-} 2 \times 4.79 \times 4.79 = 45.88 \text{ m}^2$$

$$\text{Ver-} 4 \times 1.52 \times 2.14 = 13.01 \text{ m}^2$$

$$\text{At. Bath-} 2 \times 1.52 \times 1.52 = 4.62 \text{ m}^2$$

$$\text{Bed room-} 2 \times 3.23 \times 3.23 = 20.85 \text{ m}^2$$

$$\text{Drg. Room}-2 \times 3.01 \times 3.01 = 18.97 \text{ m}^2$$

$$\text{C. Bath}-2 \times 1.52 \times 1.60 = 4.86 \text{ m}^2$$

$$\text{Kitchen}-2 \times 1.52 \times 1.52 = 4.62 \text{ m}^2$$

$$\text{Bed room}-2 \times 3.41 \times 3.41 = 24.22 \text{ m}^2$$

$$\text{Dinning sp.}-2 \times 3.48 \times 2.75 = 19.14 \text{ m}^2$$

$$\text{Stair room}-2.26 \times 4.65 = 10.51 \text{ m}^2$$

$$\text{Landing}-1.22 \times 1.15 = 1.403 \text{ m}^2$$

$$\text{Total} = 168.08 \text{ m}^2$$

$$= 168.08 \times 4$$

$$= 672.32 \text{ m}^2$$

Rate analysis:

Considering 100 m^2

$$\text{Volume} = 100 \times 0.006 = 0.6 \text{ m}^3$$

$$\text{Dry} = 0.6 \times 1.5 = 0.9 \text{ m}^3$$

$$\text{Ratio}-1+6=7$$

$$\text{Cement} = \frac{0.9 \times 1}{7} \times 30 = 3.87 \cong 4 \text{ bag}$$

$$\text{Sand} = \frac{0.9 \times 6}{7} = 0.77 \text{ m}^3$$

Cost for materials:

$$\text{Cement}- 4 \text{ bag} @ \text{Tk.}490/\text{bag} = 1960 \text{ Tk.}$$

$$\text{Sand} - 0.77 \text{ m}^3 @ \text{Tk.}1400/ \text{m}^3 = 1078 \text{ Tk.}$$

Cost of labour:

$$\text{Head massion: } \frac{1}{3} \text{ Nos} @ \text{Tk.}500/\text{Nos} = 166.66 \text{ Tk.}$$

$$\text{Massion}- 10 \text{ nos} @ \text{tk.}400/\text{Nos} = 4000 \text{ Tk.}$$

$$\text{Labour}- 16 \text{ N0s} @ \text{Tk.}300/\text{Nos} = 4800 \text{ Tk.}$$

Lumsum - =200 Tk.

total =12204.66Tk.

Contractor profit 10% of Total Tk.=1220.466Tk.

Overhead cost 3.5% of total Tk. =427.16 Tk.

Vat 4.5% of total cost =549.21 Tk.

Total =14401.50 Tk.

Cost for per m³ = $\frac{14401.50}{100}$ =144.015 Tk.

Total cost for plaster= 144.015 x672.32 = 96824.16 Tk.

Inside wall:

M.Bed-(4.79+4.79)x2x2x3=114.96 m²

Ver – (1.52+2.14)x2x2x3=43.92 m²

At.bath-(1.52+1.52)x2x2x3=36.48 m²

Bed room-(3.23+3.23)x2x2x3=77.52 m²

Drg.room-(3.08+3.08)x2x2x3=73.92 m²

C.Bath-(1.52+1.60)x2x2x3=37.44 m²

Kitchen-(1.52+1.52)x2x2x3=36.48 m²

Bed room-(3.48+3.48)x2x2x3=83.52 m²

Dinning sp.-(3.48+2.75)x2x2x3=74.76 m²

Stair –(2.26+4.65)x2x3 =37.38 m²

Landing-(1.22+1.15)x2x3 =14.22 m²

Total =631.28 m²

Deduction :

D₁=8x1.20x2.10=20.16 m²

$$D_2=10 \times 0.80 \times 2.10=16.8 \text{ m}^2$$

$$W_1=6 \times 1.80 \times 1.20=12.96 \text{ m}^2$$

$$W_2=3 \times 1.20 \times 1.20=4.32 \text{ m}^2$$

$$W_3=4 \times 0.6 \times 0.6=1.44 \text{ m}^2$$

$$\text{Total} \quad =55.68 \text{ m}^2$$

$$\text{Actual plaster work inside} =575.6 \text{ m}^2$$

$$=575.6 \times 3$$

$$=1726.8 \text{ m}^2$$

Rate analysis:

Considering 100 m^2

$$\text{Volume}=100 \times 0.012=1.2 \text{ m}^3$$

$$\text{Dry} = 1.2 \times 1.5=1.8 \text{ m}^3$$

$$\text{Ratio}-1+6=7$$

$$\text{Cement}=\frac{1.8 \times 1}{7} \times 30=7.71 \cong 8 \text{ bag}$$

$$\text{Sand}=\frac{1.8 \times 6}{7}=1.54 \text{ m}^3$$

Cost for materials:

Cement- 8 bag @ Tk.490/bag=3920Tk.

Sand -1.54 m^3 @ Tk.1400/ m^3 =2156Tk.

Cost of labour:

Head mason: $\frac{1}{3}$ Nos @ Tk.500/Nos=166.66 Tk.

Mason- 10 nos @ tk.400/Nos=4000 Tk.

Labour- 16 N0s@Tk.300/Nos=4800 Tk.

Lumsum - =200 Tk.

total =15042.66Tk.

Contractor profit 10% of Total Tk.=1504.266Tk.

Overhead cost 3.5% of total Tk. =526.49 Tk.

Vat 4.5% of total cost =676.89 Tk.

Total =17750.31 Tk.

Cost for per m³ = $\frac{17750.31}{100}$ =177.50 Tk.

Total cost for plaster= 177.50 x1726.8=306507 Tk.

Outside plaster:

$(13.25+13.58) \times 2 = 53.66 \times 10.5 = 663.43 \text{ m}^2$

Sunshade:

$W_1 = 2.1 \times .45 \times 2 + .45 \times \left(\frac{.10 + .06}{2}\right) \times 6 = 2.106 \text{ m}^2$

$W_2 = 1.5 \times .45 \times 2 + .45 \times \left(\frac{.10 + .06}{2}\right) \times 3 = 1.46 \text{ m}^2$

$W_3 = 0.9 \times .45 \times 2 + .45 \times \left(\frac{.10 + .06}{2}\right) \times 4 = 0.954 \text{ m}^2$

Total =4.52 m²

=4.52x3

=13.56+663.43

=676.99m²

$W_1 = 6 \times 1.80 \times 1.20 = 12.96 \text{ m}^2$

$W_2 = 3 \times 1.20 \times 1.20 = 4.32 \text{ m}^2$

$W_3 = 4 \times 0.6 \times 0.6 = 1.44 \text{ m}^2$

$$\begin{aligned} \text{Total} &= 18.72 \text{ m}^2 \\ &= 18.72 \times 3 \\ &= 56.16 \text{ m}^2 \end{aligned}$$

$$\text{Actual total outside plaster work} = 676.99 - 56.16 = 620.83 \text{ m}^2$$

Rate analysis:

Considering 100 m²

$$\text{Volume} = 100 \times 0.018 = 1.8 \text{ m}^3$$

$$\text{Dry} = 1.8 \times 1.5 = 2.7 \text{ m}^3$$

$$\text{Ratio} - 1 + 6 = 7$$

$$\text{Cement} = \frac{2.7 \times 1}{7} \times 30 = 11.57 \cong 12 \text{ bag}$$

$$\text{Sand} = \frac{2.7 \times 6}{7} = 2.31 \text{ m}^3$$

Cost for materials:

$$\text{Cement} - 12 \text{ bag} @ \text{Tk.} 490/\text{bag} = 5880 \text{ Tk.}$$

$$\text{Sand} - 2.31 \text{ m}^3 @ \text{Tk.} 1400/\text{m}^3 = 3234 \text{ Tk.}$$

Cost of labour:

$$\text{Head mason} : \frac{1}{3} \text{ Nos} @ \text{Tk.} 500/\text{Nos} = 166.66 \text{ Tk.}$$

$$\text{Mason} - 10 \text{ nos} @ \text{tk.} 400/\text{Nos} = 4000 \text{ Tk.}$$

$$\text{Labour} - 16 \text{ Nos} @ \text{Tk.} 300/\text{Nos} = 4800 \text{ Tk.}$$

$$\text{Lumsum} - \quad \quad \quad = 200 \text{ Tk.}$$

total =18280.66 Tk.

Contractor profit 10% of Total Tk.=1828.066Tk.

Overhead cost 3.5% of total Tk. =639.82 Tk.

Vat 4.5% of total cost =822.63 Tk.

Total =21571.17 Tk.

Cost for per m³ = $\frac{21571.17}{100}$ =215.71 tk.

Total cost for plaster= 215.71x620.83 =133919.24 Tk.

Paint work:

Plaster work and paint work same as

So paint work = total plaster work=3222.5 x 3 = 9667.5 m²

RATE ANALYSIS

TOTAL COST = 9667.5 m² X@ 28 Tk / m² = 270690 Tk.

1.9: Tiles Work:

veranda-1.52x2.14=3.25 m²

at.bath-1.52x1.52=2.31 m²

m. bed-4.79x4.79=22.94 m²

bed room-3.23x3.23=9.57 m²

c. bath-1.52x1.60=2.43 m²

$$\text{dinning sp.} - 3.48 \times 2.75 = 9.57 \text{ m}^2$$

$$\text{kitchen} - 1.52 \times 1.52 = 2.31 \text{ m}^2$$

$$\text{veranda} - 1.52 \times 2.14 = 3.25 \text{ m}^2$$

$$\text{bed room} - 3.48 \times 3.48 = 12.11 \text{ m}^2$$

$$\text{bed room} - 3.48 \times 3.48 = 12.11 \text{ m}^2$$

$$\text{veranda} - 1.52 \times 2.14 = 3.25 \text{ m}^2$$

$$\text{kitchen} - 1.52 \times 1.52 = 2.31 \text{ m}^2$$

$$\text{dinning sp.} - 3.48 \times 2.75 = 9.57 \text{ m}^2$$

$$\text{c.bath} - 1.52 \times 1.60 = 2.43 \text{ m}^2$$

$$\text{drg. room} - 3.08 \times 3.08 = 9.48 \text{ m}^2$$

$$\text{bed room} - 3.23 \times 3.23 = 6.46 \text{ m}^2$$

$$\text{at.bath} - 1.52 \times 1.52 = 2.31 \text{ m}^2$$

$$\text{veranda} - 1.52 \times 2.14 = 3.25 \text{ m}^2$$

$$\text{m.bed} = 4.79 \times 4.79 = 22.94 \text{ m}^2$$

$$\text{total} = 152.19 \text{ m}^2$$

$$\text{For four flat} = 4 \times 152.19$$

$$= 608.76 \text{ m}^2$$

Rate analysis:

Considering 100 m^2

$$\text{Volume} = 100 \times 0.02 = 2 \text{ m}^3$$

$$\text{Dry} = 2 \times 1.5 = 3 \text{ m}^3$$

$$\text{Ratio} - 1 + 6 = 7$$

$$\text{Cement} = \frac{2 \times 1}{7} \times 30 = 8.7 \text{ bag}$$

$$\text{Sand} = \frac{2 \times 6}{7} = 1.71 \text{ m}^3$$

Tiles size = 20cmx20cm

Tiles need=2500 Nos

Cost for materials:

Cement- 8.7 bag@Tk.500/bag=4350Tk.

Sand(F.M 1.5) -1.71m³@Tk.1000/ m³=1710 Tk.

Cost of labour:

Head massion: 1 Nos@Tk.500/Nos=500 Tk.

Massion- 15 nos@tk.400/Nos=6000 Tk.

Labour- 17 N0s@Tk.300/Nos=5100 Tk.

Palising Labour- 100 Nos@Tk.200/Nos=20000 Tk.

Palis stone- =500 Tk.

Lumsum - =100 Tk.

=60010 Tk.

Contractor profrit 10% of Total Tk.= 6001Tk.

Overhead cost 3.5% of total Tk. =2100 Tk.

Vat 4.5% of total cost =2700 Tk.

Total =70811 Tk.

Cost for per m² = $\frac{70811}{100}$ =708.11 tk.

Total cost for Tiles= 708.11x608.76=10488.78 Tk.

2.0: Lime concrete

For chilakota=14.17x14.50x.075=15.40m³

Rate analysis:

Considering=7.5m³

Dry volume=7.5x1.5=11.25 m³

Ratio=2+2+7=11

Lime stone= $\frac{11.25x2}{11}$ =2.05 m³@960 m³=1968kg

Surkey=2.05 m³

Khoa = $\frac{11.25 \times 7}{11} = 7.15 \text{ m}^3 @ 300 \text{ Nos m}^3 = 2147.72 \text{ Nos}$

Cost of materials :

Brick=2147.72 Nos @tk.9500/thousand=20404 Tk.

Lime stone=1968kg@tk.20/bag=39360 Tk.

Khoa= 9 m³380/ m³=3420 Tk.

Surkey = 2.05 m³ @tk.1600/ m³=3280 tk.

Cost for labour:

Head massion-0.5 nos @ Tk.500/Head/day=250Tk.

Massion-15 Nos@Tk.400/Head/day=6000 Tk.

Labour(woman)- 100 Nos@Tk.250/head/day=25000 Tk.

Lamsun- = 100Tk.

Total =97814Tk.

Contractor profit(10% of total tk.) = 9781.4 Tk.

Overhead cost 3.5% of total Tk. = 3423.49Tk.

Vat 4.5% of total tk.; =4401.64 Tk.

Total =115421 Tk.

Cost for per m³ = $\frac{115421}{7.5}$

=15390 Tk.

Total cost =15390x15.40 =237006 Tk.

2.1: Door work:

Door

Main Door = 1 @ 25000 tk/nos = 25000 Taka

D(Room)= 30 @ 18000 tk/nos = 540000 taka

D1(Veranda & kitchen) = 15 @ 12000 tk/nos = 180000 taka

D1(Bath room) = 15 @ 3500 tk/nos = 52500 taka

Window

W

Thai Glass = $29 \times 18 = 522$ sft @ 475 tk/sft = 262200 Taka

Grill = $29 \times 18 = 522$ sft @ 120 @sft/taka = 62640 Taka

W1

Thai Glass = $22 \times 18 = 396$ sft @ 475 tk/sft = 188100 Taka

Grill = $22 \times 18 = 396$ sft @ 120 @sft/taka = 47520 Taka

$W_2 = (1.20 - 2 \times 0.08 + 2 \times 0.0125) \times (1.2 - 2 \times 0.08 + 2 \times 0.0125) \times 3 = 3.40 \text{m}^3$

$W_3 = (0.60 - 2 \times 0.08 + 2 \times 0.0125) \times (0.60 - 2 \times 0.08 + 2 \times 0.0125) \times 4 = 0.91 \text{m}^3$

Total palla = $(17.21 + 13.43 + 9.74 + 3.40 + 0.91) = 44.69 \text{m}^3$

Rate analysis:

Grill of Veranda

= 702.74 sft @ 120 tk/sft = 84330 taka.

Plumbing and Fittings Work

Bath room = 15 @ 30000 tk/nos = 450000 taka

Pan = 15 @ 1250 tk/nos = 18750 taka

Commode = 15 @ 7000 tk/nos = 105000 taka

Electric Instrument

Total Electric cost = 7 unit @ 55000 tk/unit = 385000 taka

Water Tank

2 Nos @ 4000 tk/nos = 8000 tk

Paint cost

Rate = 1600 sft = 45000 taka.

Total cost = 3076.75 sft @ 28 tk/sft = 926963 taka.

Polithine

= 4x 20 = 80 kg @ 225 tk/kg = 18000 taka

G.I Cable = 15 kg x 4 = 60 kg @ 95 kg / tk = 5700 taka

Tarkata = 4x15 = 60 kg @ 65 tk/kg = 3900 taka

Mixture & Vibrate Machine = 10 Nos @ 2000 tk/Nos = 20000 taka

Khoa Vanga= 42307 Nos @ 500 tk/thousand = 21154 taka.

Labour cost

Foundation to Grade beam

1)1543 sft @ 105 tk/sft = 162015 taka

2)4x1543= 6172 sft @ 140 tk/sft = 684080 taka

Septic Tank =30000 taka

Total = 8158844 taka

2.2: White Wash:

Total white wash work=Total plaster work
=2379.22 m²

Rate analysis:

Total cost = 3019.75m²@Tk.15=45296.25 Tk.

2.3: PAINTING WORK:

DOOR:

D1: 8X3X1.80X1.2=60.48 m²

D2: 10x3x.80x2.10=50.4 m²

Total: 110.88 m²

WINDOW:

$$W1: 6 \times 3 \times 1.80 \times 1.20 = 38.88 \text{ m}^2$$

$$W2 = 3 \times 3 \times 1.20 \times 1.20 = 12.96 \text{ m}^2$$

$$W3 = 4 \times 3 \times 0.60 \times 0.60 = 4.32 \text{ m}^2$$

$$\text{TOTAL} = 56.16 \text{ m}^2$$

GRILL:

$$\text{VER-1} : 4 \times 3 \times 1.52 \times 2.14 = 39.03 \text{ m}^2$$

$$\text{G. TOTAL} = 206.07 \text{ m}^2$$

Considering Luvard Door 8 Window

$$\text{The total work} = 2.25 \times 206.07 \text{ m} = 463.65 \text{ m}^2$$

Rate analysis

$$\text{Total painting work} = 463.65 \text{ m}^2$$

2.4: Estimate for septictank

1) Earth work

$$= N \times L \times B \times H$$

$$= 1 \times 5.51 \times 2.51 \times 2.58$$

$$= 35.68 \text{ m}^3.$$

$$N = 1$$

$$L = 5.51 \text{ m}$$

$$B = 2.51 \text{ m}$$

$$H = 2.58 \text{ m}$$

2) Brick Flat Soling

$$= N \times L \times B$$

$$= 1 \times 5.51 \times 2.51$$

$$= 13.83 \text{ m}^2.$$

$$\text{Brick} = 13.83 \times 31 = 429 \text{ nos.}$$

$$N = 1$$

$$L = 5.51 \text{ m}$$

$$B = 2.51 \text{ m}$$

3) C.C Work(1:3:6)

$$= N \times L \times B \times H$$

$$= 2 \times 5.51 \times 2.51 \times 1.5$$

$$= 4.14 \text{ m}^3.$$

$$\text{Dry mortar} = 4.14 \times 1.5 = 6.21 \text{ m}^3.$$

$$\text{Ratio} = 1 + 3 + 6 = 10$$

$$\text{Cement} = \frac{6.21}{10} \times 1 = 0.62 \text{ m}^3 @ 30 \text{ bag/m}^3 = 19 \text{ bag}$$

$$\text{Sand} = \frac{6.21}{10} \times 3 = 1.863 \text{ m}^3$$

$$\text{Khoa} = \frac{6.21}{10} \times 6 = 3.73 \text{ m}^3 @ 350 \text{ nos/m}^3 = 1305 \text{ nos}$$

$$N = 2$$

$$L = 5.51 \text{ m}$$

$$B = 2.51 \text{ m}$$

$$H = .15 \text{ m}$$

1) Brick Work

Long Wall

1st Fotting

$$= N \times L \times B \times H$$

$$N = 2$$

$$=2 \times 5.52 \times 0.508 \times 0.762$$

$$= 4.27 \text{ m}^3.$$

2nd Fotting

$$=N \times L \times B \times H$$

$$=2 \times 5.26 \times 0.381 \times 0.762$$

$$= 3.05 \text{ m}^3.$$

3rd Fotting

$$=N \times L \times B \times H$$

$$=2 \times 5.008 \times 0.254 \times 0.6858$$

$$= 1.74 \text{ m}^3.$$

Short Wall

1st Fotting

$$=N \times L \times B \times H$$

$$=2 \times 1.5 \times 0.508 \times 0.762$$

$$= 1.16 \text{ m}^3.$$

2nd Fotting

$$=N \times L \times B \times H$$

$$=2 \times 1.5 \times 0.381 \times 0.762$$

$$= 0.87 \text{ m}^3.$$

$$L=5.52 \text{ m}$$

$$B=.508 \text{ m}$$

$$H=.762 \text{ m}$$

$$N=2$$

$$L=5.26 \text{ m}$$

$$B=.381 \text{ m}$$

$$H=.762 \text{ m}$$

$$N=2$$

$$L=5.008 \text{ m}$$

$$B=.254 \text{ m}$$

$$H=.6858 \text{ m}$$

$$N=2$$

$$L=1.5 \text{ m}$$

$$B=.508 \text{ m}$$

$$H=.762 \text{ m}$$

$$N=2$$

$$L=1.5 \text{ m}$$

$$B=.381 \text{ m}$$

$$H=.762 \text{ m}$$

3rd Fotting

$$= N \times L \times B \times H$$

$$= 2 \times 1.5 \times 0.254 \times 0.6858$$

$$= 0.52 \text{ m}^3.$$

$$N=2$$

$$L=5.008 \text{ m}$$

$$B=.254 \text{ m}$$

$$H= .6858 \text{ m}$$

Middle Wall

$$= N \times L \times B \times H$$

$$= 2 \times 1.5 \times 0.254 \times 0.6858$$

$$= 0.55 \text{ m}^3.$$

$$N=2$$

$$L=1.5 \text{ m}$$

$$B=.125 \text{ m}$$

$$H= .149 \text{ m}$$

Total brick work = 11.61 m^3

Dry mortar = $11.61 \times 0.35 = 4.07 \text{ m}^3$

Ratio = $1+6 = 7$

Cement = $\frac{4.07}{7} \times 1 = 0.58 \text{ m}^3 @ 30 \text{ bag/m}^3 = 18 \text{ bag}$

Sand = $\frac{4.07}{7} \times 6 = 3.5 \text{ m}^3$

Brick = $410 \times 11.61 = 4760 \text{ Nos}$

R.C.C Work

$$= N \times L \times B \times H$$

$$= 5.51 \times 2.51 \times 1.5$$

$$= 2.08 \text{ m}^3.$$

$$N=2$$

$$L=5.51 \text{ m}$$

$$B=2.51 \text{ m}$$

$$H = .15 \text{ m}$$

$$\text{Dry mortar} = 2.08 \times 1.5 = 3.14 \text{ m}^3$$

$$\text{Ratio} = 1+2+4 = 7$$

$$\text{Cement} = \frac{3.14}{7} \times 1 = 0.45 \text{ m}^3 @ 30 \text{ bag/m}^3 = 14 \text{ bag}$$

$$\text{Sand} = \frac{3.14}{7} \times 2 = .9 \text{ m}^3$$

$$\text{Khoa} = \frac{3.14}{7} \times 4 = 1.80 \text{ m}^3 @ 350 \text{ nos/m}^3 = 628 \text{ Nos}$$

$$\text{Total Cement} = 51 \text{ bag.}$$

$$\text{Total Sand} = 6.26 \text{ m}^3$$

$$\text{Total Brick} = 7122 \text{ Nos}$$

সড়ির এস্টিমিটেং

একটি ল্যান্ডিং এর জন্সঃ

$$\text{Landing} = 1.22 \text{ m}$$

$$\text{Stair room} = 2.26 \text{ m} \times 4.65 \text{ m}$$

$$\text{Trade} = 10$$

$$\text{Riser} = 11$$

$$\text{সড়ির আনুভূমিক দূরত্ব} = 27 \times 10 = 270 \text{ cm} = 2.70 \text{ m}$$

$$\text{সড়ির উল্লম্ব দূরত্ব} = 16 \times 11 = 176 \text{ cm} = 1.76 \text{ m}$$

1) ওয়স্ট স্লামবরে দূরত্ব= $\sqrt{2.70^2 + 1.76^2}=3.22\text{m}$

ওয়স্ট স্লামবরে প্রস্থ=1.13m

ওয়স্ট স্লামবরে পুরুত্ব=0.10m

R.C.C কাজের পরিমাণ= $3.22 \times 1.33 \times 0.10 = 0.36386\text{m}^3$

2) Landing length=1.22m

Width=2.26m

Thickness=15cm

R.C.C কাজের পরিমাণ= $1.22 \times 2.26 \times 0.15 = 0.41358\text{m}^3$

3) Landing beam length=2.26m

Width=0.20m

Thickness=0.20cm

R.C.C কাজের পরিমাণ= $2.26 \times 0.20 \times 0.20 = 0.0904\text{m}^3$

4) step:- $0.5 \times 0.27 \times 0.16 \times 1.13 = 0.0244\text{m}^3$

মোট R.C.C কাজের পরিমাণ= $0.36386\text{m}^3 + 0.41358\text{m}^3 + 0.0904\text{m}^3 + 0.0244\text{m}^3$

২ টি ল্যান্ডিং এর জন্য= $0.89224\text{m}^3 \times 2 = 1.7844\text{m}^3$

ভজো আয়তন= $1.7844 \times 1.5 = 2.67672\text{m}^3$

আনুপাতের যোগফল= $1+2+4=7$

Cement= $\frac{1 \times 2.67672}{7} \times 30 = 12\text{ bag}$

Sand= $\frac{2 \times 2.67672}{7} = 0.764\text{m}^3$

Brick= $\frac{4 \times 2.67672}{7} \times 418 = 650\text{ Nos}$

রডের হিসাবঃ

$$\text{সোজা রডের সংখ্যা} = \frac{.13 \times 100}{16} + 1 = 8 \text{ টি}$$

$$\text{দৈর্ঘ্য} = 3.22 + 1.22 + 10 \times 0.016 = 4.6 \text{ m}$$

$$\text{মোট ওজন} = \frac{16^2}{162.2} \times 4.6 \times 8 = 58 \text{ kg}$$

$$\text{Nos of temp. bar} = \frac{3.22 \times 100}{22} + 1 = 16 \text{ টি}$$

$$\text{দৈর্ঘ্য} = 1.22 \text{ m}$$

$$\text{ওজন} = \frac{16^2}{162.2} \times 16 \times 1.22 = 13 \text{ kg}$$

$$\text{Extra top length} = \frac{3.22}{4} = 0.805 + 2 \times 10 \times 0.12 = 1.125 \text{ m}$$

$$\text{সংখ্যা} = \frac{1.22 \times 100}{13.5} + 1 = 10 \text{ Nos}$$

$$\text{ওজন} = \frac{16^2}{162.2} \times 10 \times 1.25 = 17.75 \text{ kg}$$

$$\text{মোট ওজন} = (58 + 13 + 17.75) \times 2 = 177.5 \text{ kg}$$

Costing Schedule

Total Cost Schedule

S.L NO	Description	quantity	Unit rate	Total cost
1	Earth work In excavation	95.06m ³	163.19/ m ³	15513.27 Tk.
2	Earth filling in foundation	9.01 m ³	503.1/ m ³	9563.93 Tk.
3	Sand filling	74.913 m ³	1801.47/ m ³	134953.27 Tk.
4	Brick flat solling	253.48 m ²	433.8/ m ²	109959 Tk.
5	C.C work in plinth(1:3:6)	11.56 m ³	6000/ m ³	69600 Tk.

6	From work	23.72 m ²	4211.67/ m ²	99900.81 Tk.
7	R.C.C(1:2:4)	131.456 m ³	9240.04/ m ³	1214658.43 Tk.
8	M.S work	36750.03 kg	Tk.60/kg	2205001.80 Tk.
9	1 st class brick work in superstructure wall(1:6)	107.25 m ²	6643.3/ m ²	712460.70 Tk.
10	Plaster work	1903.21m ²	215.71/ m ²	266266.02 Tk.
11	Tiles	608.76 m ²	708.11/ m ²	10488.78 Tk.
12	Lime concrete	15.40m ³	Tk.15390/15.40m ³	237006Tk.
13	Door, Window with all extra work			4304698 Tk.
14	STAIR			272570tk.
15	SEPTIC TANK			183490tk

Total cost of building= 9937800 Tk.

COST OF PER Sq/Ft = 5125.22 Tk.

Total cost of building= 11640000 Tk.

COST OF PER Sq/Ft = 6000 Tk.(all floors)

COST OF PER Sq/Ft = 1500 Tk.(per floor)

Plinth Area=1940 sft

THANK'S ALL